

A numerical study on the winter mixed layer on the shelf-slope region south of Japan

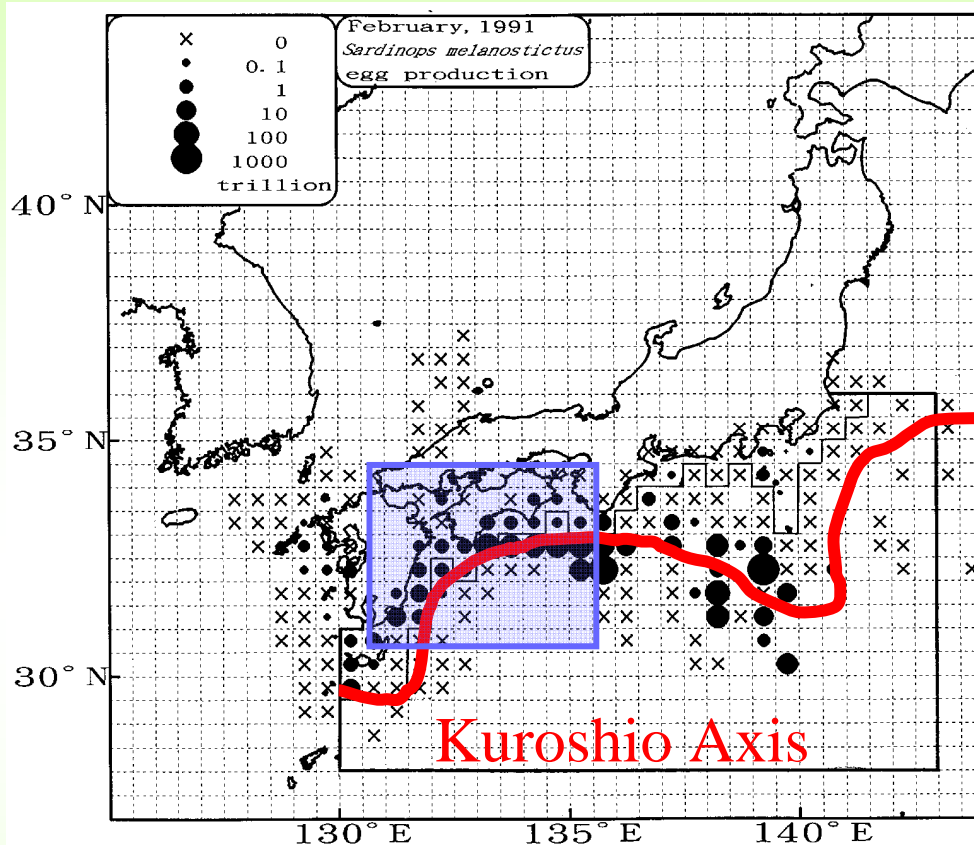
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Motivation of this study



Distribution of sardine eggs in February 1991
(Watanabe et al., 1997)

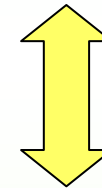
+January to March

Spawning season of sardine

+Main spawning ground

southwest of Japan

Inshore side of the Kuroshio



Missing Link

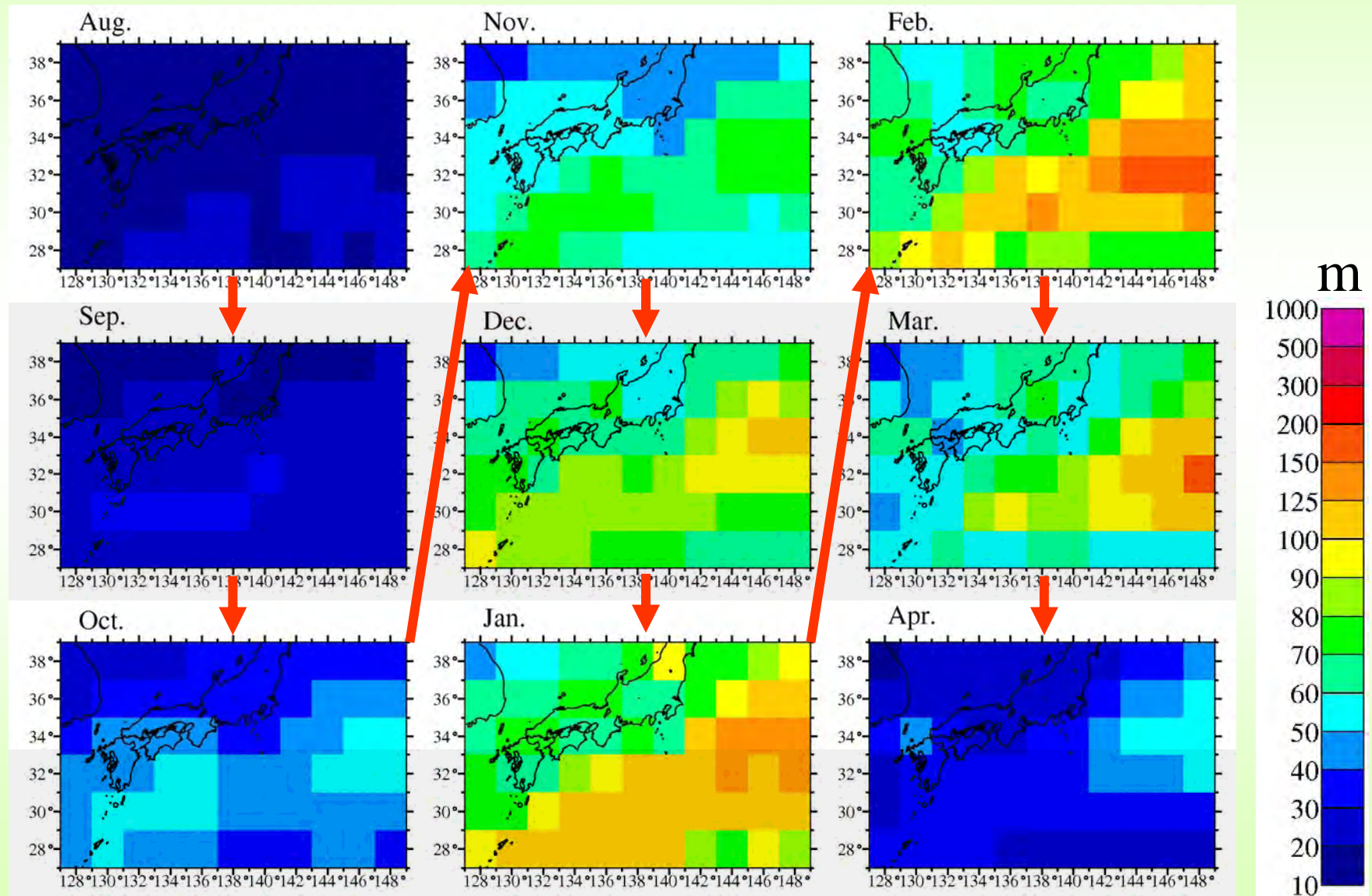
+Oceanographic condition

Developed winter mixed layer

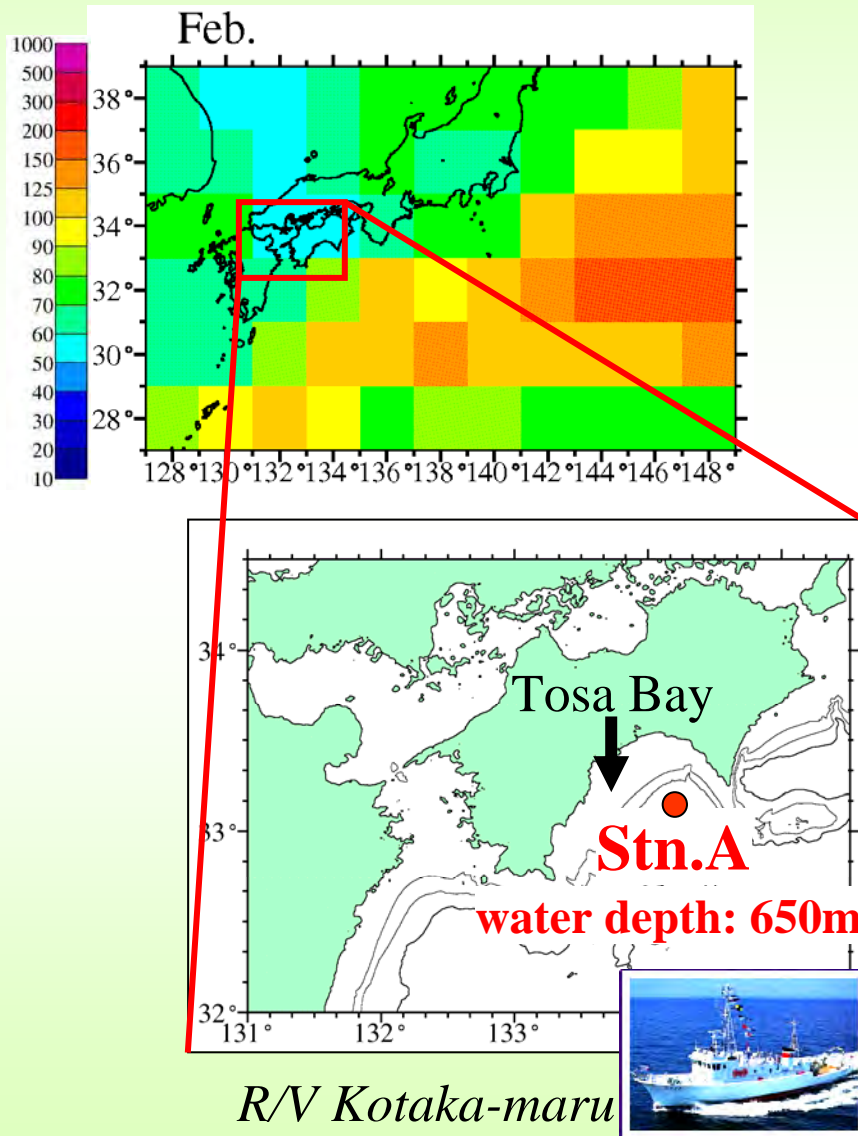
The aim of this study is

to examine properties and dynamics of mixed layer variation
on the basis of high-resolution model

