

The effect of Ojo de Liebre Lagoon on the hydrodynamics of Bahia Vizcaino

I.Ramírez (1), R. Navarro (2), E. Santamaría (3) M. Ortiz (1) R. Ramírez (1)
and H. Bustos (3)

1:CICESE, 2:SEMAR, 3: UABC

PICES 2018

Sanctuary of the gray whale
and the biggest Salt company
of the world



Objectives/Team



- SEMAR-CICESE-UABC
- To characterize, define and describe the hydrodynamic of Vizcaino Bay to define the better sites for discharge residual waters

Measurements and Modeling

- Field campaign, August 2017
- Field campaign March 2018
- Field campaign Abril 2018
- Modeling August 2017

data

Collected in situ

- CTD: Salinity, temperature, turbidity, ph, oxygen.
- 9 sites and a time series
- Drogues trajectories

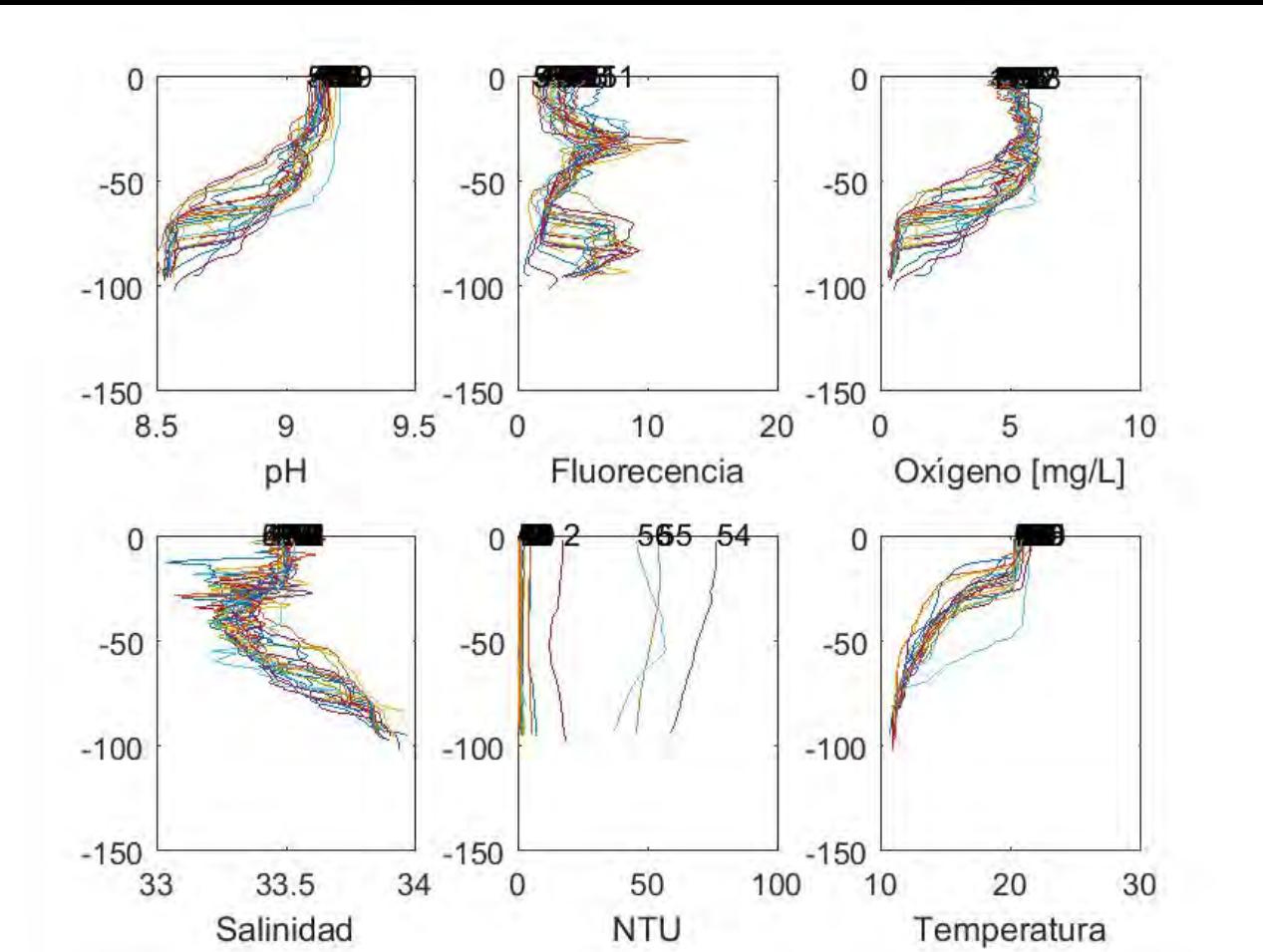
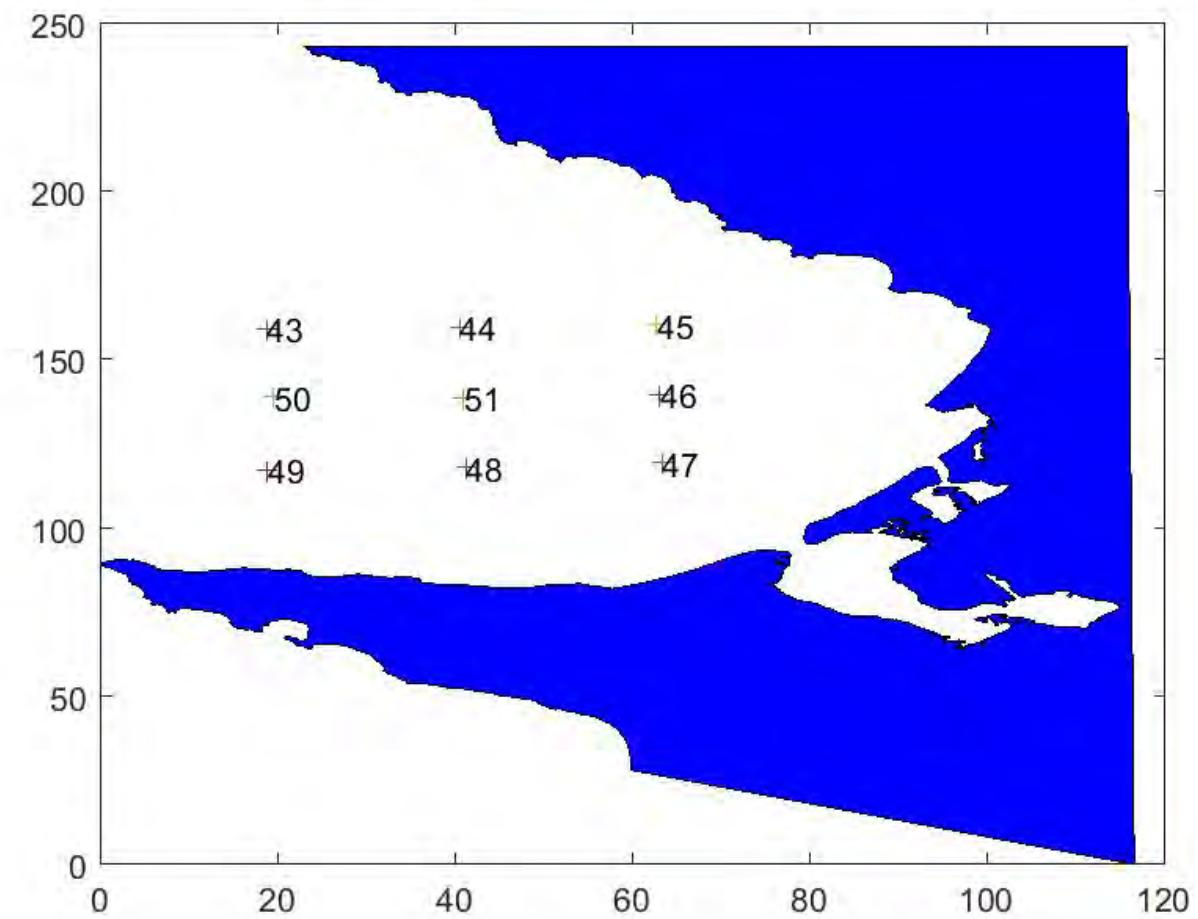
Collected for the model for OB

- Time series of sea level from Cedros Island Station
- Time series of meteorological variables from Cedros Island

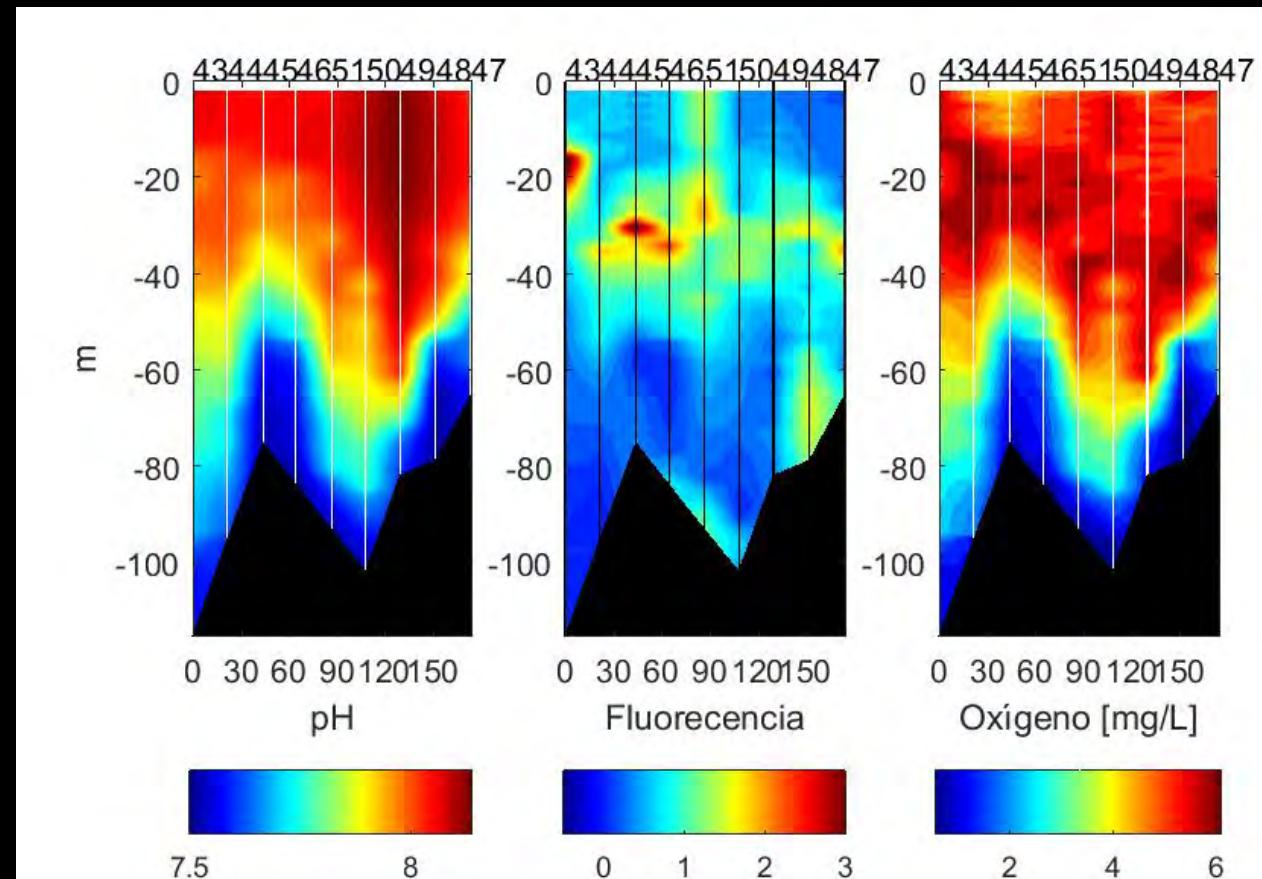
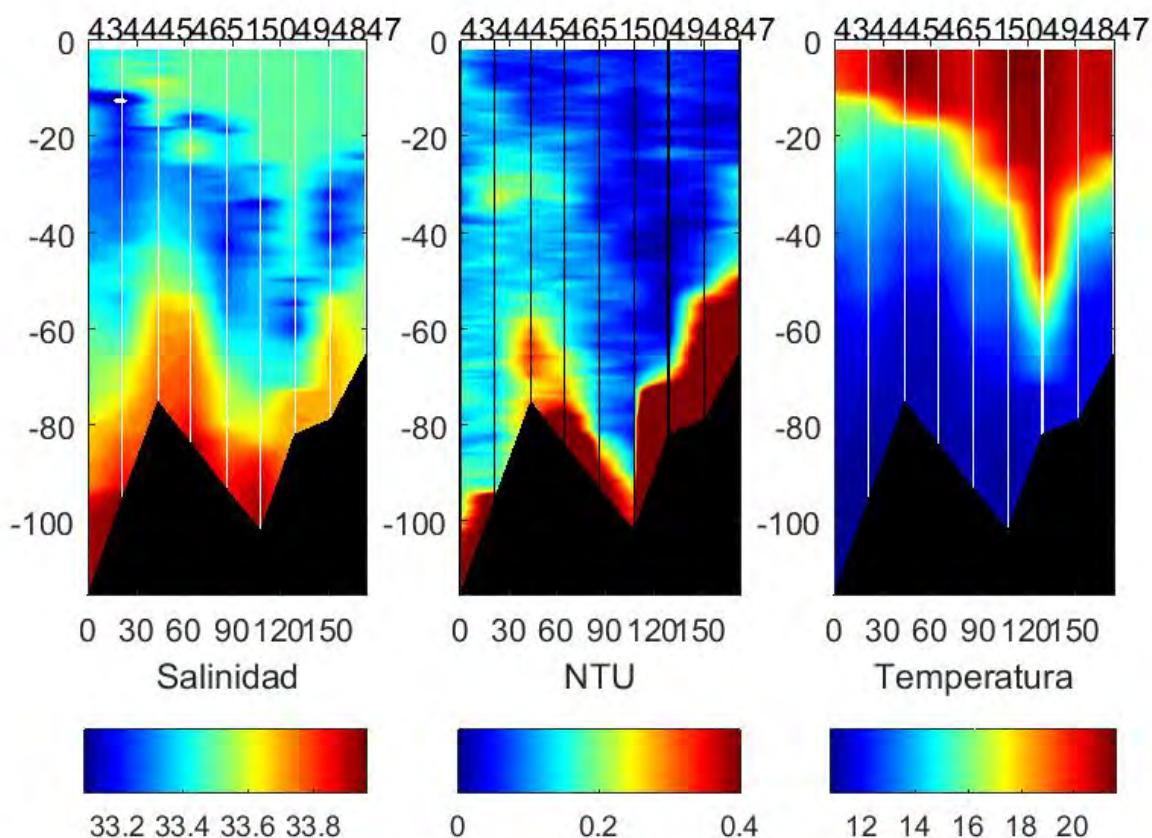
CTD and Rio Tecolutla RV