Climatological seasonal cycle of mixed layer depth ($2^\circ \times 2^\circ$) de Boyer Montégut et al. (2004, JGR)



Data Analysis of monthly temperature profiles on the region southwest of Japan



Analysis Data

Station : Stn.A in Tosa Bay

Period : 1991~2004

Frequency : monthly after 1995

Instrument : CTD&STD&XBT

Vertical resolution : 1m

Definition of Mixed Layer Depth

$$\Delta T = 0.2 \text{ } ^\circ\text{C}$$

The same criterion is used in
de Boyer Montégut et al. (2004)

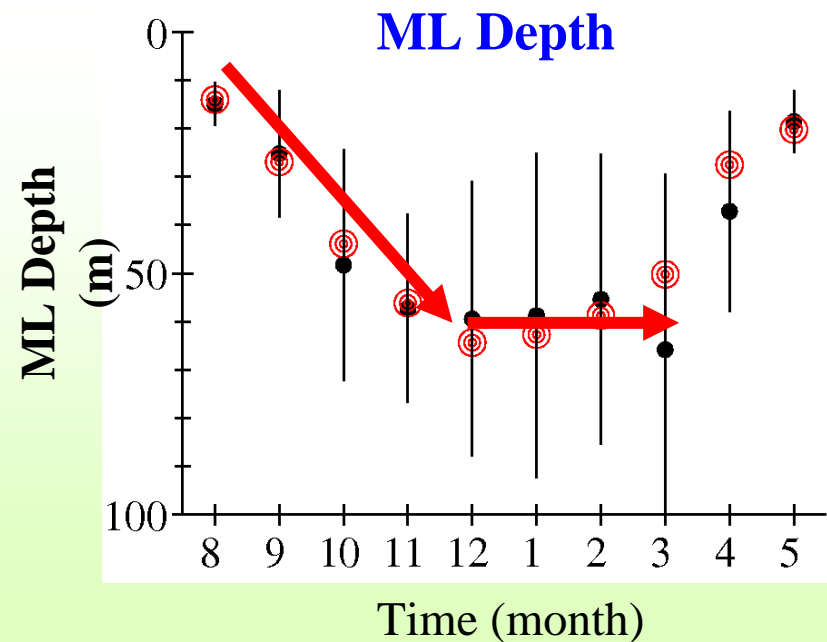
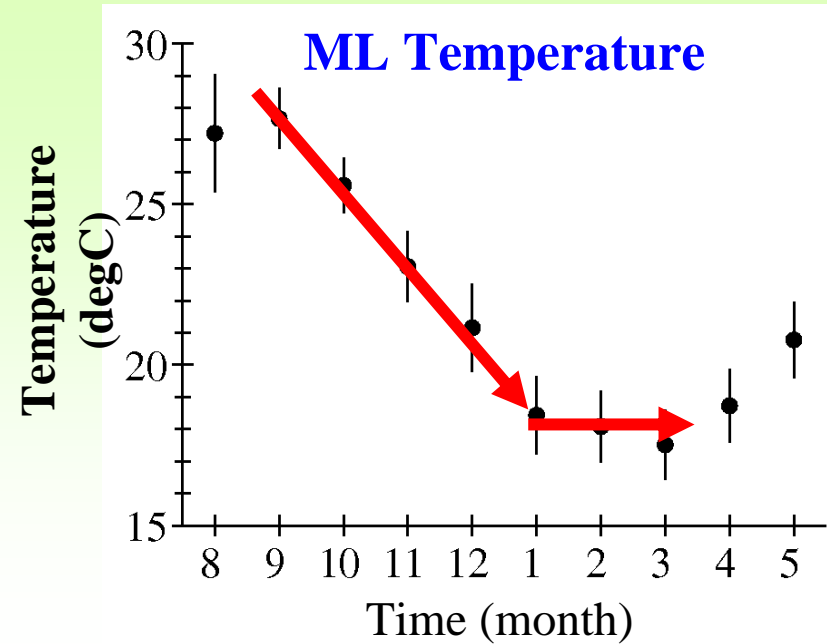
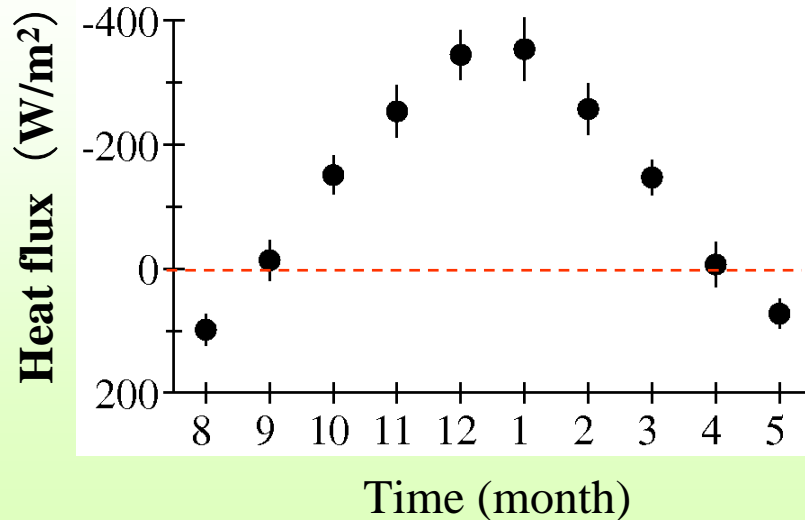
Monthly ML temperature & depth at Stn.A in Tosa Bay

● : monthly mean
vertical bar : ± 1 S.D.

⊙ : monthly climatology
de Boyer Montégut *et al.* (2004, JGR)

Net Heat Flux at the sea surface

estimated via bulk formulation (COARE)
using JRA25+GHRSSST



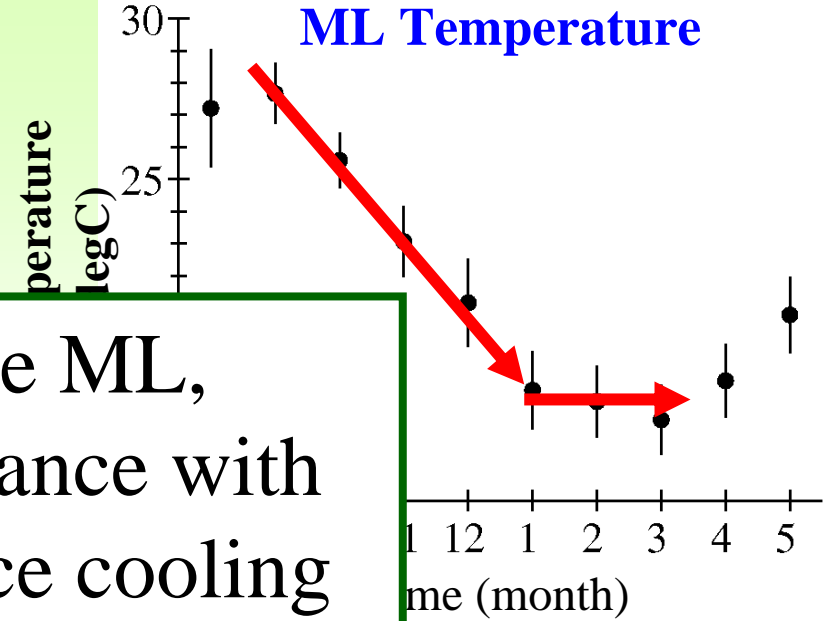
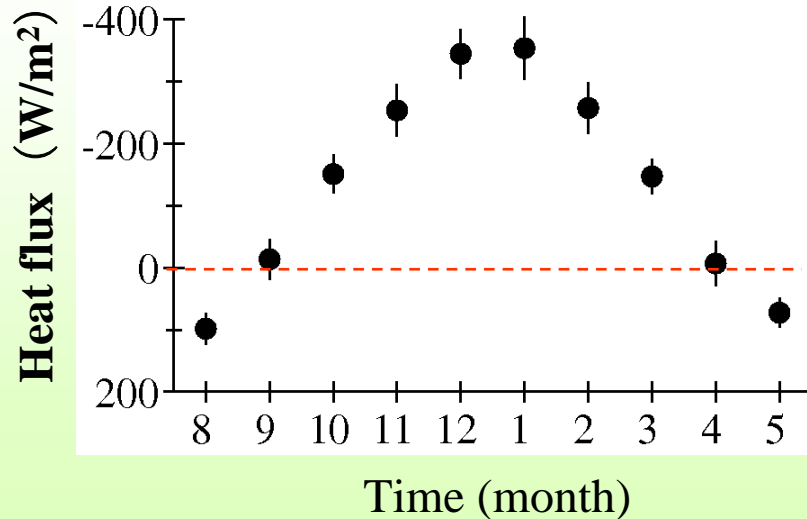
Monthly ML temperature & depth at Stn.A in Tosa Bay

● : monthly mean
vertical b...