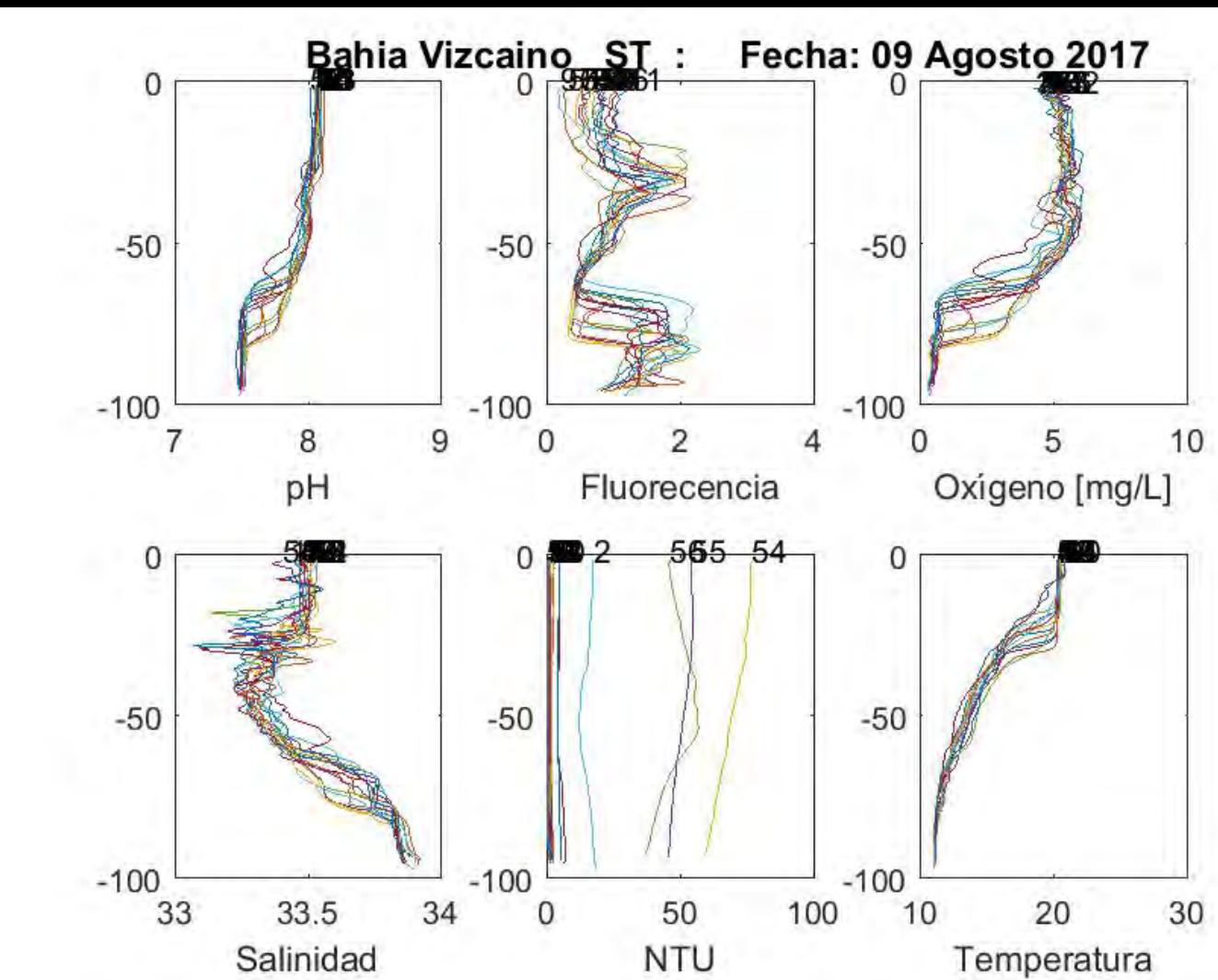
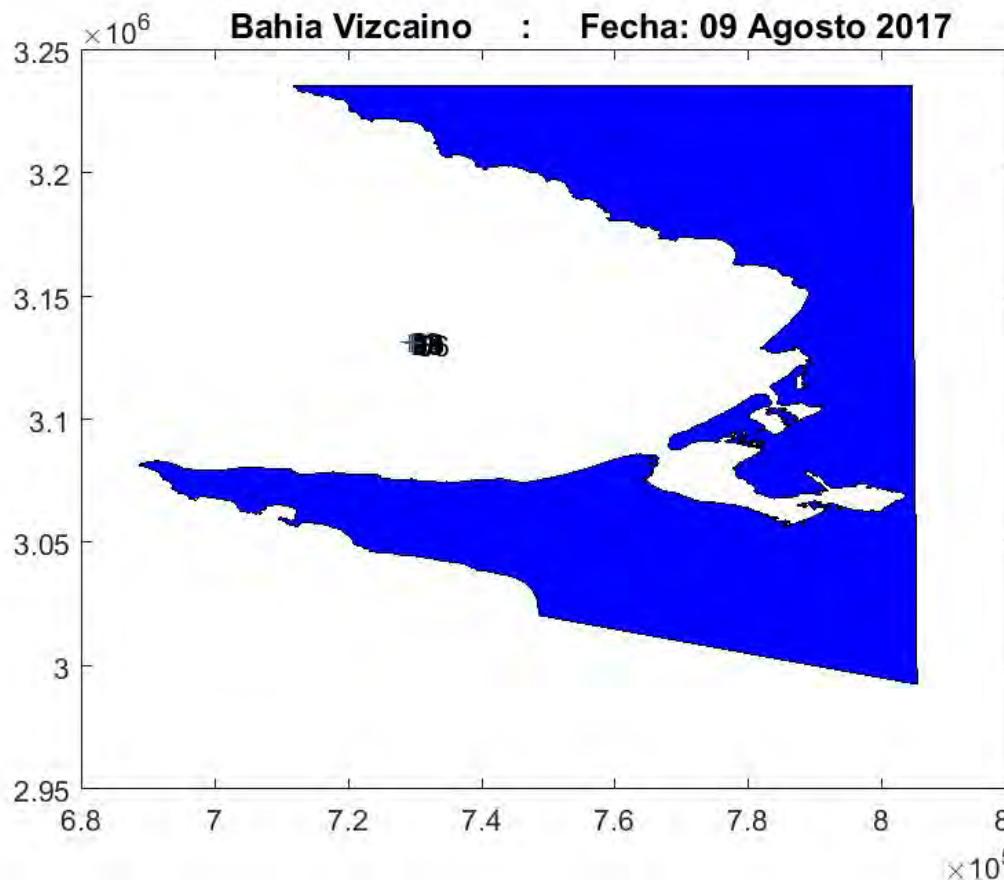
Field results CTD profiles