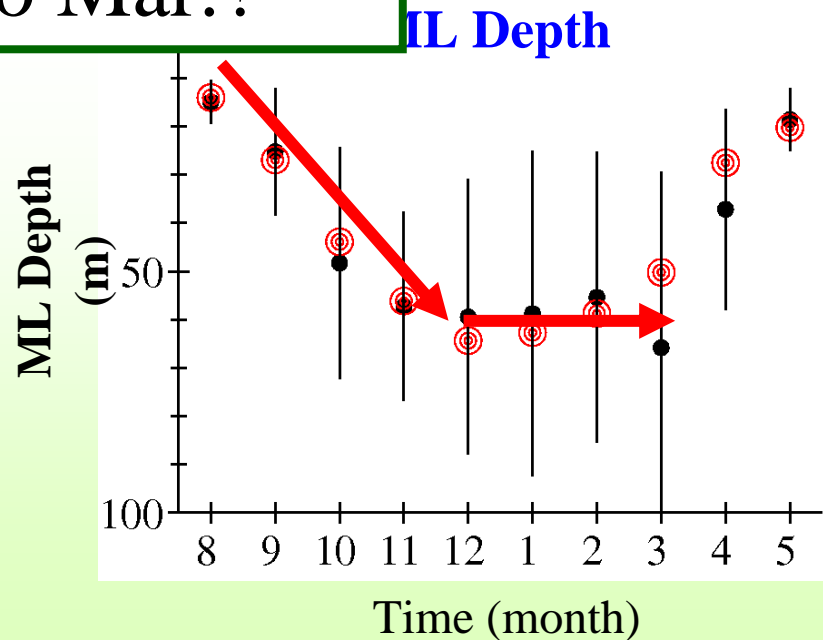
⊙ : cl...
de Boyer Monté...

Net Heat Flux

estimated via bulk...
using JR...



Within the ML,
what can balance with
the sea surface cooling
from Jan. to Mar.?

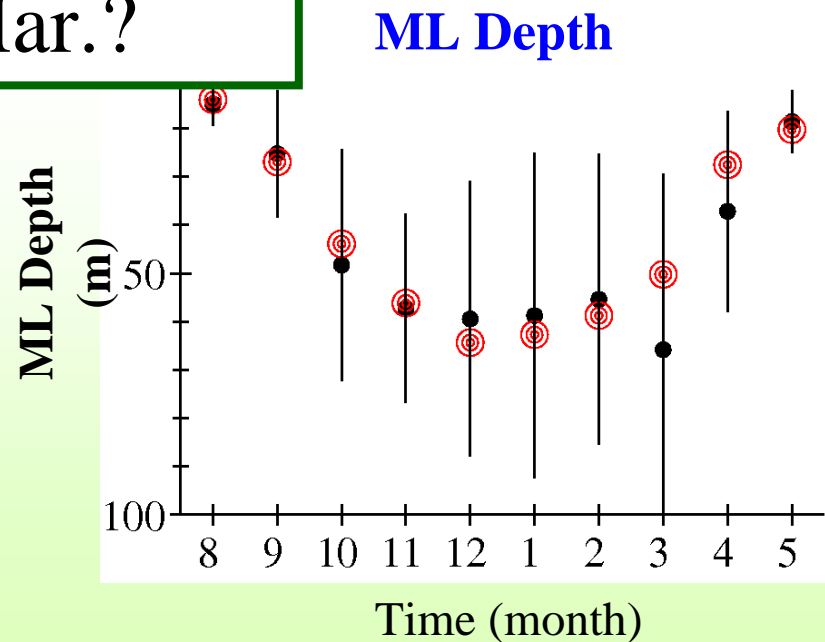
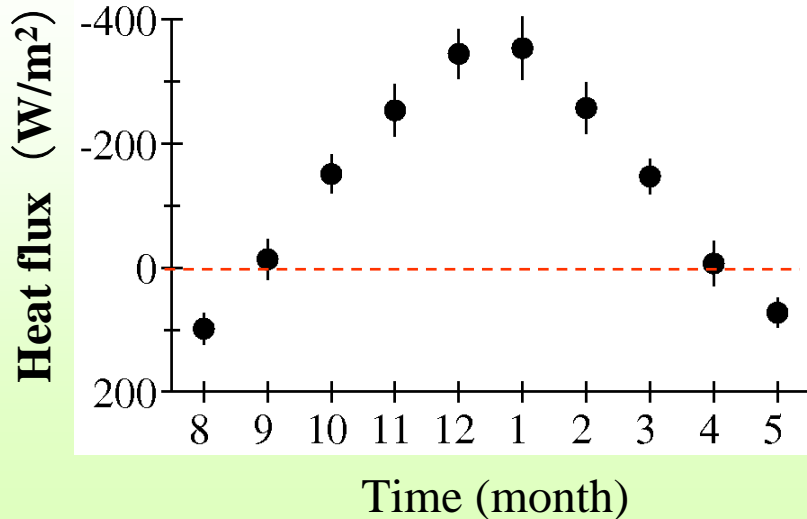
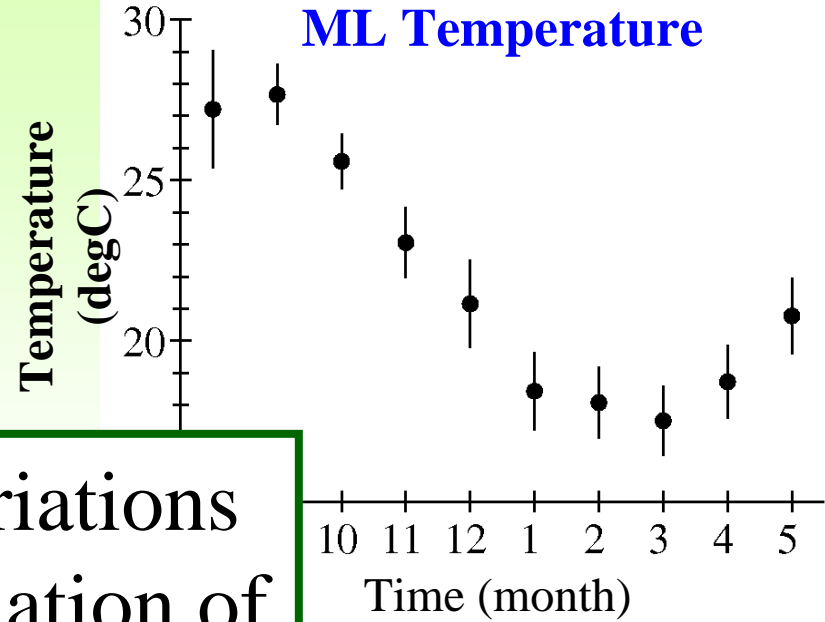


Monthly ML temperature & depth
at Stn.A in Tosa Bay

● : monthly mean
vertical bar : ± 1 S.D.

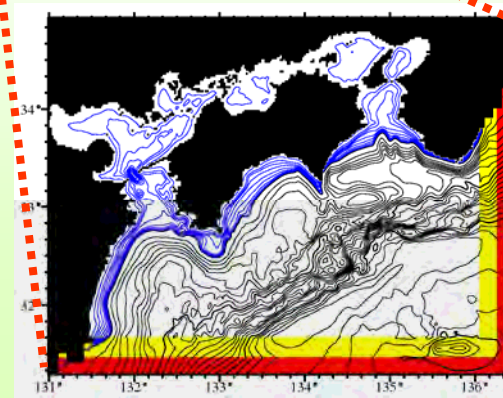
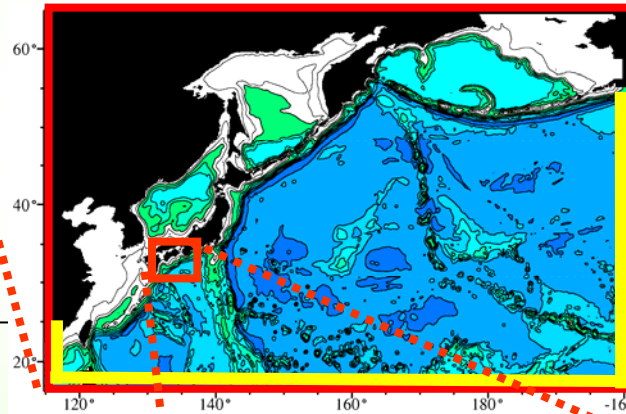
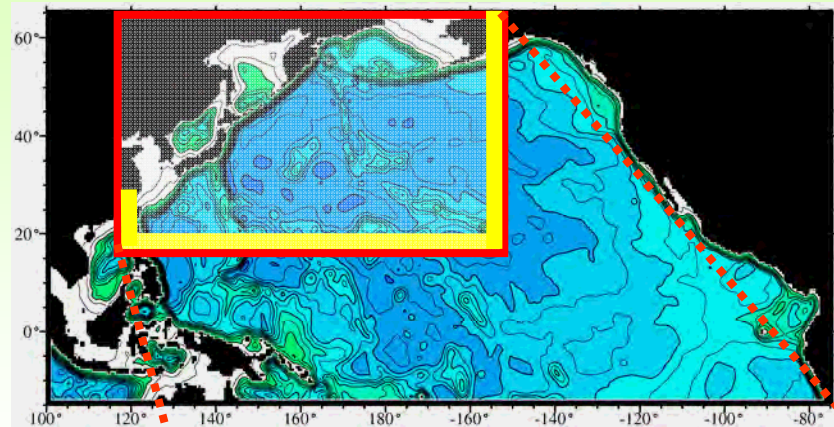
⊙ : climatology

Can intra-monthly variations
affect the monthly variation of
ML from Jan. to Mar.?



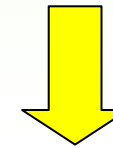
Dynamical downscaling system

ROMS
Regional
Ocean
Modeling
System

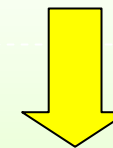


one-way
nesting system

1/2 degree
Basin-scale
($O(10^3)$ km)



1/10 degree
Mesoscale
($O(10^2)$ km)

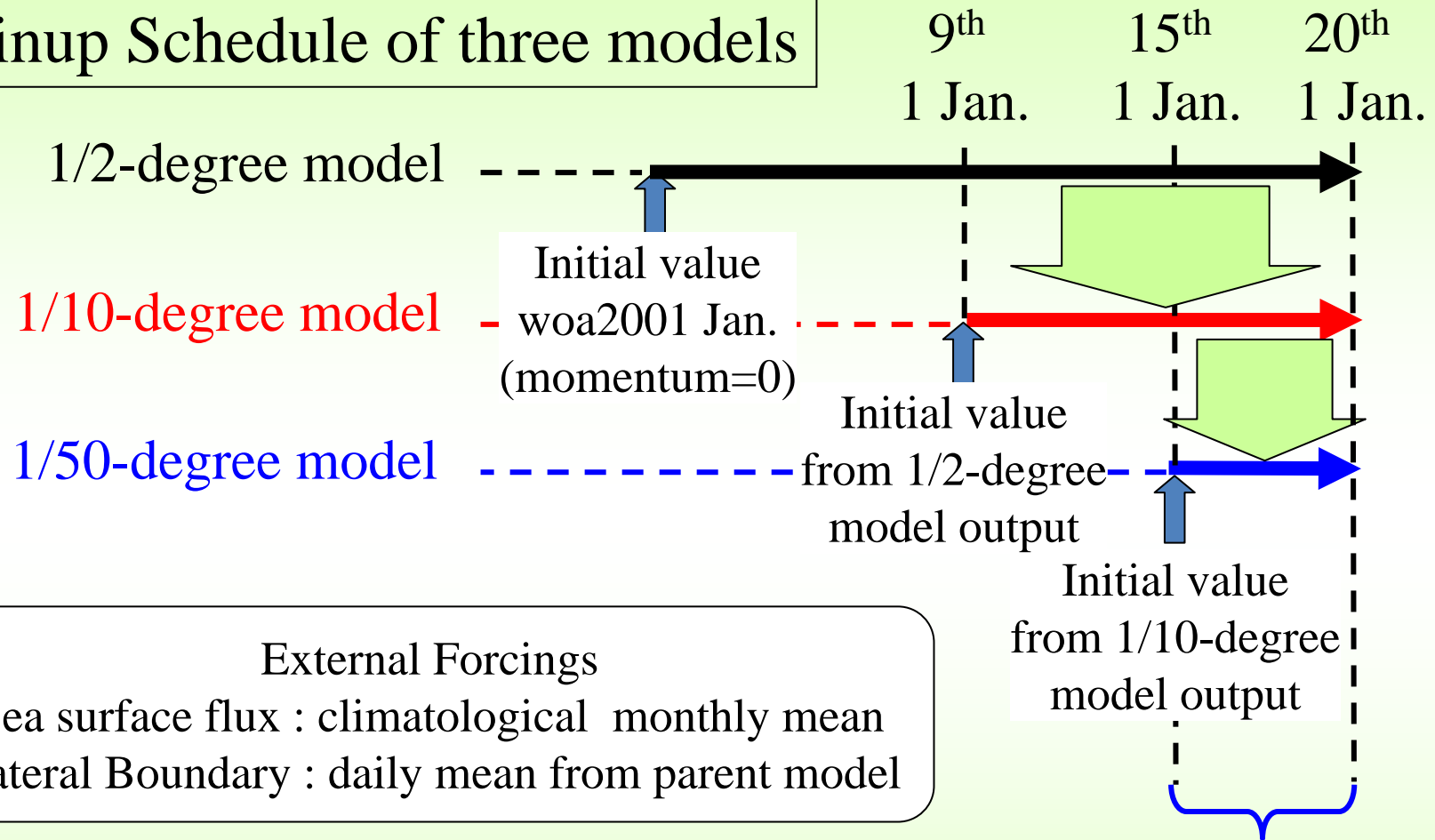


1/50 degree
Submesoscale
($O(10^1)$ km)

Forcings

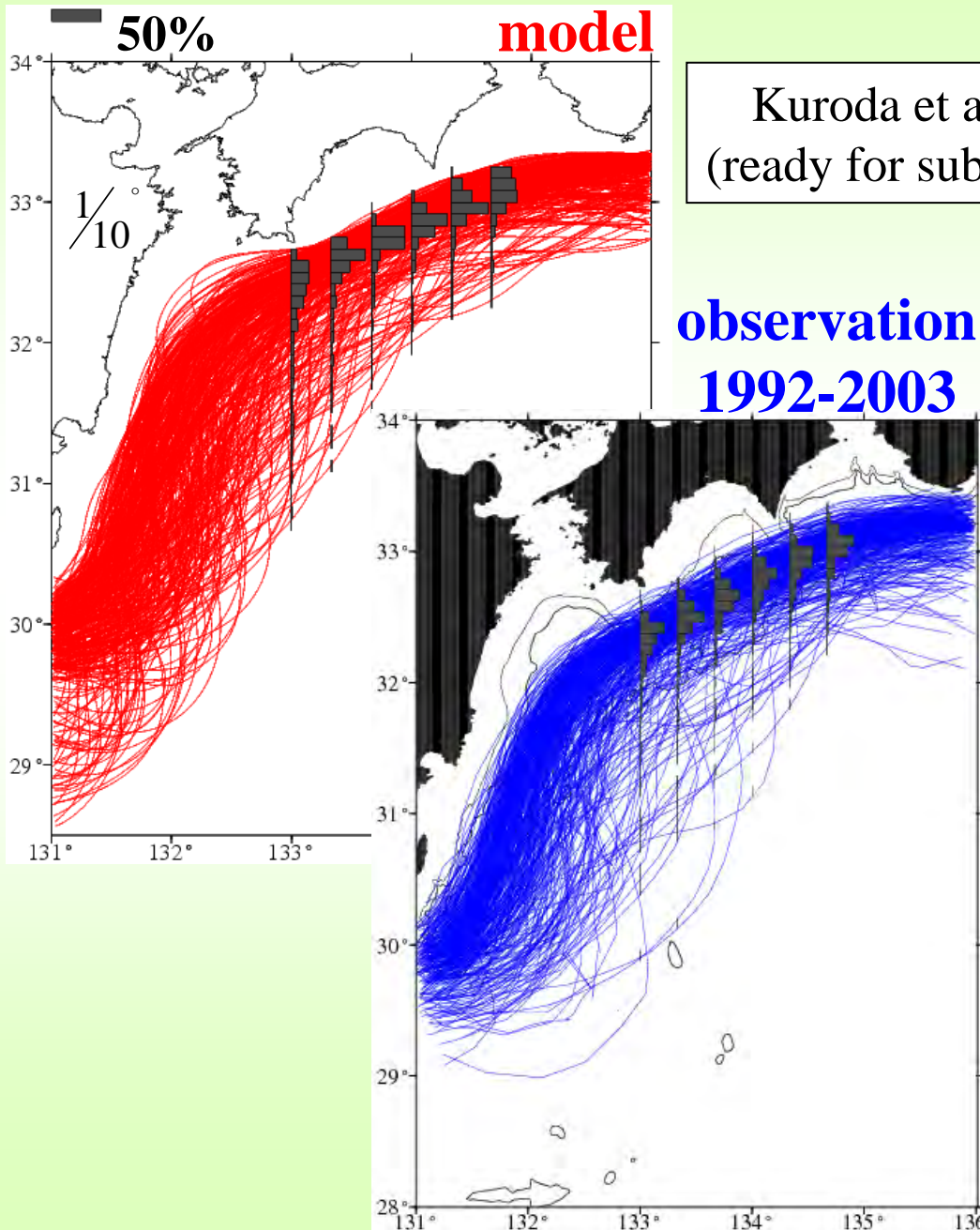
1. Climatological monthly mean flux at the sea surface
2. Lateral boundary forcings based on daily mean output from each parent model

Spinup Schedule of three models



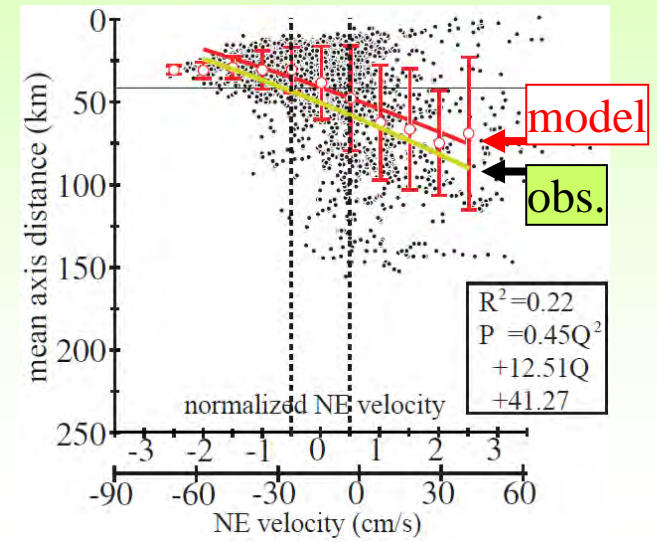
Total: 5-year simulation
Analysis: 2nd year to 5th year

Kuroshio axis position

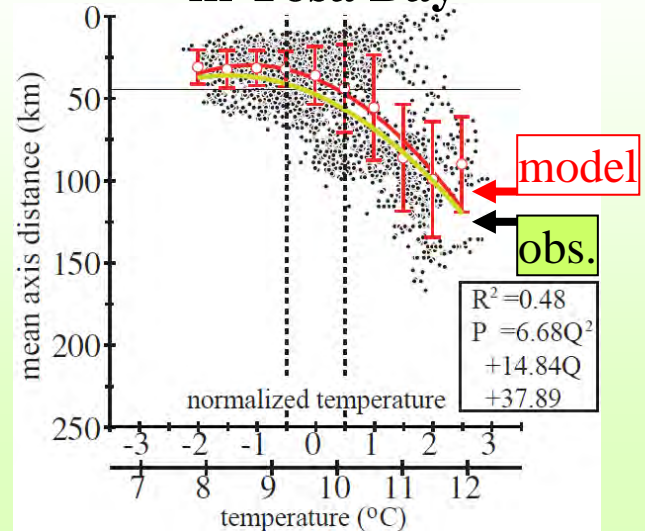


Kuroda et al.
(ready for submit)