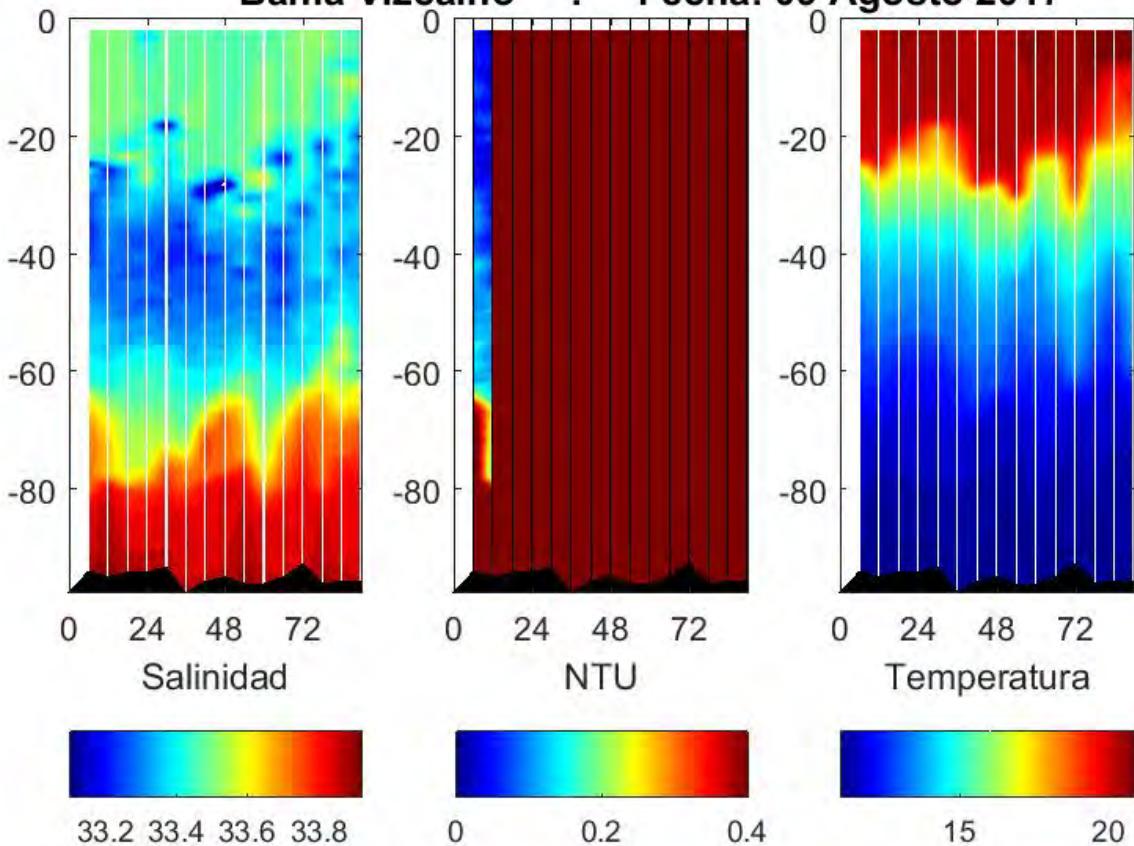
August 2017



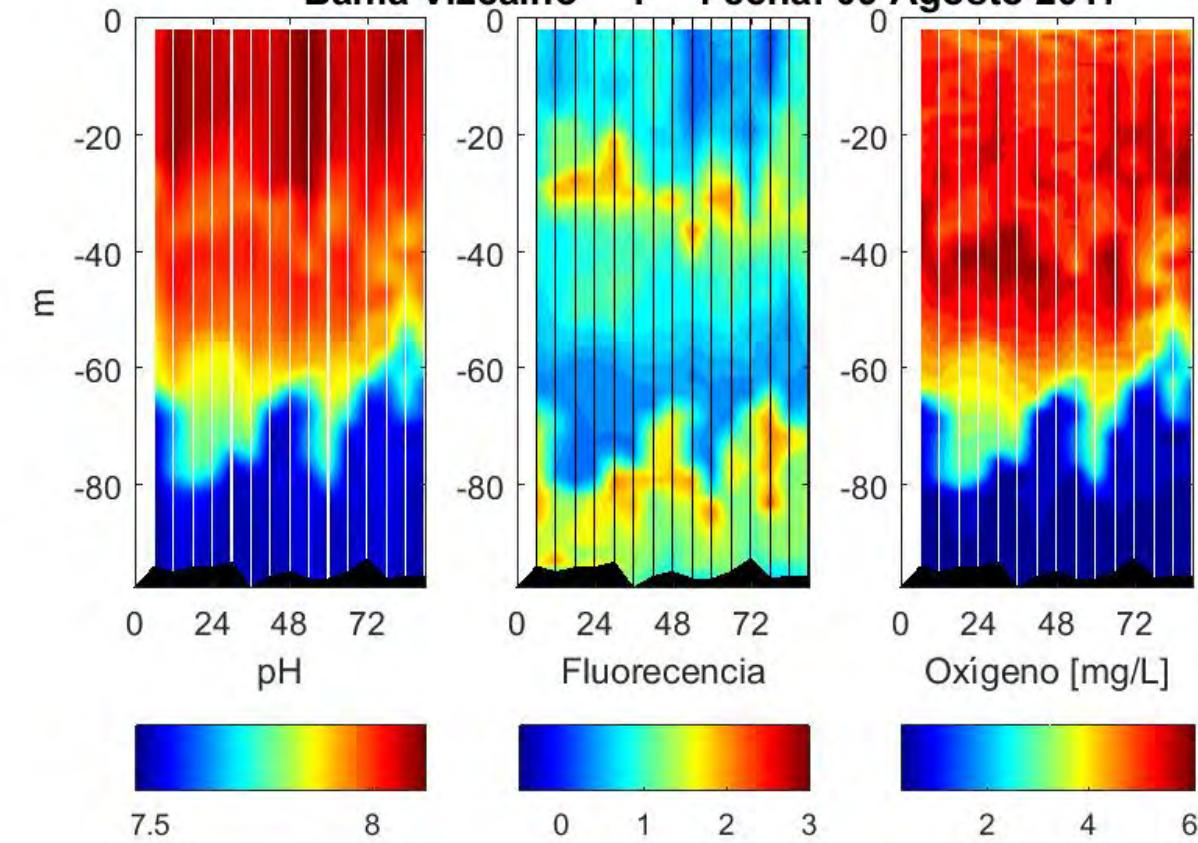
Time Serie

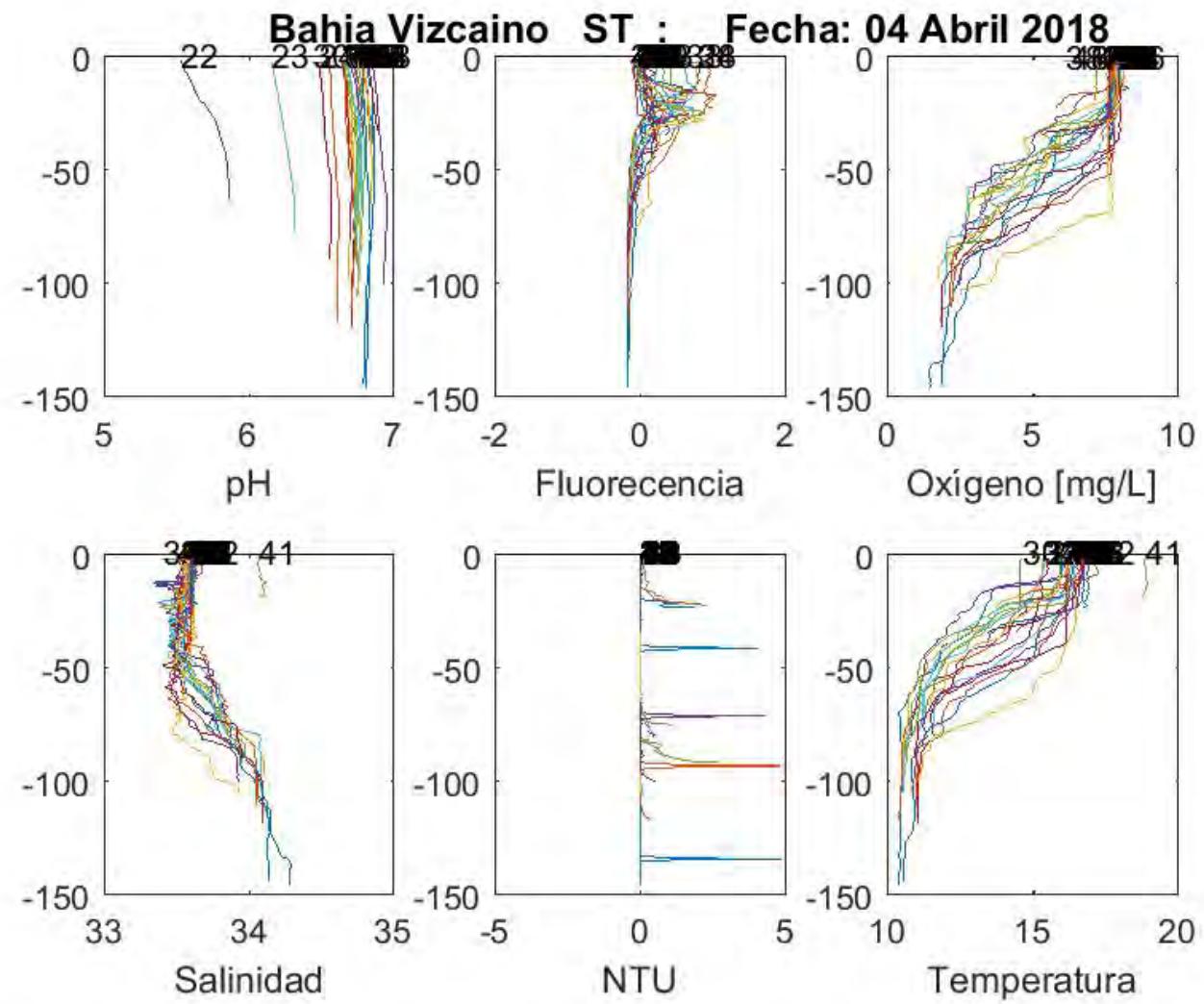
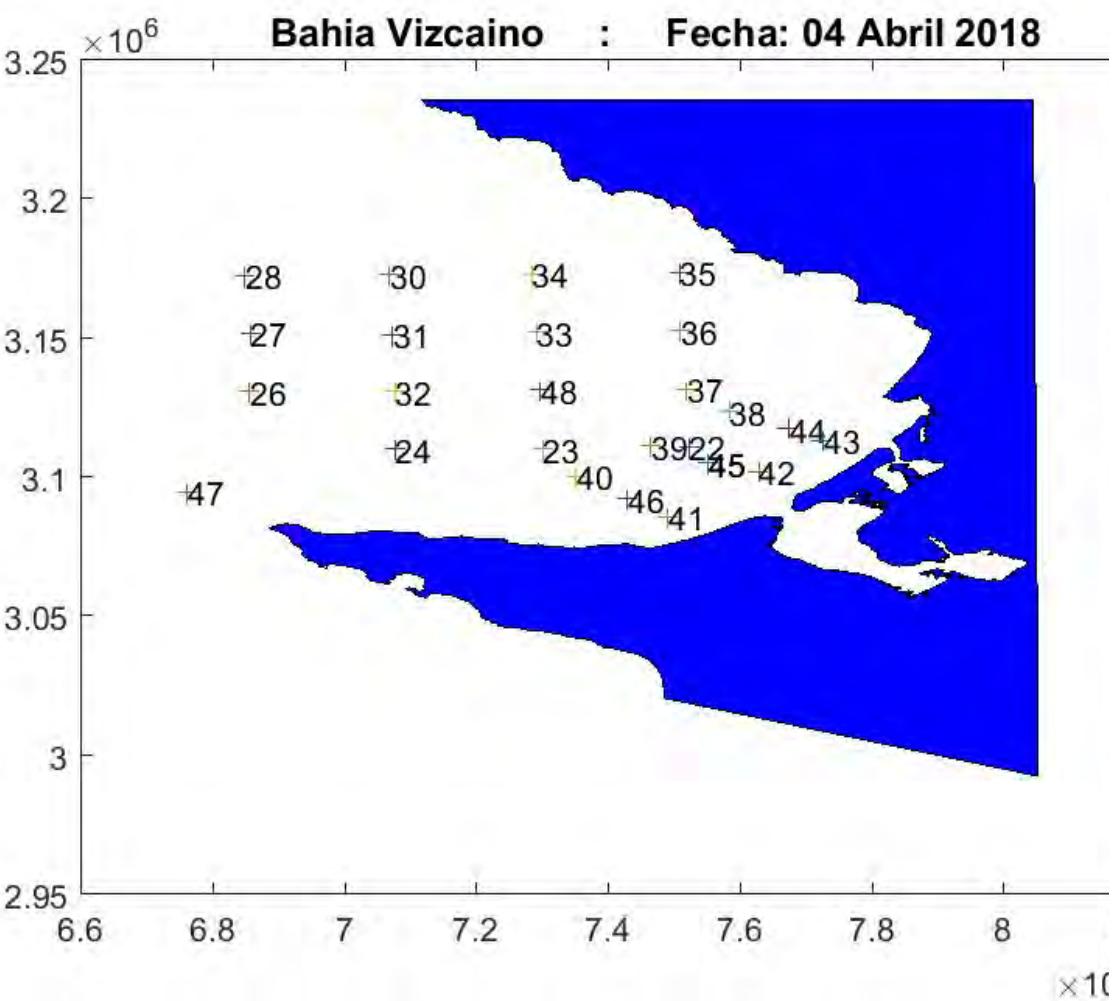


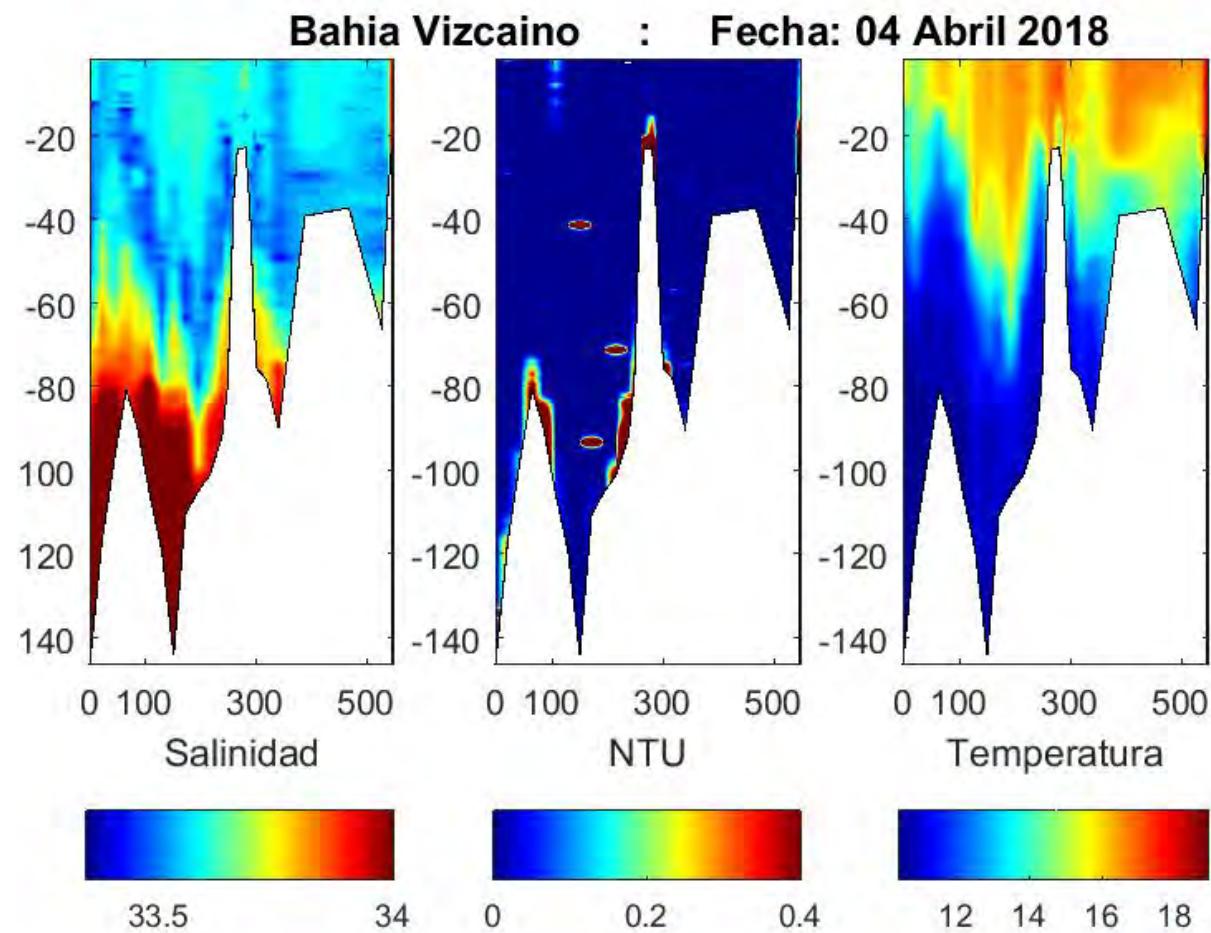
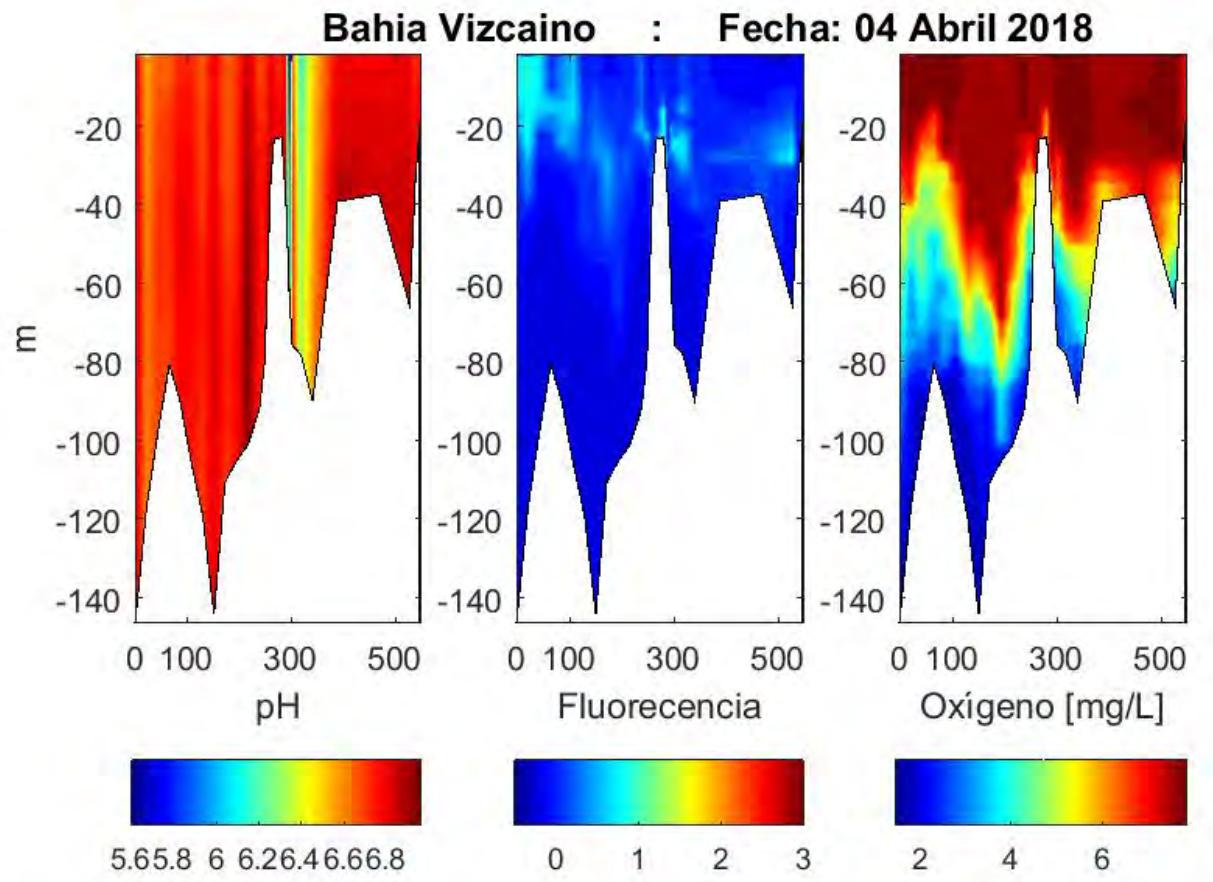
Bahia Vizcaino : Fecha: 09 Agosto 2017

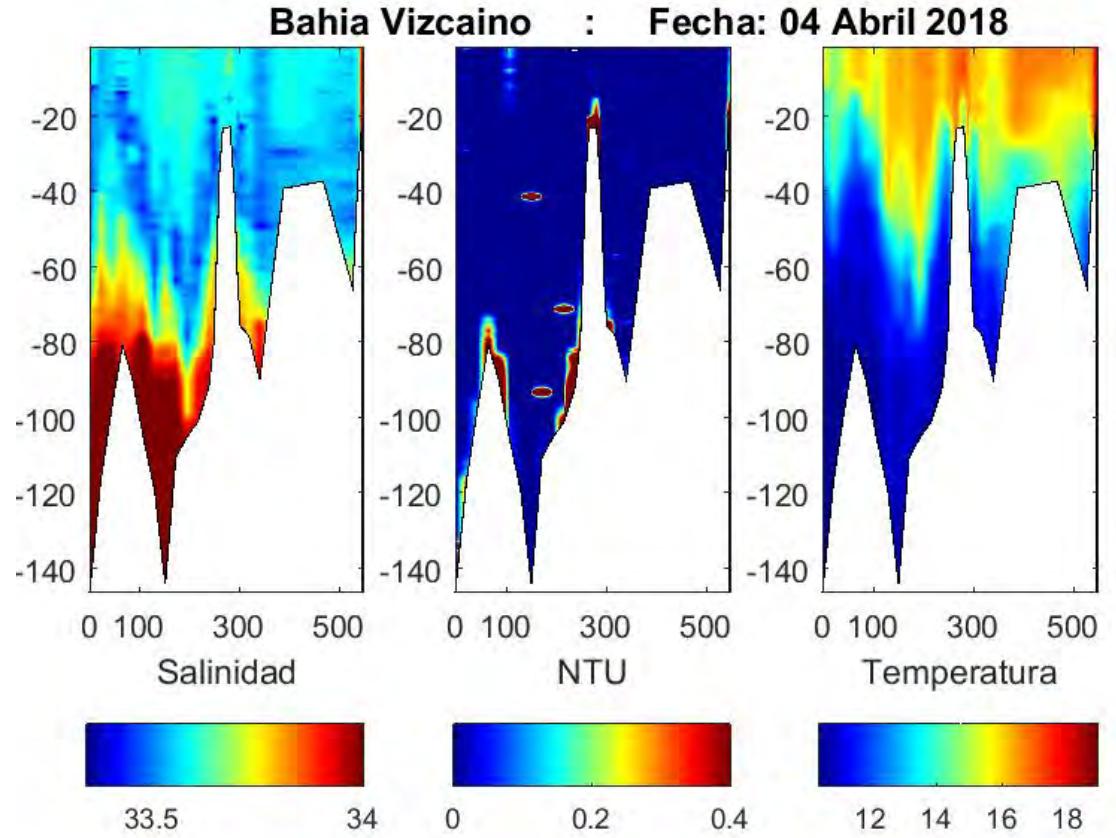
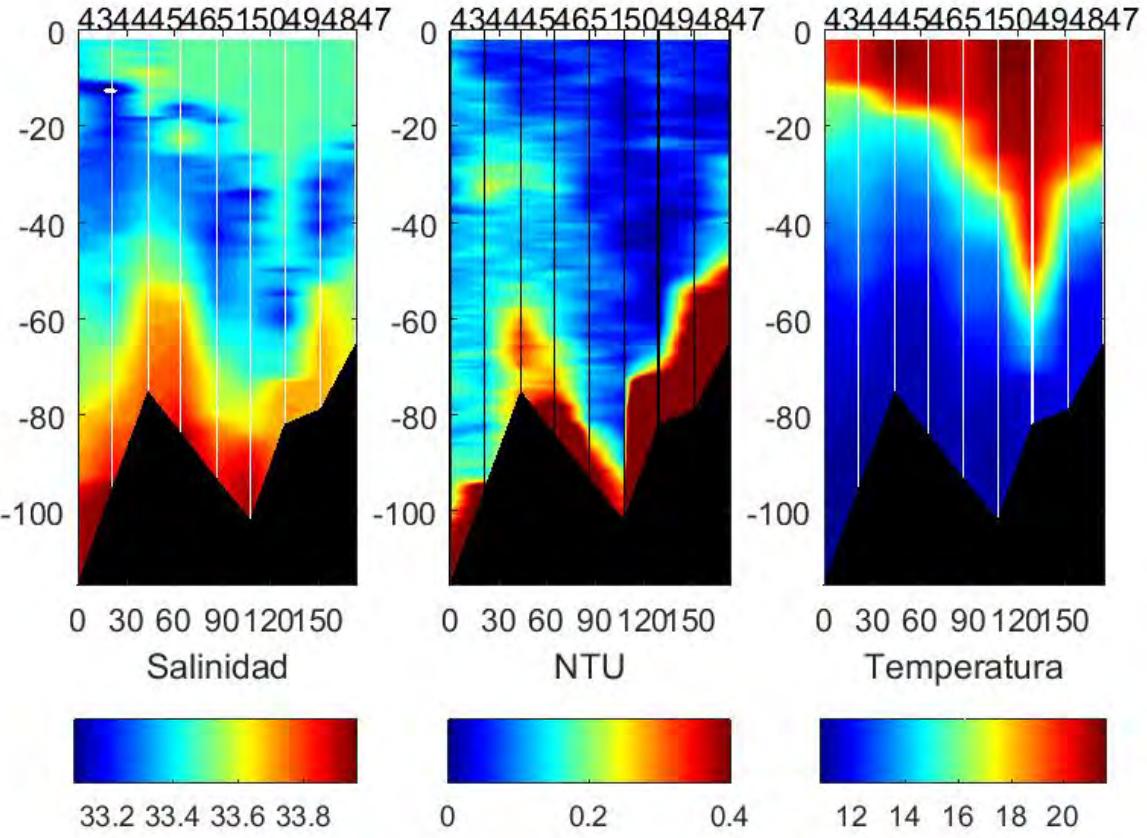


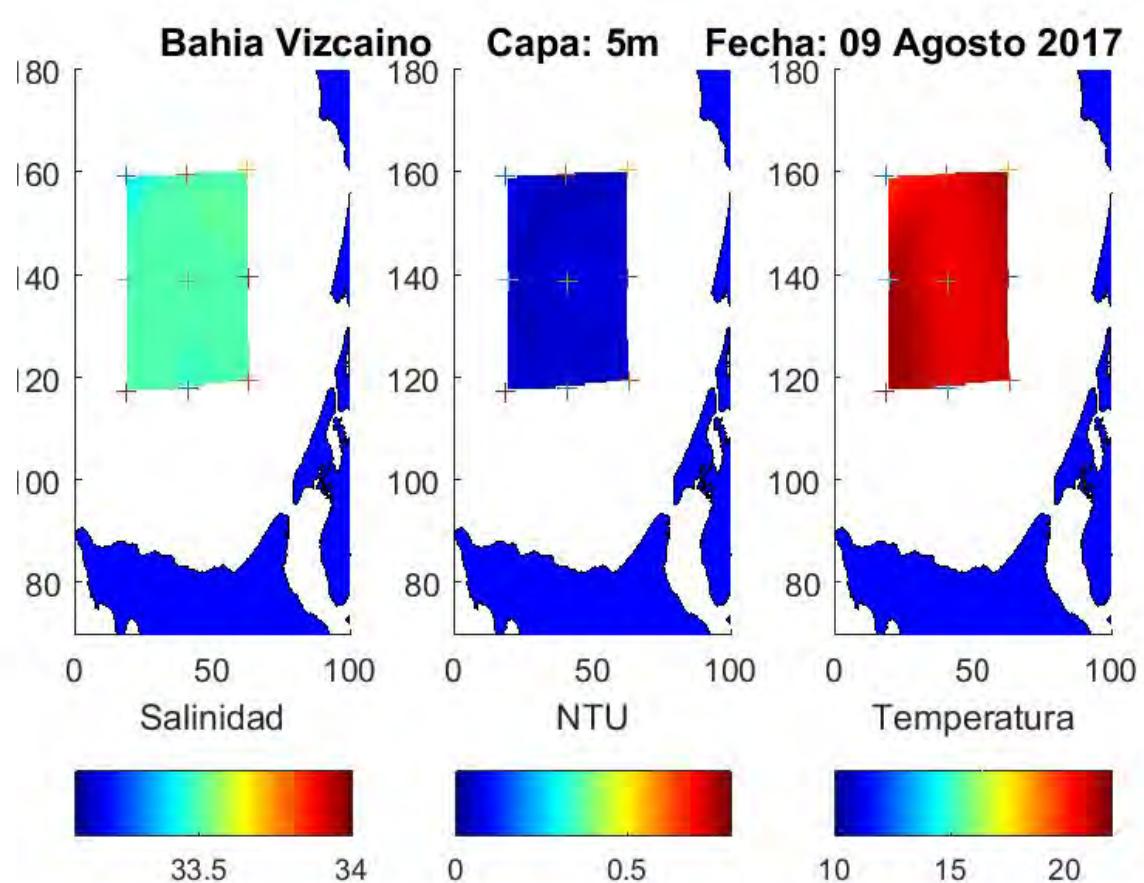
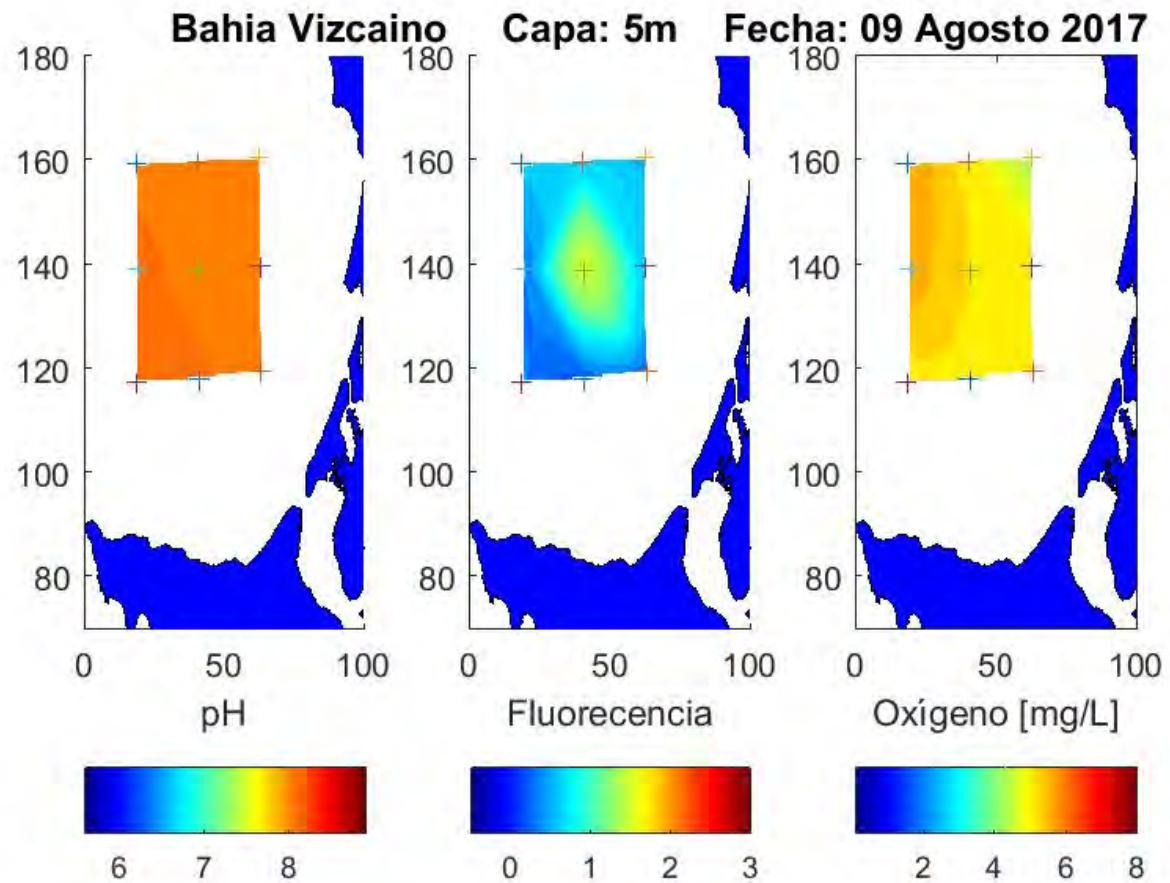
Bahia Vizcaino : Fecha: 09 Agosto 2017