1/50 Kuroshio axis distance vs. Surface current in Tosa Bay

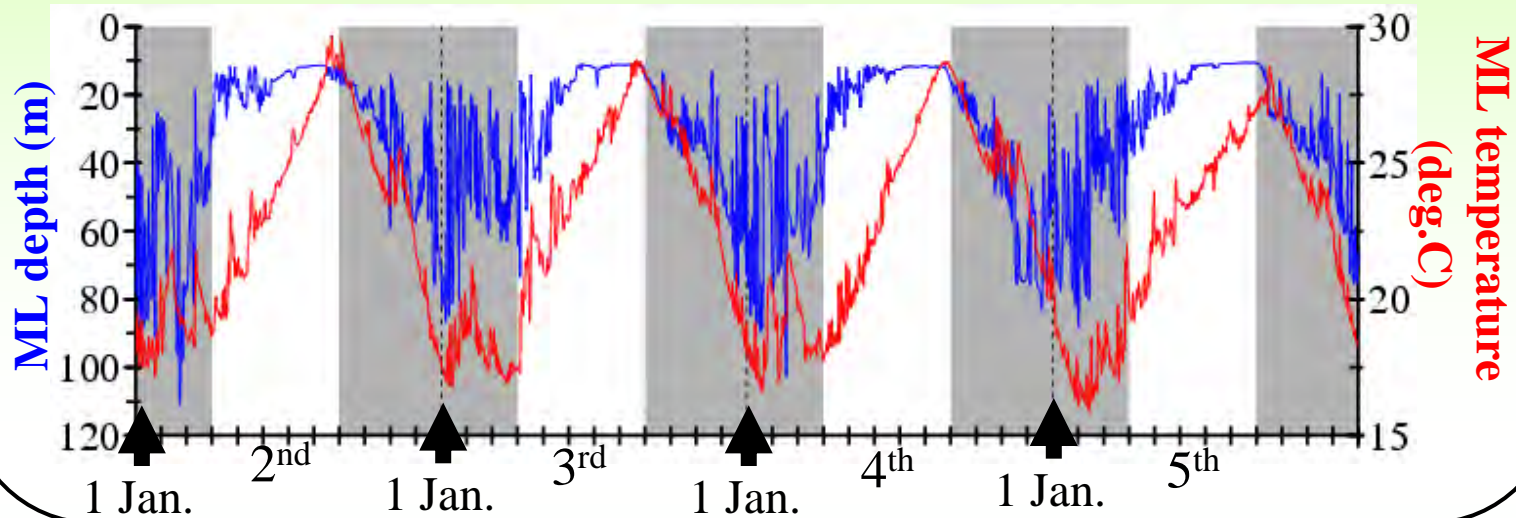


1/50 Kuroshio axis distance vs. Subsurface temperature in Tosa Bay

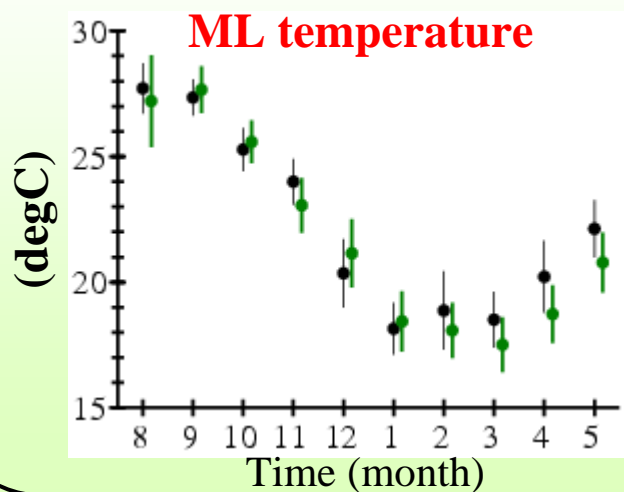


12-hourly time series of mixed layer at Stn.A in Tosa Bay
from the 2nd to 5th year

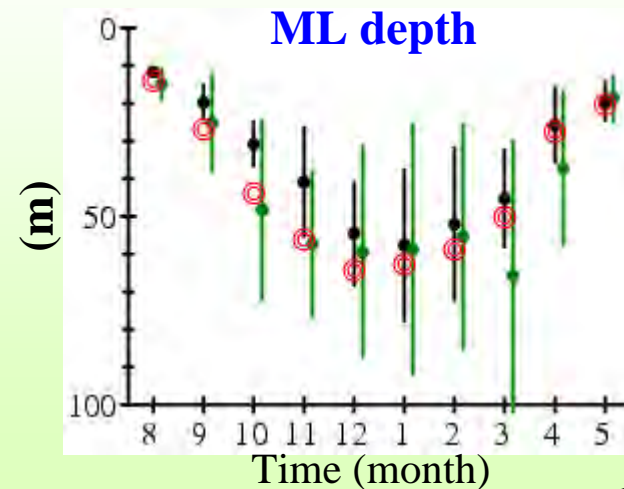
— ML depth — ML temperature gray area: September to March



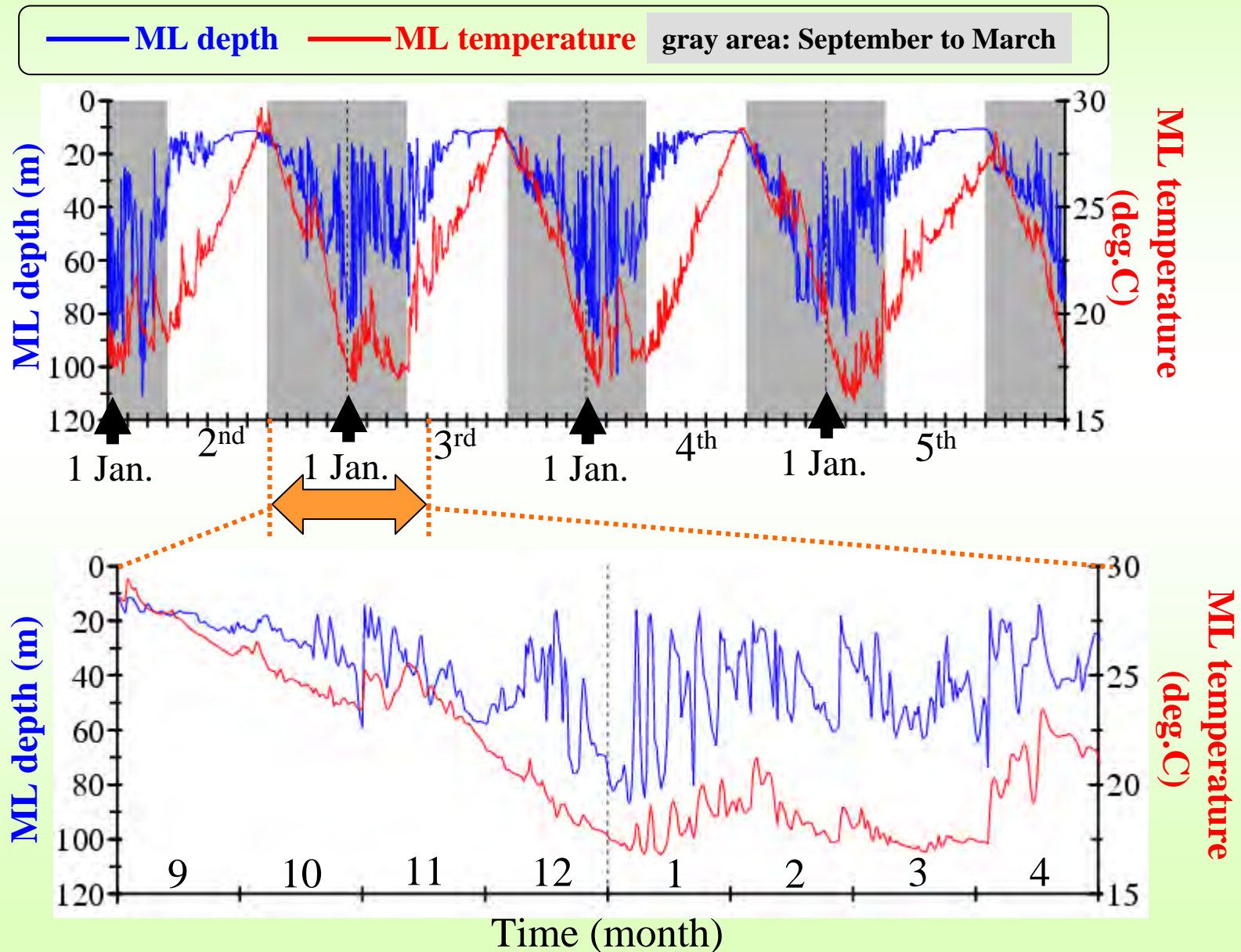
Monthly mean time series of mixed layer at Stn.A in Tosa Bay