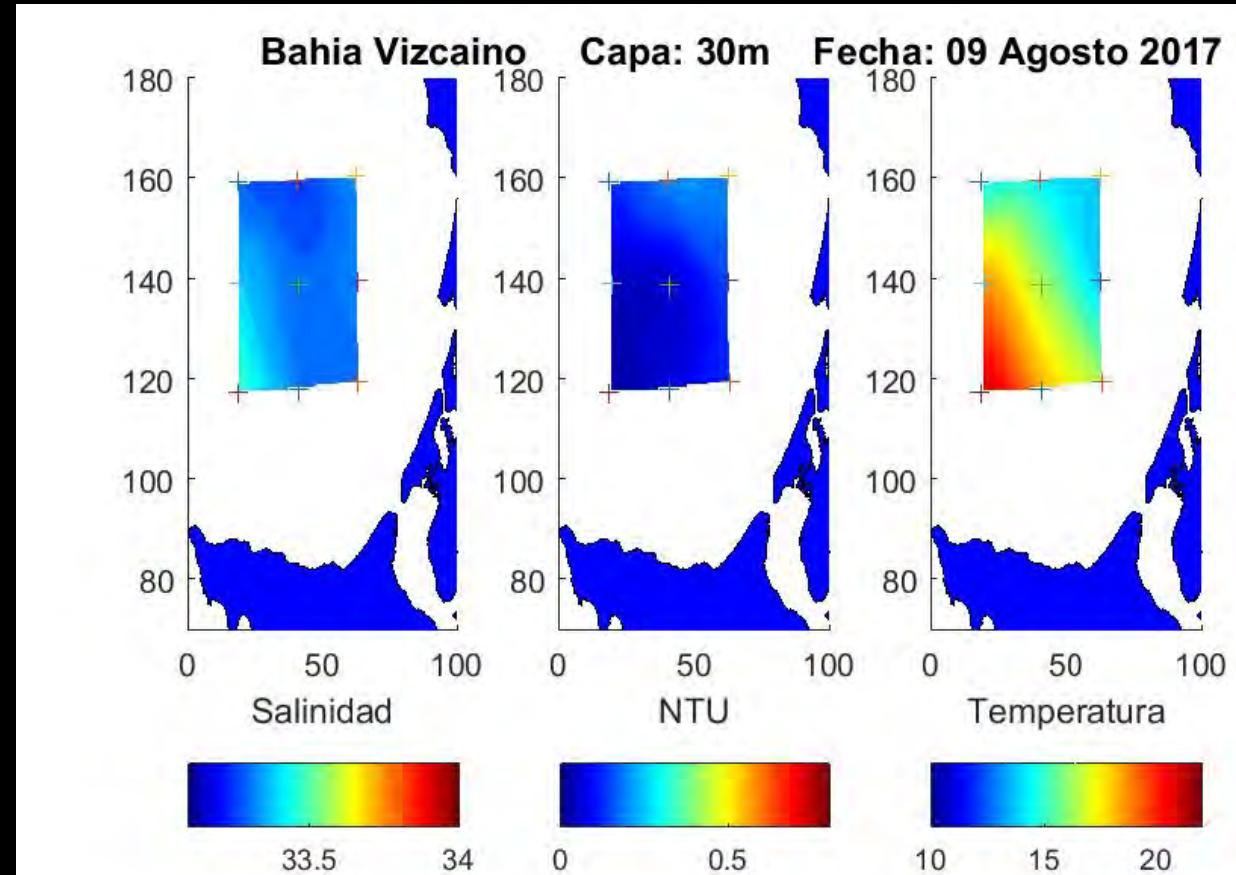
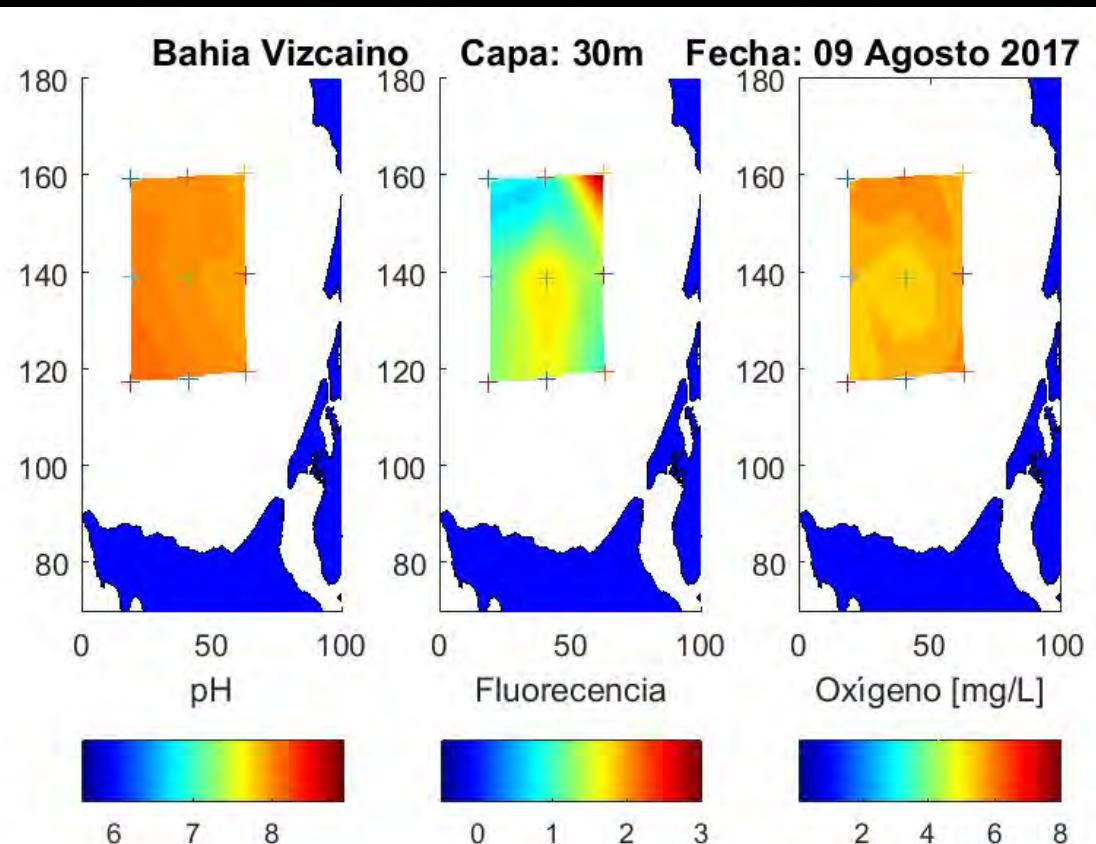


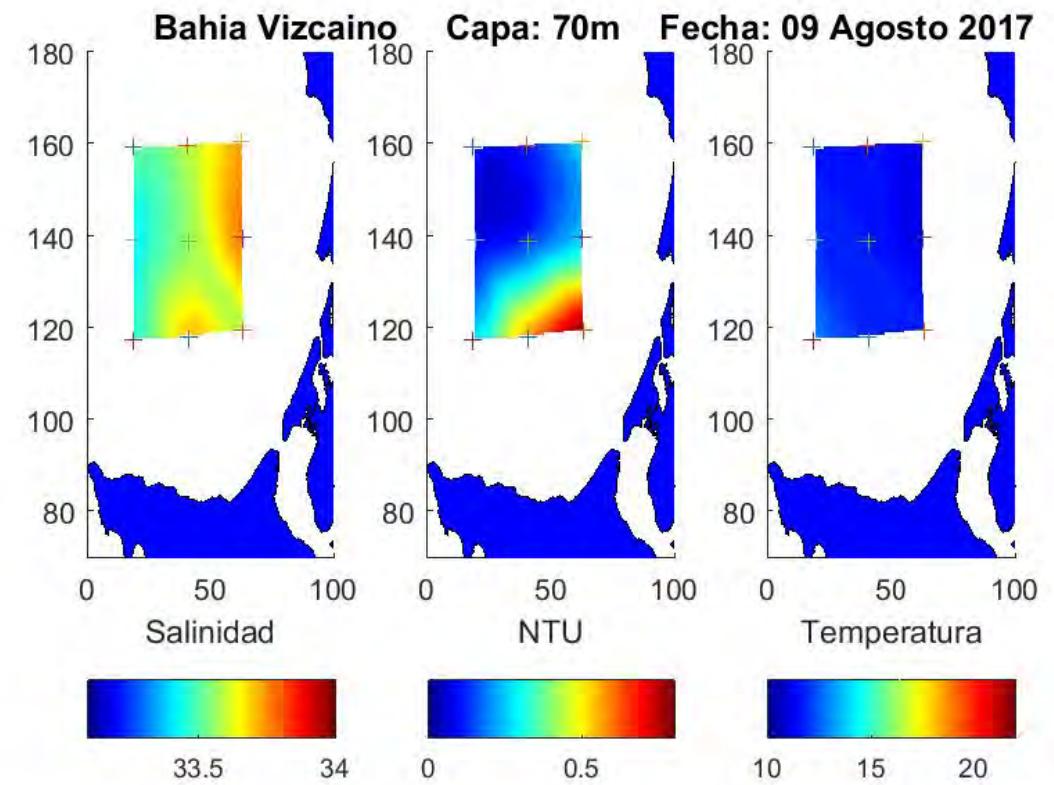
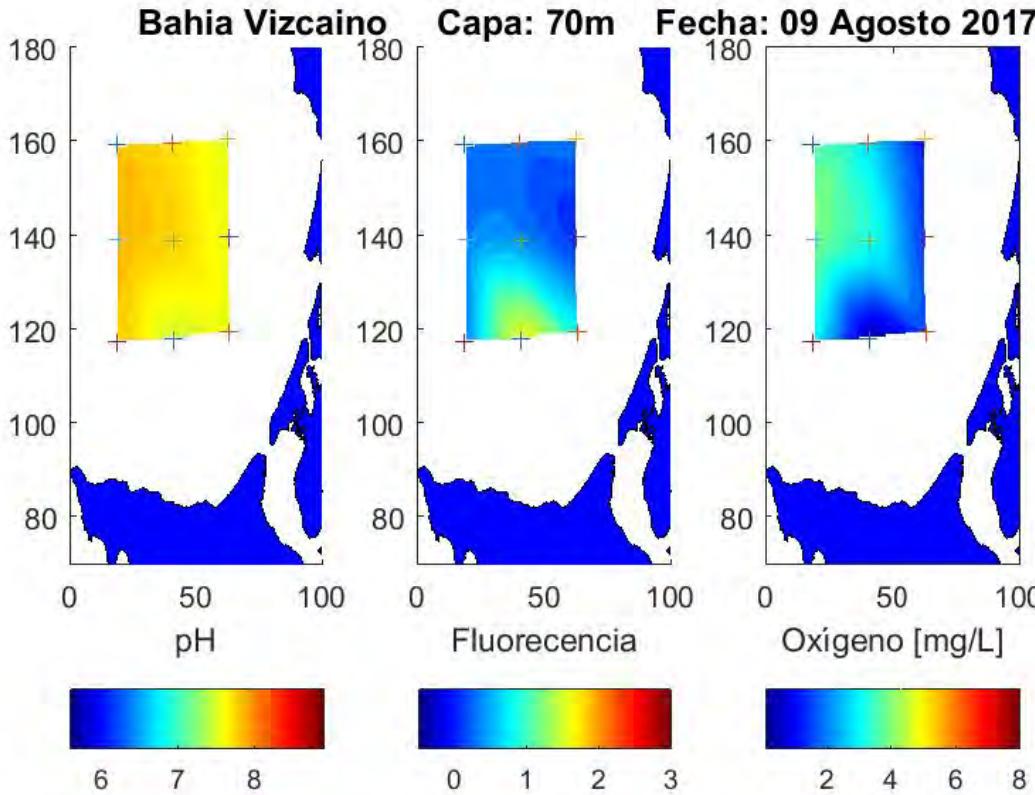


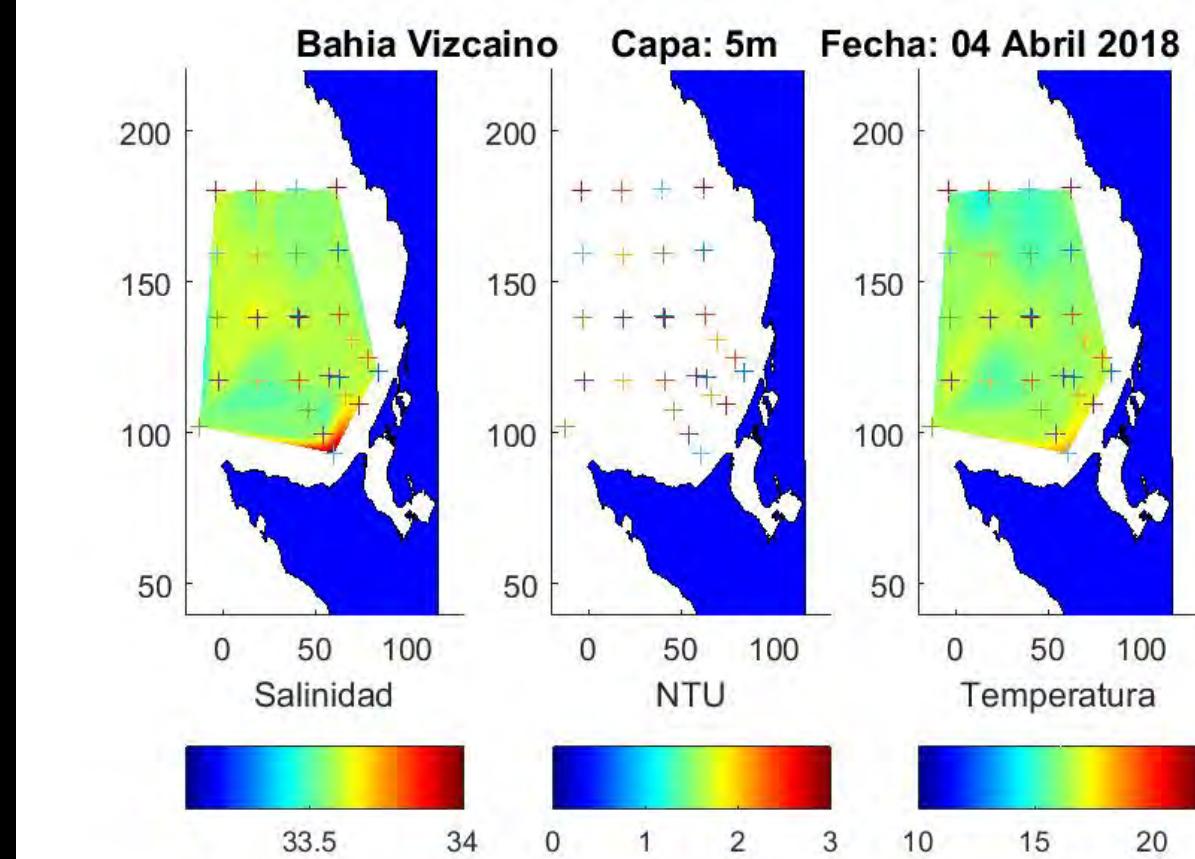
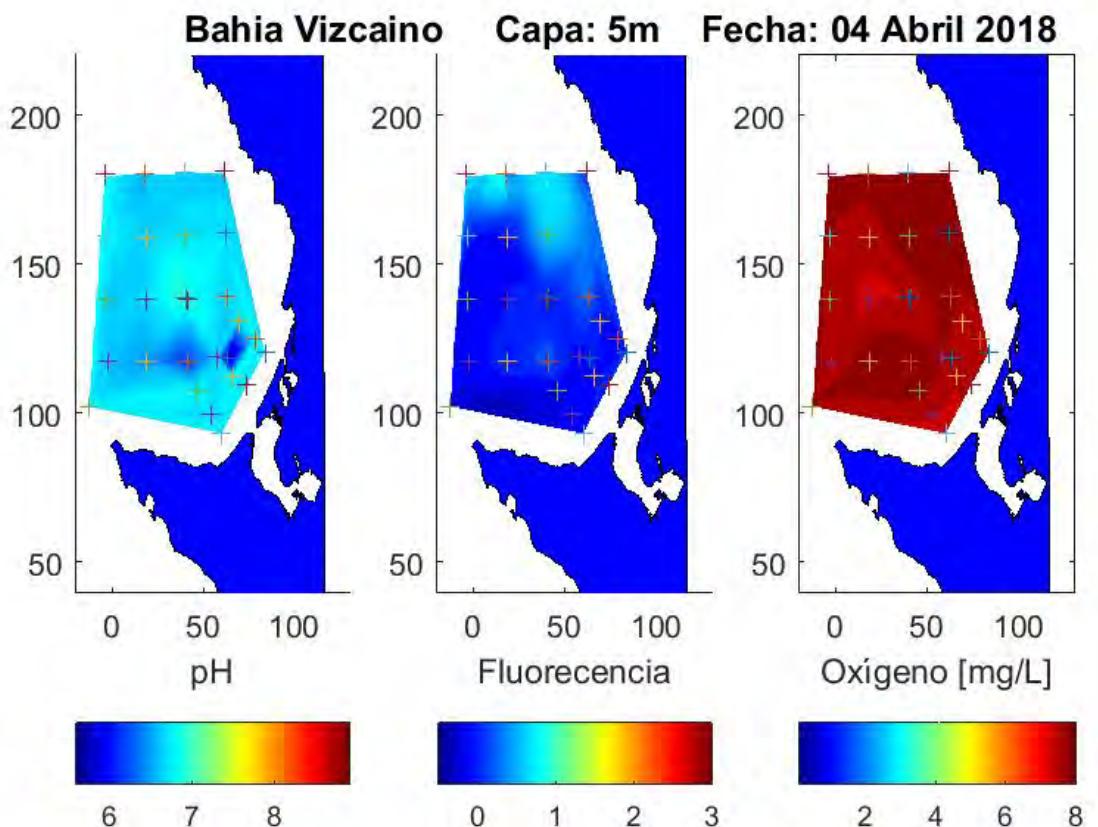


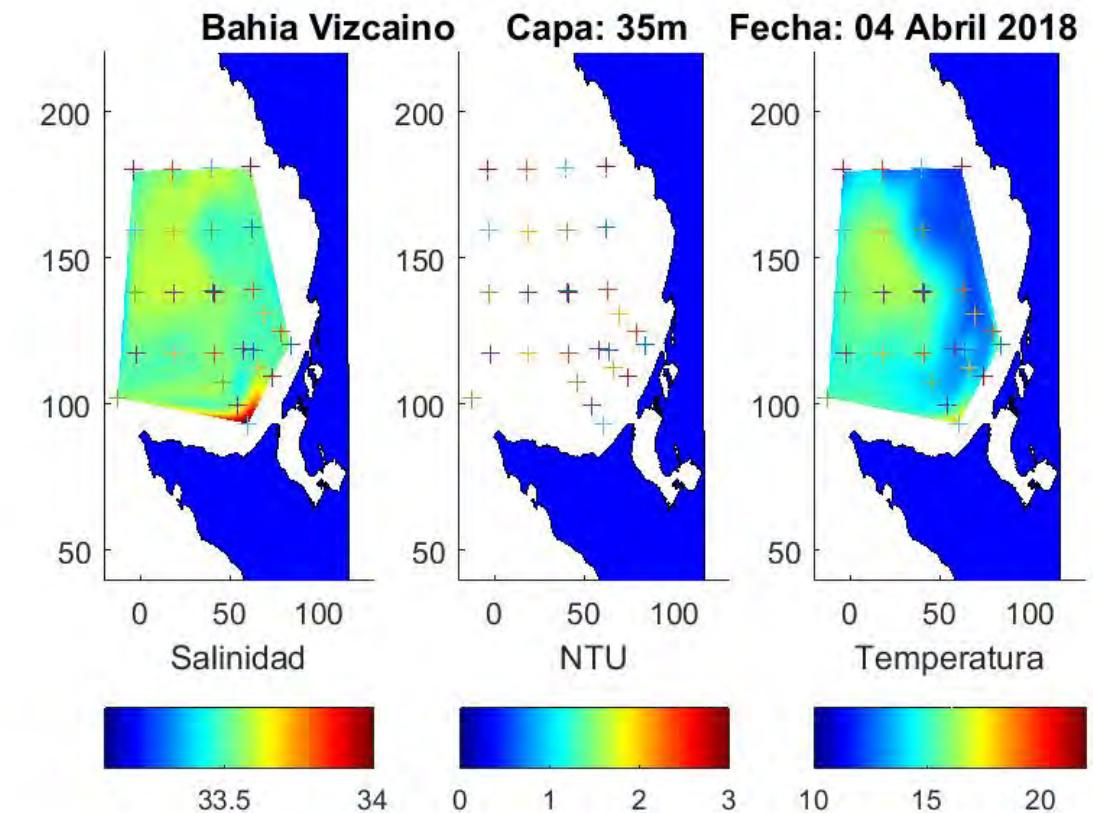
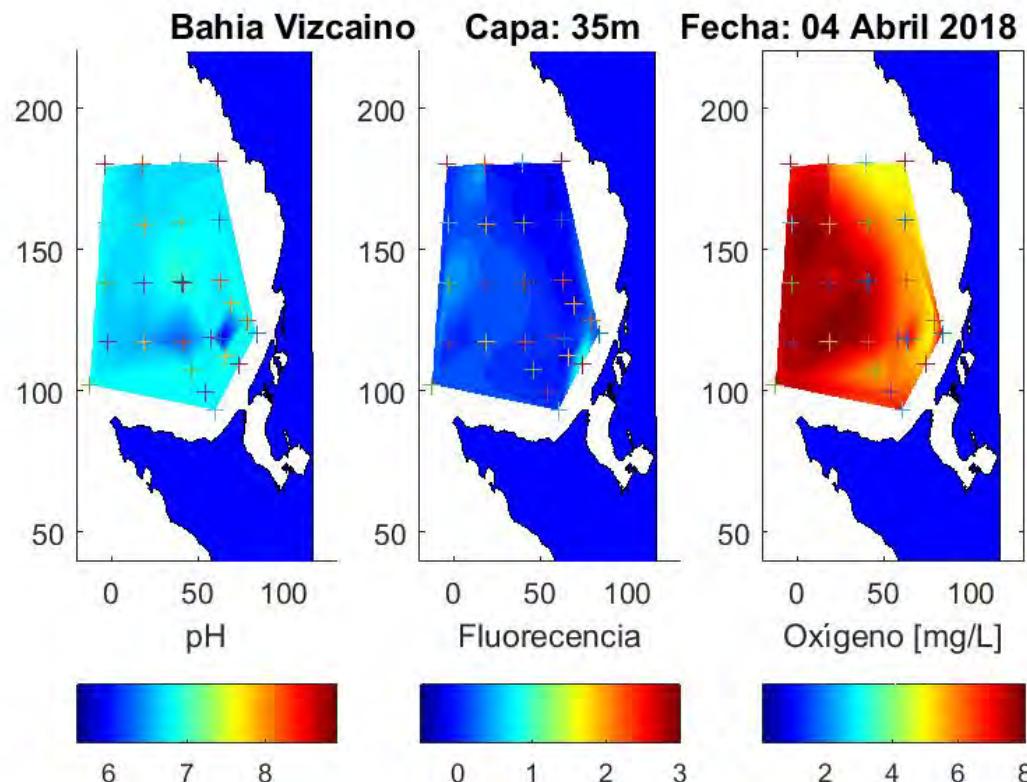




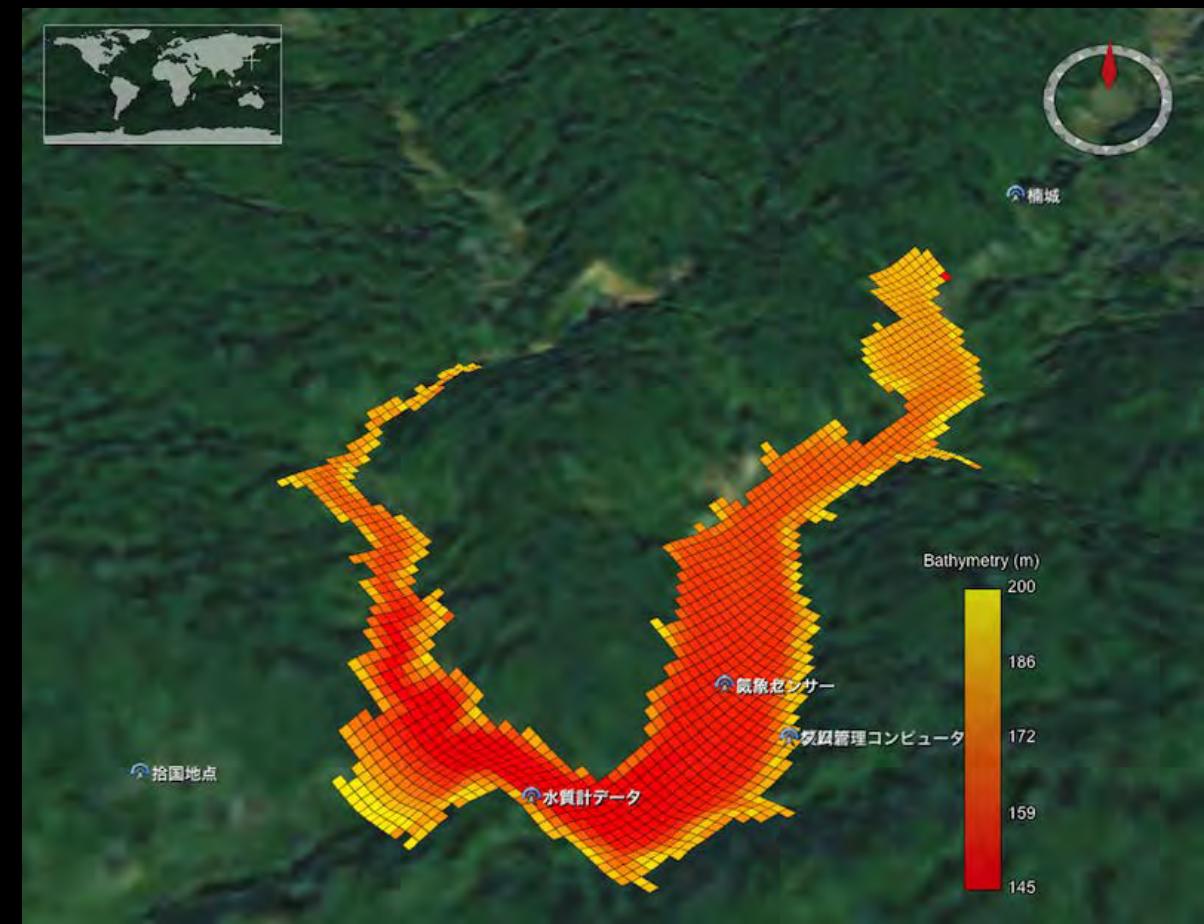
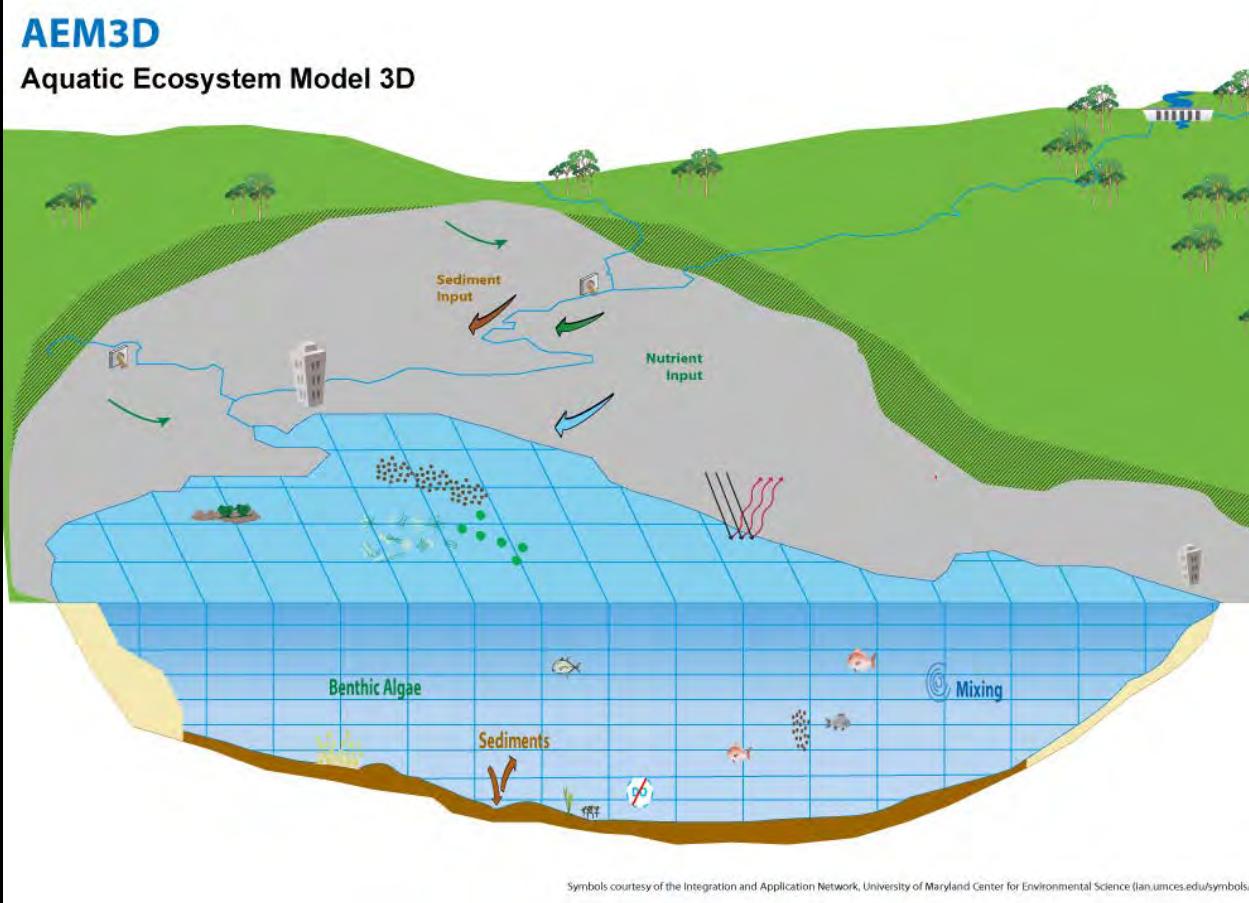