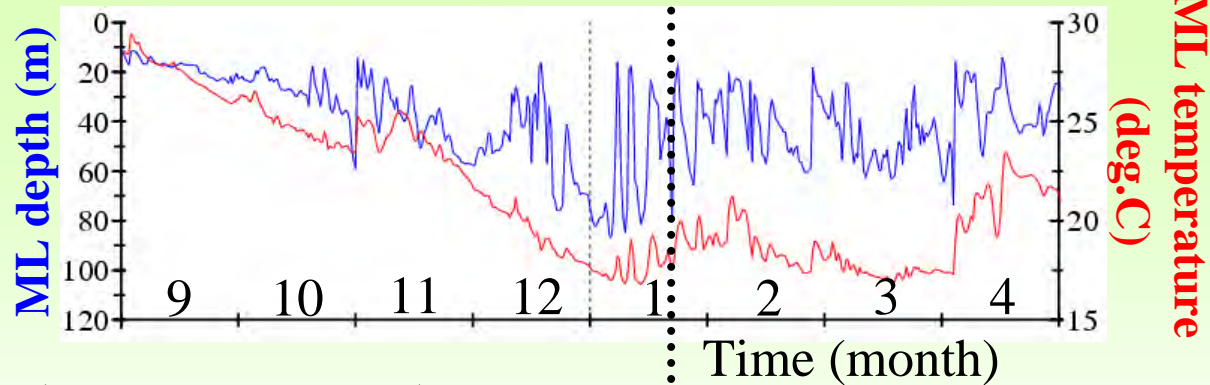


simulation
—●—
data analysis
—●—
climatology
◎
de Boyer Montégut
et al. (2004)

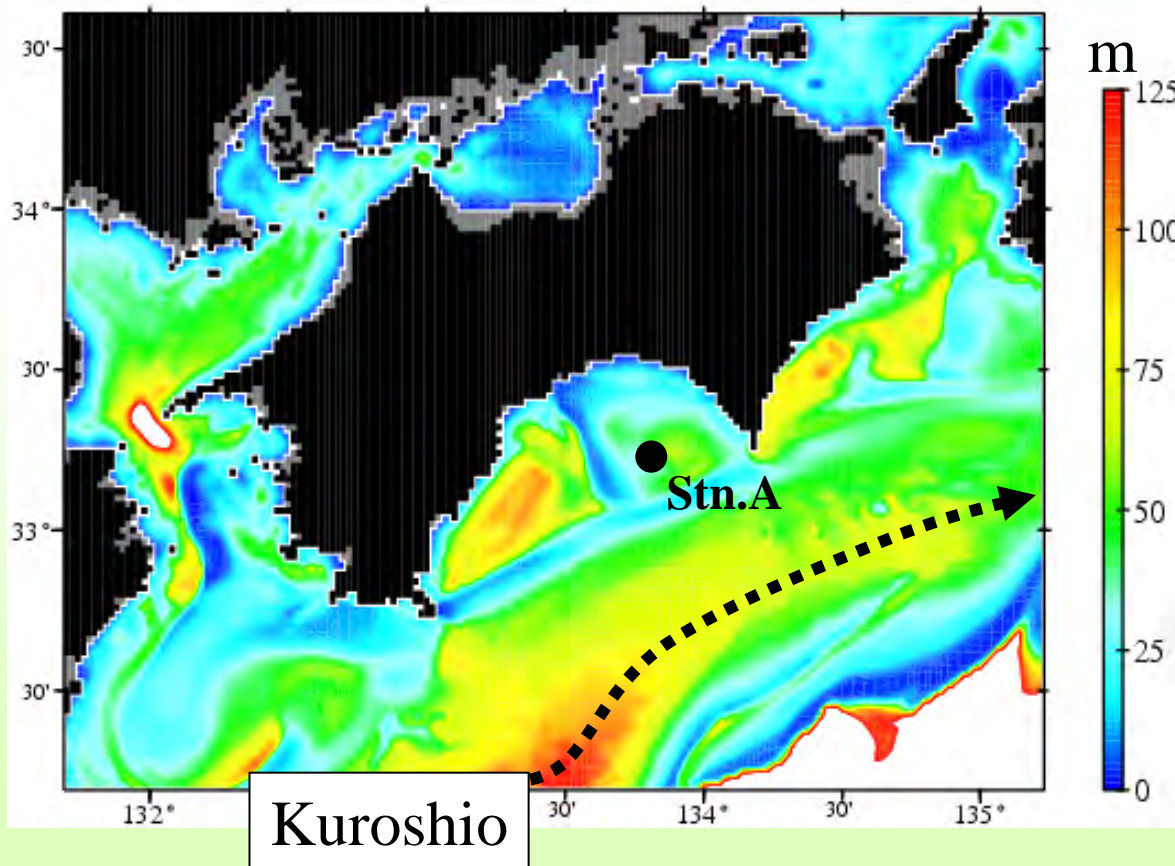


12-hourly time series of mixed layer at Stn.A in Tosa Bay from the 2nd to 5th year





Snapshot of Mixed Layer Depth
20 January in the 3rd year ←



Spatial features

Patch-like deeper ML
Streak-like shallower ML
along the Kuroshio front

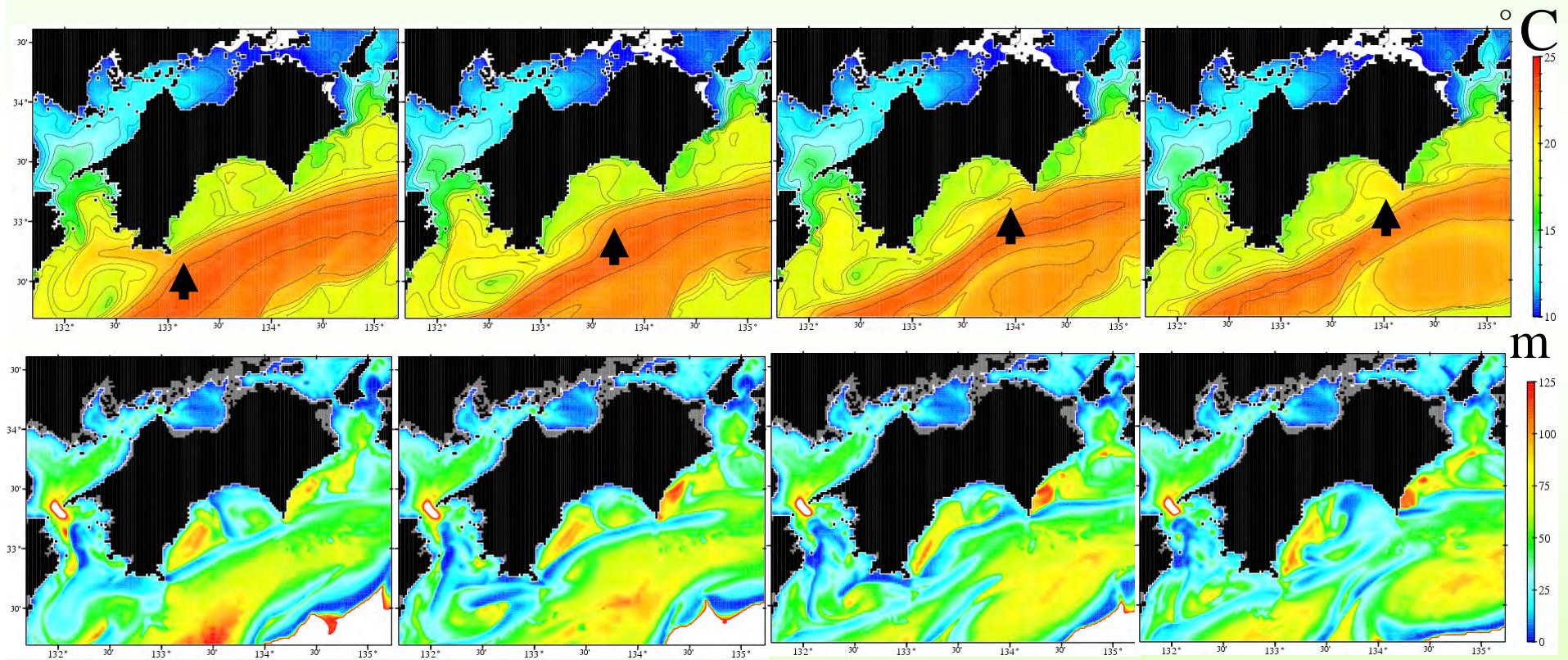
Daily snapshots of SST (upper panels) and ML depth (lower panels)

20 Jan.

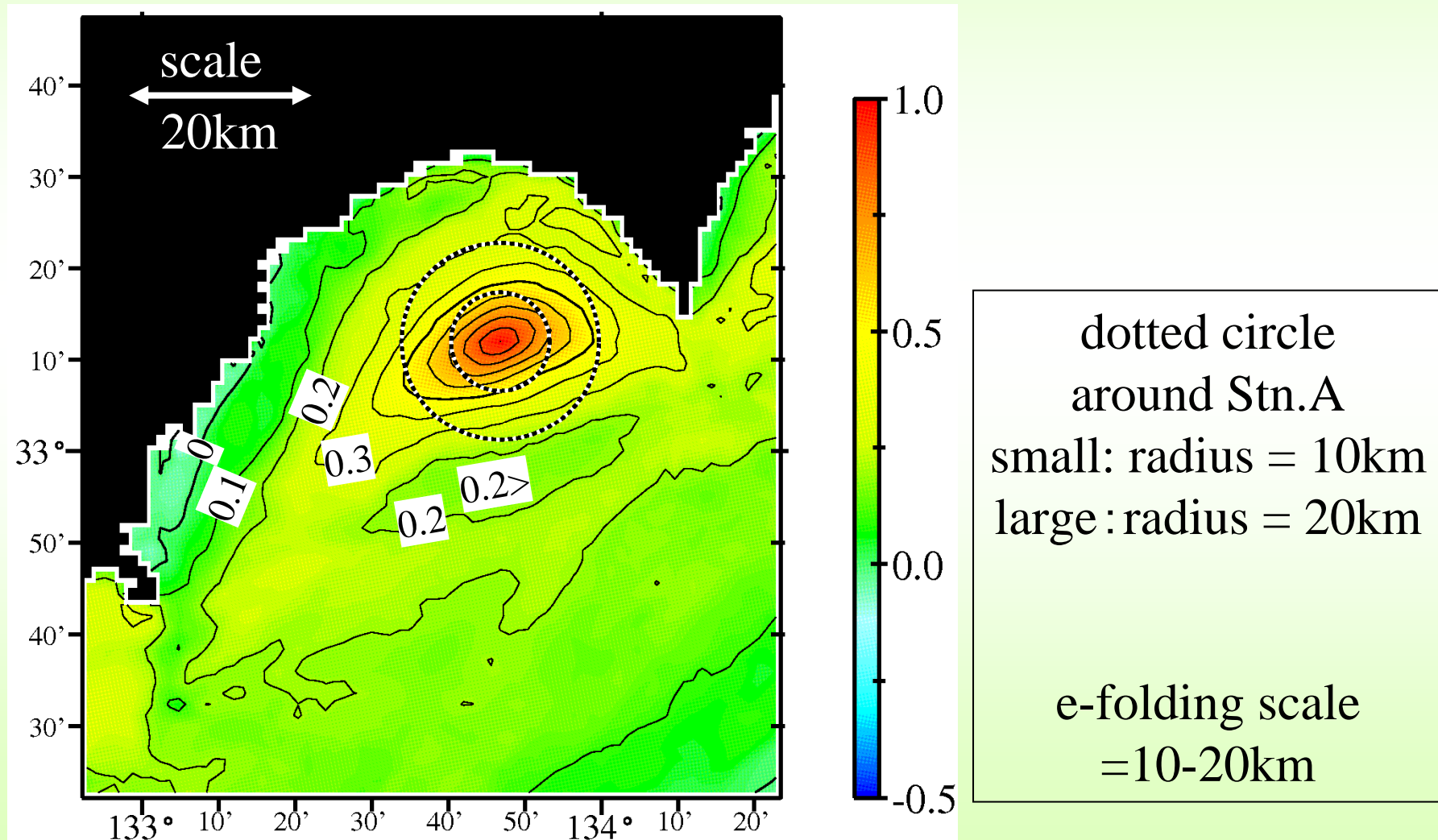
21 Jan.

22 Jan.

23 Jan.



Correlation coefficient of mixed layer depth for Stn.A from January to March



Heat balance of mixed layer temperature at a fixed station (Stn.A)

$$\frac{\partial T_{\text{ML}}}{\partial t} = \left[\frac{1}{\rho C_p} \frac{\partial q}{\partial z} \right] + \frac{1}{h} (\kappa_z \nabla_z T)_{z=0} - \frac{1}{h} (\kappa_z \nabla_z T)_{z=-h}$$

shortwave penetration
longwave sensible and latent heat fluxes
vertical diffusion at ML bottom

Heat flux through the sea surface

$$-\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u} T) dz + \frac{1}{h} (\nabla_H (\kappa_H \nabla_H T)) - \frac{1}{h} \frac{\partial h}{\partial t} \Delta T$$

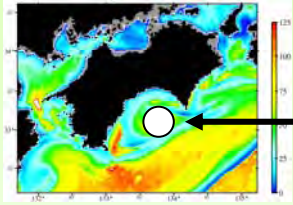
advection
horizontal diffusion
entrainment

$$T_{\text{ML}} = \frac{1}{h} \int_{-h}^0 T dz$$

**Each term is diagnostically estimated from model output
by a method of Kim et al. (2006, JPO)**

Term estimation of the mixed-layer-temperature equation

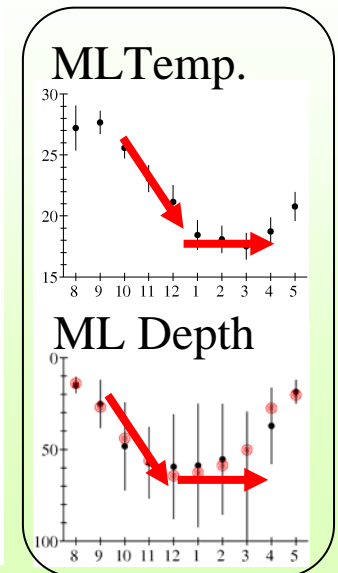
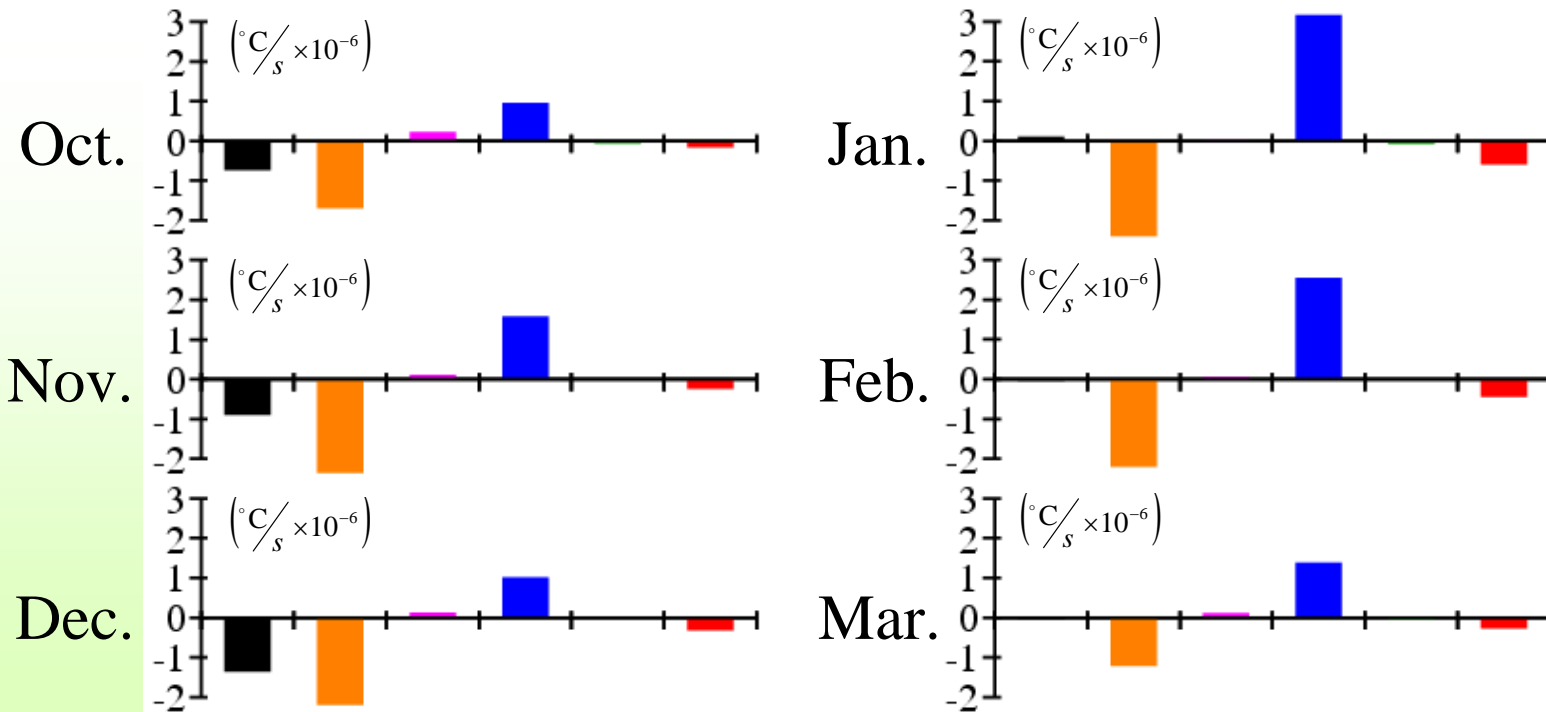
on the slope of Tosa Bay



Part 1: Monthly Mean

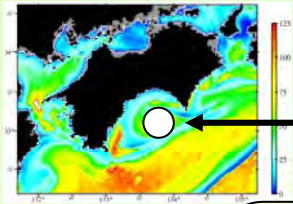
$$\frac{\partial T_{ML}}{\partial t} = \underbrace{\left[\frac{1}{\rho C_p} \frac{\partial q}{\partial z} \right]}_1 + \underbrace{\frac{1}{h} (\kappa_z \nabla_z T)_{z=0}}_2 - \underbrace{\frac{1}{h} (\kappa_z \nabla_z T)_{z=-h}}_3 - \underbrace{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u} T) dz}_4 + \underbrace{\frac{1}{h} (\nabla_H (\kappa_H \nabla_H T))}_5 - \underbrace{\frac{1}{h} \frac{\partial h}{\partial t} \Delta T}_6$$

1. Tendency **2. Heat flux through the sea surface** **3. Vertical diffusion** **4. Advection** **5. Horizontal diffusion** **6. Entrainment**



Term estimation of the mixed-layer-temperature equation

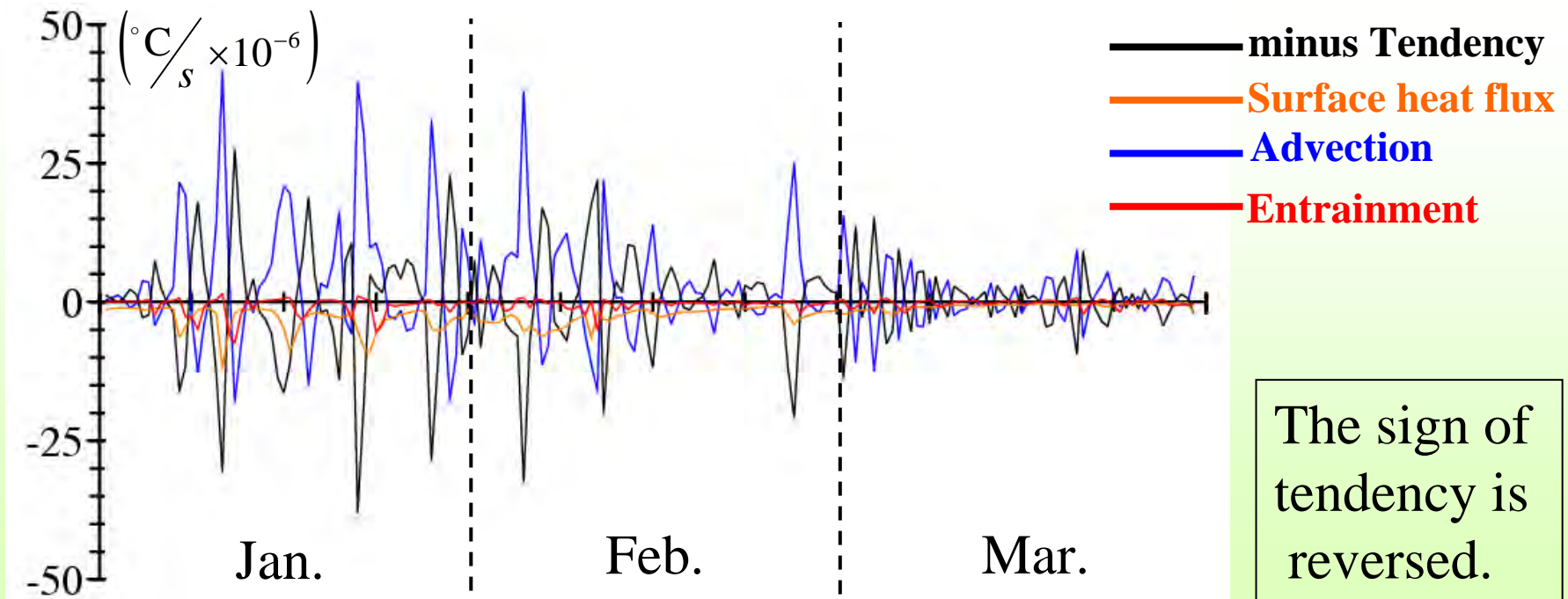
on the slope of Tosa Bay



Part 2: 12-hour mean

$$\underbrace{\frac{\partial T_{ML}}{\partial t}}_{\text{Tendency}} \approx \underbrace{\left[\frac{1}{\rho C_p} \frac{\partial q}{\partial z} \right]}_{\text{Heat flux through the sea surface}} + \frac{1}{h} (\kappa_z \nabla_z T)_{z=0} - \underbrace{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u} T) dz}_{\text{Advection}} - \underbrace{\frac{1}{h} \frac{\partial h}{\partial t} \Delta T}_{\text{Entrainment}}$$

12-hour time series from January to March in the 3rd year



Decomposition of monthly mean advection

Original
term

$$-\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u} T) dz$$

$\mathbf{u} = (u, v, w)$

$$\mathbf{u} = \bar{\mathbf{u}} + \mathbf{u}'_L + \mathbf{u}'_H$$

$$T = \bar{T} + T'_L + T'_H$$

Average Low Frequency (>30-day period) High Frequency (Intra-monthly)

$$\begin{aligned} \nabla \cdot \mathbf{u} T &= \nabla \cdot (\bar{\mathbf{u}} + \mathbf{u}'_L + \mathbf{u}'_H) (\bar{T} + T'_L + T'_H) \\ &= \nabla \cdot \bar{\mathbf{u}} \bar{T} + \nabla \cdot \bar{\mathbf{u}} T'_L + \nabla \cdot \bar{\mathbf{u}} T'_H \\ &\quad + \nabla \cdot \mathbf{u}'_L \bar{T} + \nabla \cdot \mathbf{u}'_L T'_L + \nabla \cdot \mathbf{u}'_L T'_H \\ &\quad + \nabla \cdot \mathbf{u}'_H \bar{T} + \nabla \cdot \mathbf{u}'_H T'_L + \nabla \cdot \mathbf{u}'_H T'_H \end{aligned}$$

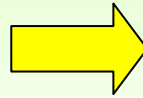
$$-\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u} T) dz$$

$$\begin{aligned} &= -\frac{1}{h} \int_{-h}^0 (\nabla \cdot \bar{\mathbf{u}} \bar{T}) dz - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \bar{\mathbf{u}} T'_L) dz - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \bar{\mathbf{u}} T'_H) dz \\ &\quad - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_L \bar{T}) dz - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_L T'_L) dz - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_L T'_H) dz \\ &\quad - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_H \bar{T}) dz - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_H T'_L) dz - \frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_H T'_H) dz \end{aligned}$$

If h is constant,
Orange Terms=0

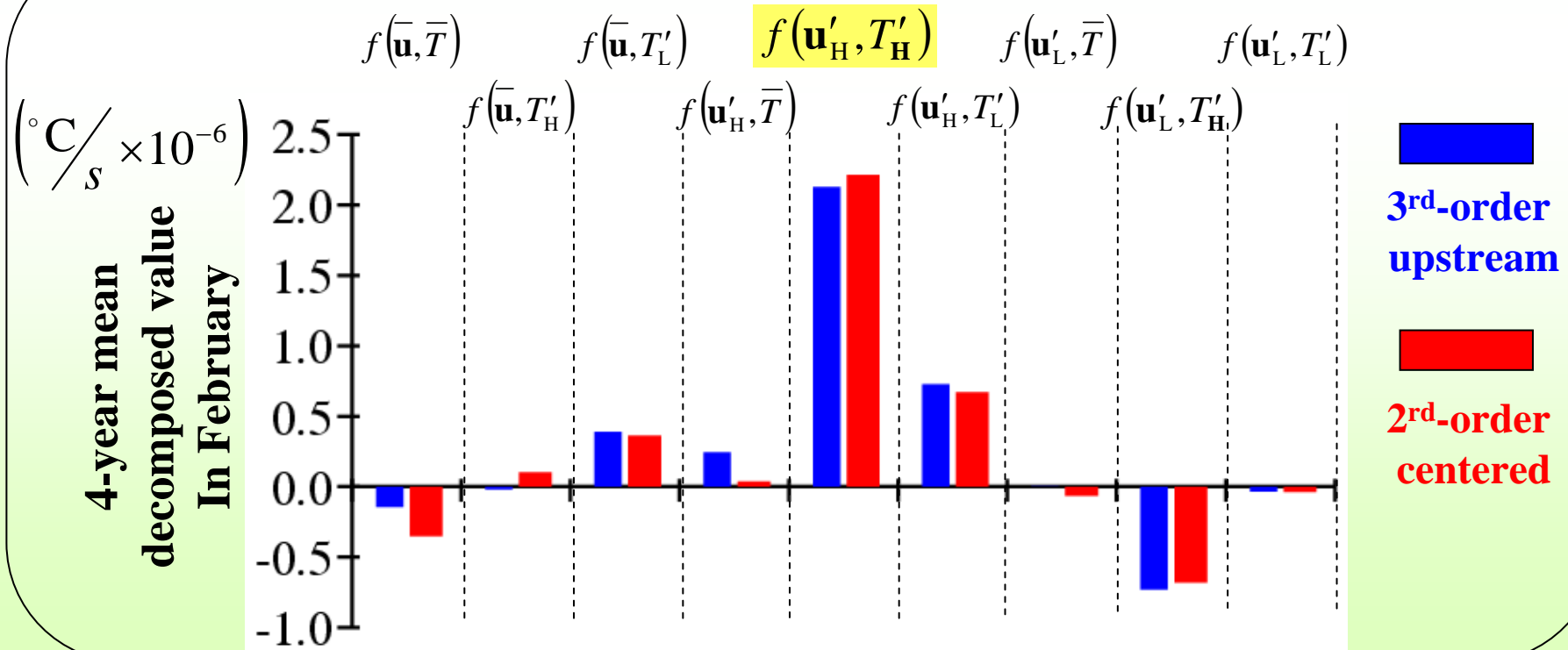
Contribution of decomposed components (February)

$$\begin{aligned}
 & \overline{-\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u} T) dz} \\
 &= \overline{-\frac{1}{h} \int_{-h}^0 (\nabla \cdot \bar{\mathbf{u}} \bar{T}) dz} - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \bar{\mathbf{u}} T'_L) dz} - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \bar{\mathbf{u}} T'_H) dz} \\
 & \quad - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_L \bar{T}) dz} - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_L T'_L) dz} - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_L T'_H) dz} \\
 & \quad - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_H \bar{T}) dz} - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_H T'_L) dz} - \overline{\frac{1}{h} \int_{-h}^0 (\nabla \cdot \mathbf{u}'_H T'_H) dz}
 \end{aligned}$$



$$\begin{aligned}
 & f(\mathbf{u}, T) \\
 &= f(\bar{\mathbf{u}}, \bar{T}) + f(\bar{\mathbf{u}}, T'_L) + f(\bar{\mathbf{u}}, T'_H) \\
 & \quad + f(\mathbf{u}'_L, \bar{T}) + f(\mathbf{u}'_L, T'_L) + f(\mathbf{u}'_L, T'_H) \\
 & \quad + f(\mathbf{u}'_H, \bar{T}) + f(\mathbf{u}'_H, T'_L) + f(\mathbf{u}'_H, T'_H)
 \end{aligned}$$

Intra-monthly eddy heat advection



Conclusions

Seasonal cycle of ML depth and temperature exhibits two regimes

1. September to November

Monthly mean ML depth increases & ML temperature decreases

2. January to March

Monthly mean ML depth and temperature become constant

For the monthly mean heat balance in the ML
Heat flux through the sea surface + entrainment ~
advection



eddy heat advection

There is dominant intra-monthly submesoscale variability associated with the Kuroshio or its frontal disturbances

Intra-monthly variation contributes significantly to the monthly/seasonal variation of heat balance within the ML

Thank you for your attention