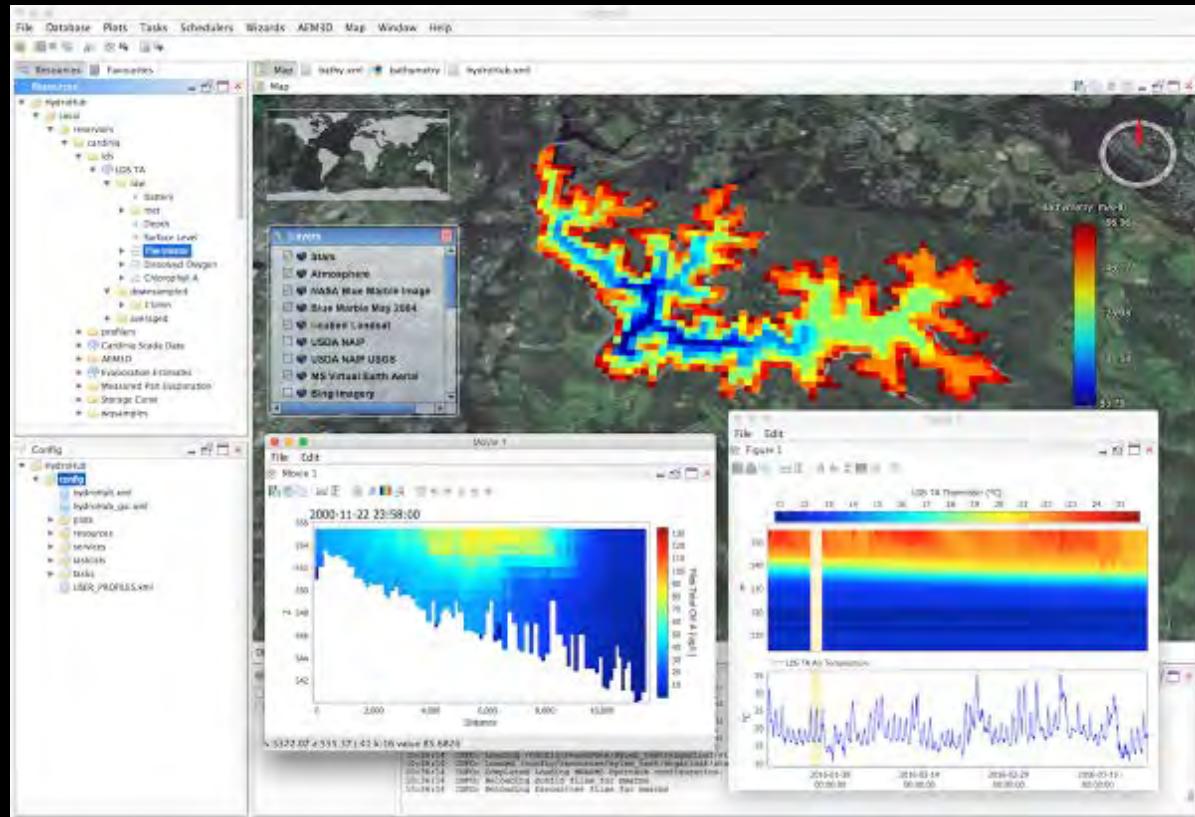




The Model AEM3d from Hydronumerics



Hydrohub



Hydrodynamic

Navier-Stoke (Momentum) equations:

$$\frac{\partial \bar{u}}{\partial t} + \bar{u} \frac{\partial \bar{u}}{\partial x} + \bar{v} \frac{\partial \bar{u}}{\partial y} + \bar{w} \frac{\partial \bar{u}}{\partial z} = -g \left\{ \frac{\partial \eta}{\partial x} + \frac{1}{\rho_0} \frac{\partial}{\partial x} \int_z^{\eta} \rho' dz \right\} + \frac{\partial}{\partial x} \left\{ V_1 \frac{\partial \bar{u}}{\partial x} \right\} + \frac{\partial}{\partial y} \left\{ V_2 \frac{\partial \bar{u}}{\partial y} \right\} + \frac{\partial}{\partial z} \left\{ V_3 \frac{\partial \bar{u}}{\partial z} \right\} + f_v$$

$$\frac{\partial \bar{v}}{\partial t} + \bar{u} \frac{\partial \bar{v}}{\partial x} + \bar{v} \frac{\partial \bar{v}}{\partial y} + \bar{w} \frac{\partial \bar{v}}{\partial z} = -g \left\{ \frac{\partial \eta}{\partial y} + \frac{1}{\rho_0} \frac{\partial}{\partial y} \int_z^{\eta} \rho' dz \right\} + \frac{\partial}{\partial x} \left\{ V_1 \frac{\partial \bar{v}}{\partial x} \right\} + \frac{\partial}{\partial y} \left\{ V_2 \frac{\partial \bar{v}}{\partial y} \right\} + \frac{\partial}{\partial z} \left\{ V_3 \frac{\partial \bar{v}}{\partial z} \right\} - f_u$$

$$\frac{\partial \bar{w}}{\partial t} + \bar{u} \frac{\partial \bar{w}}{\partial x} + \bar{v} \frac{\partial \bar{w}}{\partial y} + \bar{w} \frac{\partial \bar{w}}{\partial z} = -g \left\{ \frac{\partial \eta}{\partial z} + \frac{1}{\rho_0} \frac{\partial}{\partial z} \int_z^{\eta} \rho' dz \right\} + \frac{\partial}{\partial x} \left\{ V_1 \frac{\partial \bar{w}}{\partial x} \right\} + \frac{\partial}{\partial y} \left\{ V_2 \frac{\partial \bar{w}}{\partial y} \right\} + \frac{\partial}{\partial z} \left\{ V_3 \frac{\partial \bar{w}}{\partial z} \right\}$$

Hydrodynamic

Free surface elevation:

$$\frac{\partial \eta}{\partial t} = -\frac{\partial}{\partial x} \int_{-h}^{\eta} \bar{u} dz - \frac{\partial}{\partial y} \int_{-h}^{\eta} \bar{v} dz$$

Wind at the surface:

$$(u_o)^2 = C_{10m} \frac{\rho_{aire}}{\rho_{agua}} (W_y W_y)^{\frac{1}{2}} W_x; (v_o)^2 = C_{10m} \frac{\rho_{aire}}{\rho_{agua}} (W_x W_x)^{\frac{1}{2}} W_y$$

Momentum due to the wind:

$$\frac{\partial \bar{u}}{\partial t} = \frac{(u_*)^2}{h}; \frac{\partial \bar{v}}{\partial t} = \frac{(v_*)^2}{h}$$

Thermodynamic

Radiación de onda corta y ecuación de Beer-Lambert:

$$Q_{sw} = Q_{sw(\text{total})} \left(1 - r_a^{(sw)}\right); Q(z) = Q_{sw} e^{-\eta_0 z}$$

Ecuación de radiación de onda larga:

$$Q_{lw} = \left(1 - r_a^{(lw)}\right)(1 + 0.17C^2)e_a(T_a)\sigma T_a^4 - e_w\sigma T_w^4$$

Calor sensible Fischer et al. 1979 ec. 6.19:

$$Q_{sh} = C_s \rho_a C_p U_a (T_a - T_s) \Delta t$$

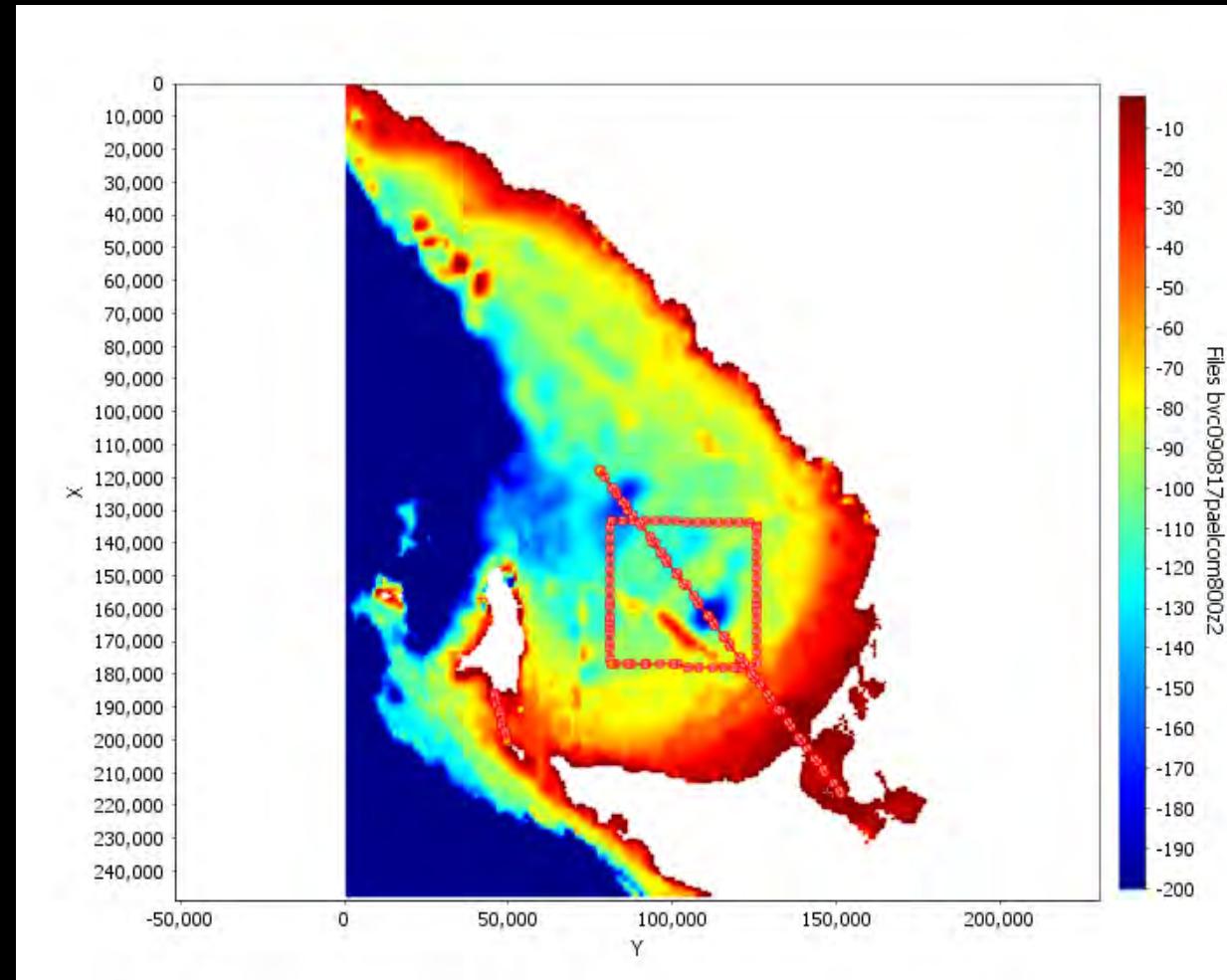
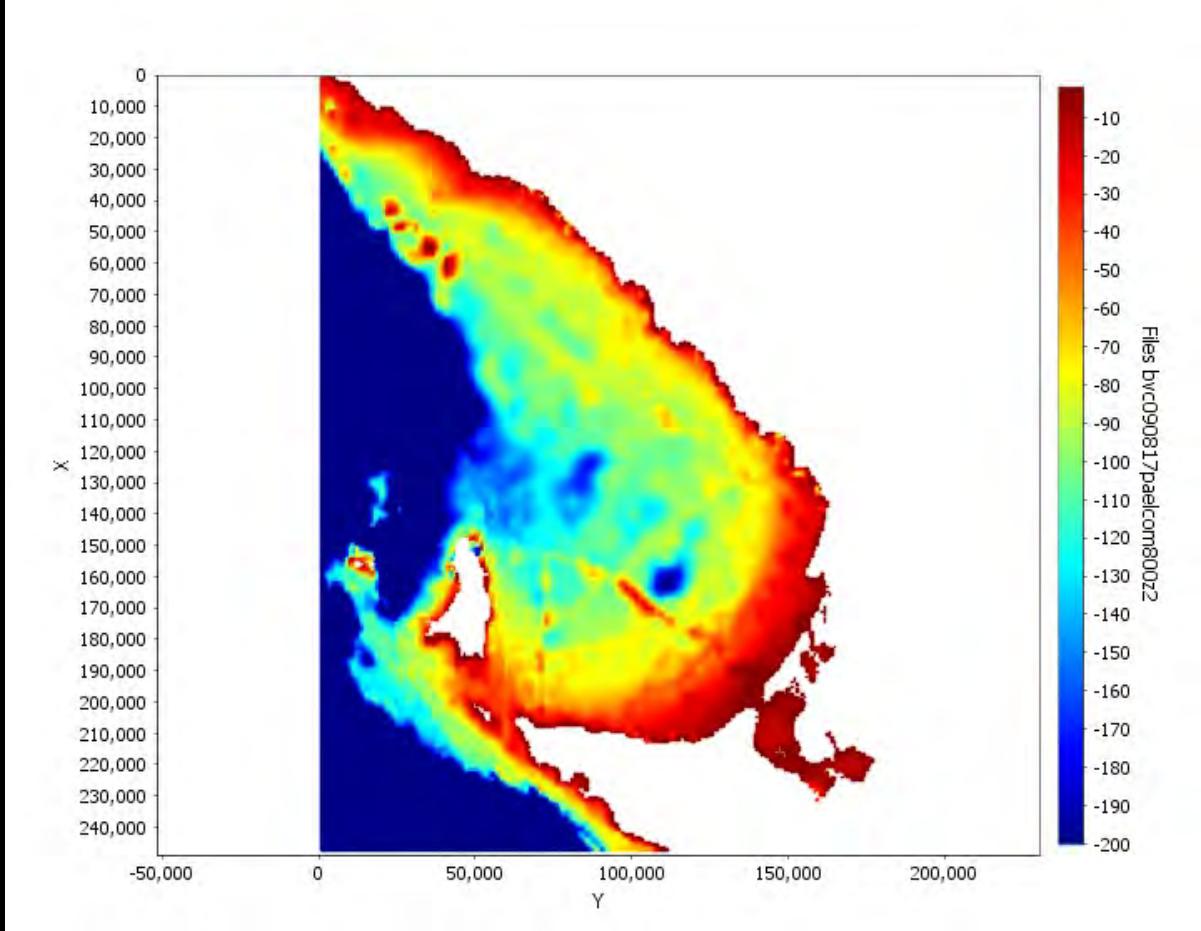
Calor latente Fischer et al. 1979 ec. 6.20:

$$Q_{lh} = \min \left(0, \frac{0.622}{P} C_L \rho_a L_E U_a (e_a - e_s(T_s)) \Delta t \right)$$

Balance de calor en la superficie:

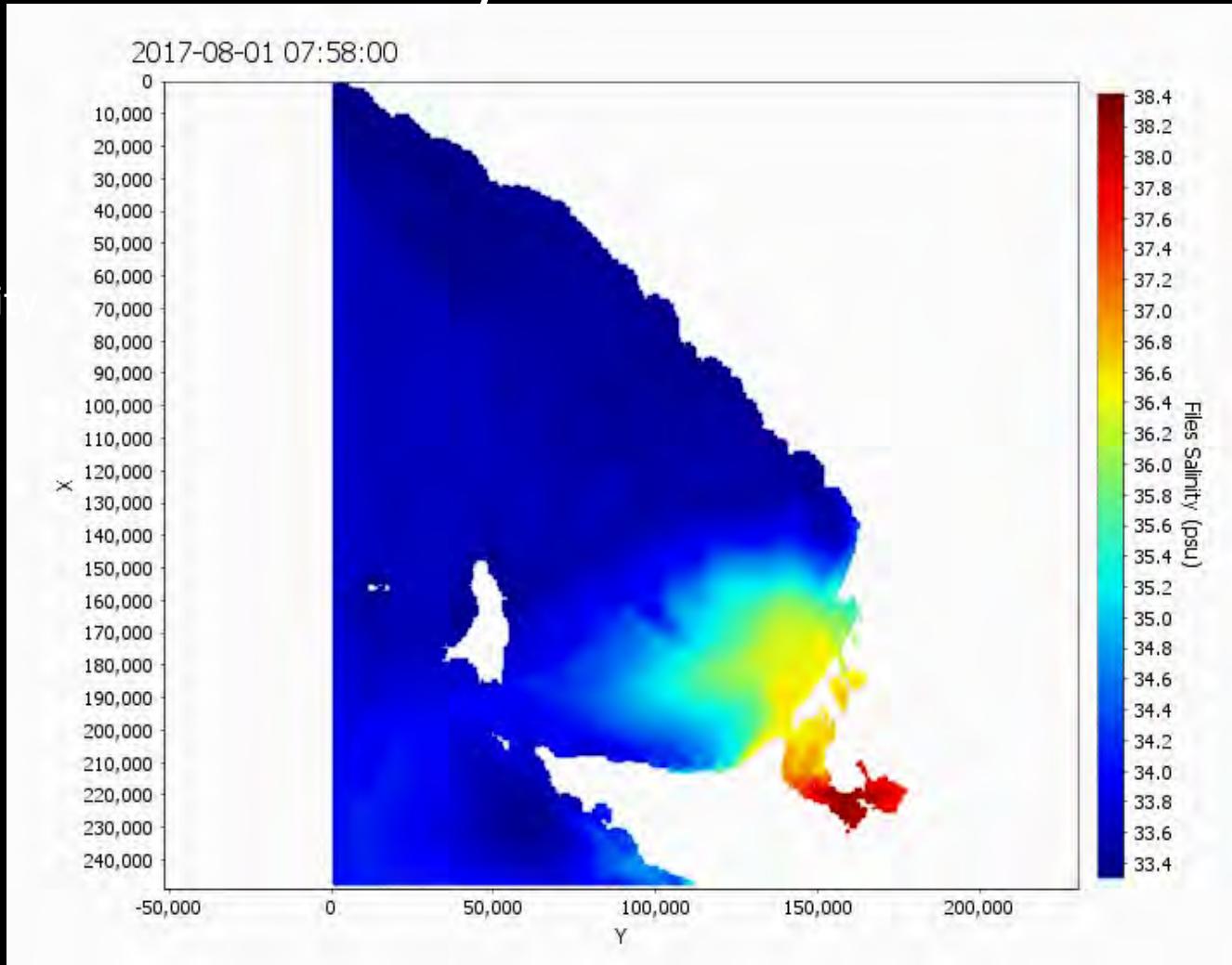
$$Q_{\text{non-pen}} = Q_{lw} + Q_{sh} + Q_{lh}$$

The Bathymetry: $dx=dy=800\text{mts}$
 $dz=5\text{mts}$, $dt=60\text{seg}s$

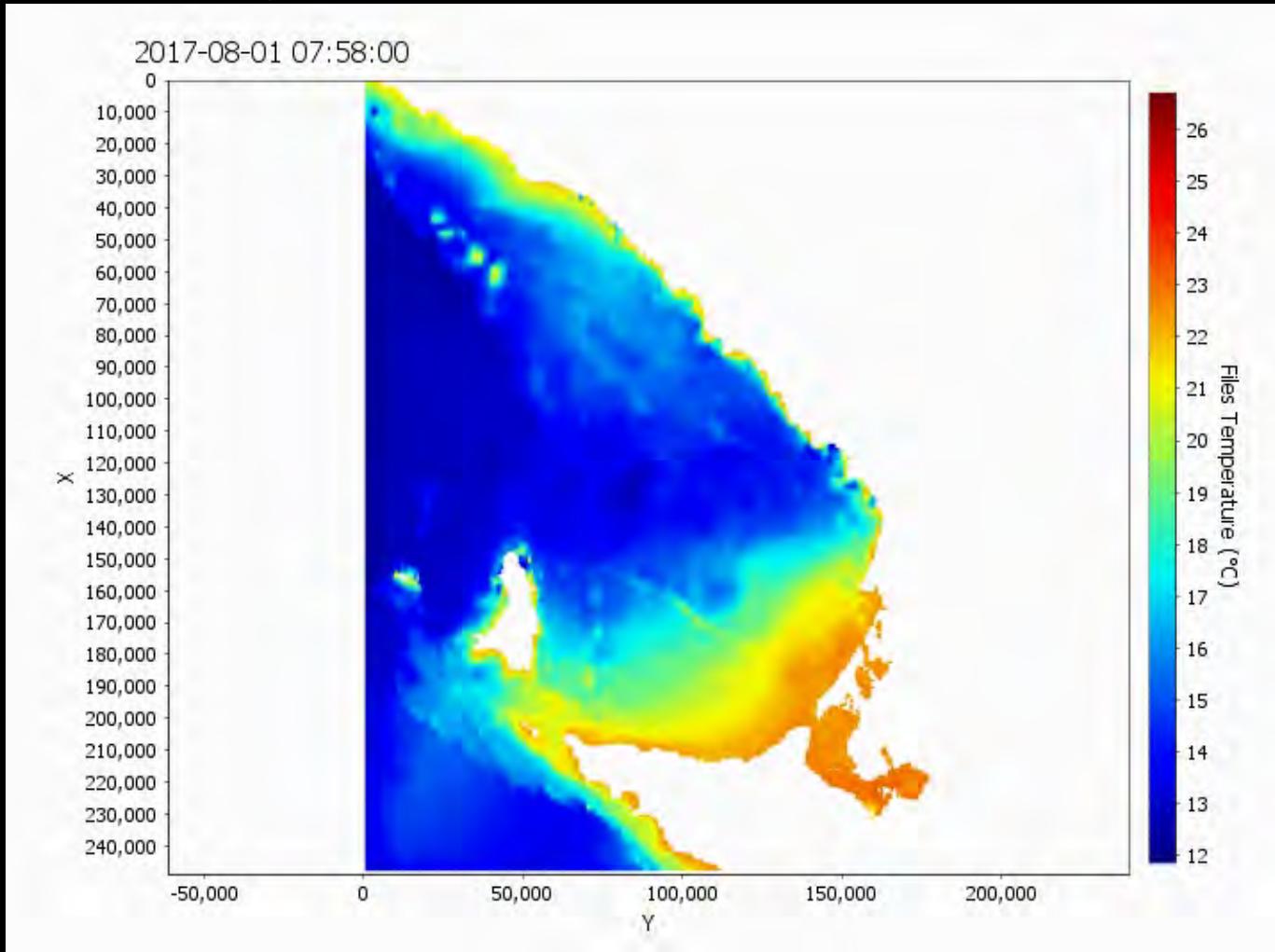


The model results/ do not blink

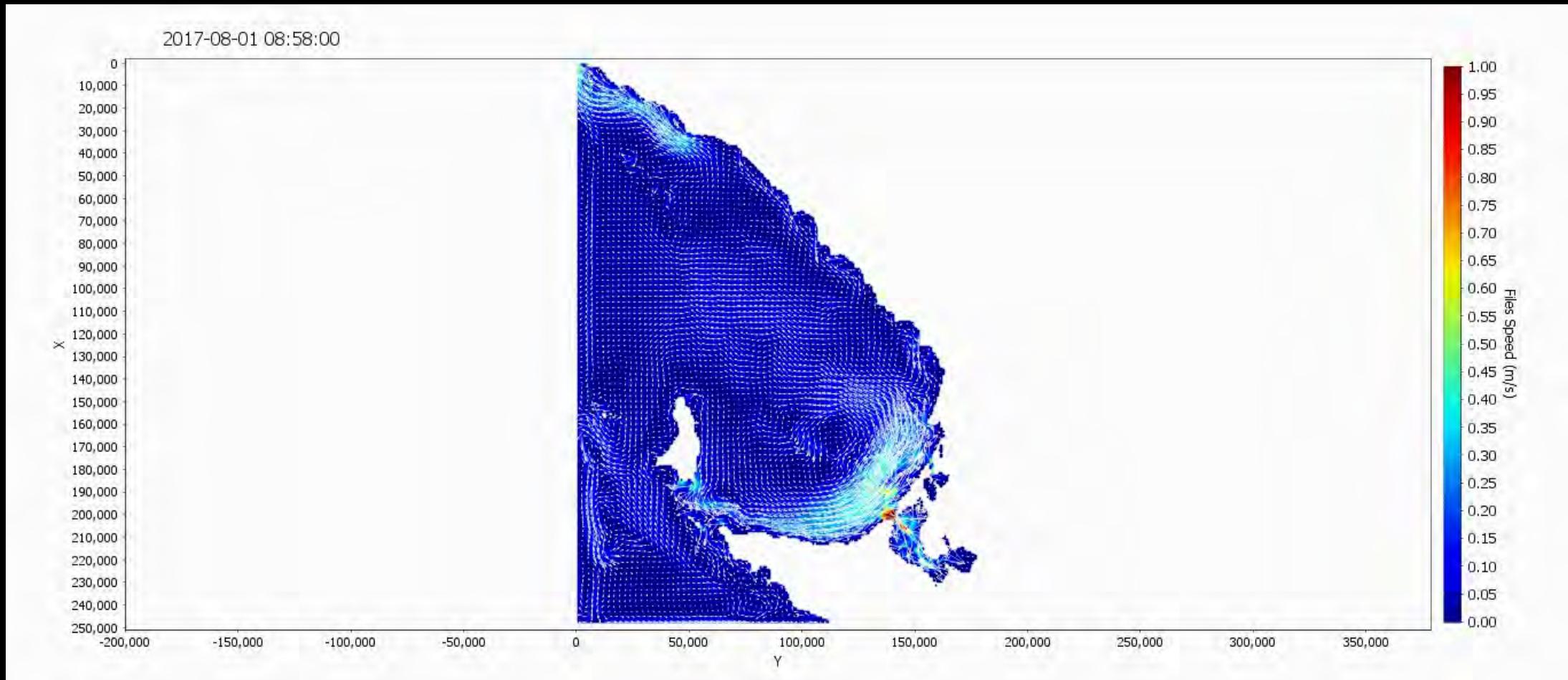
Average salini-



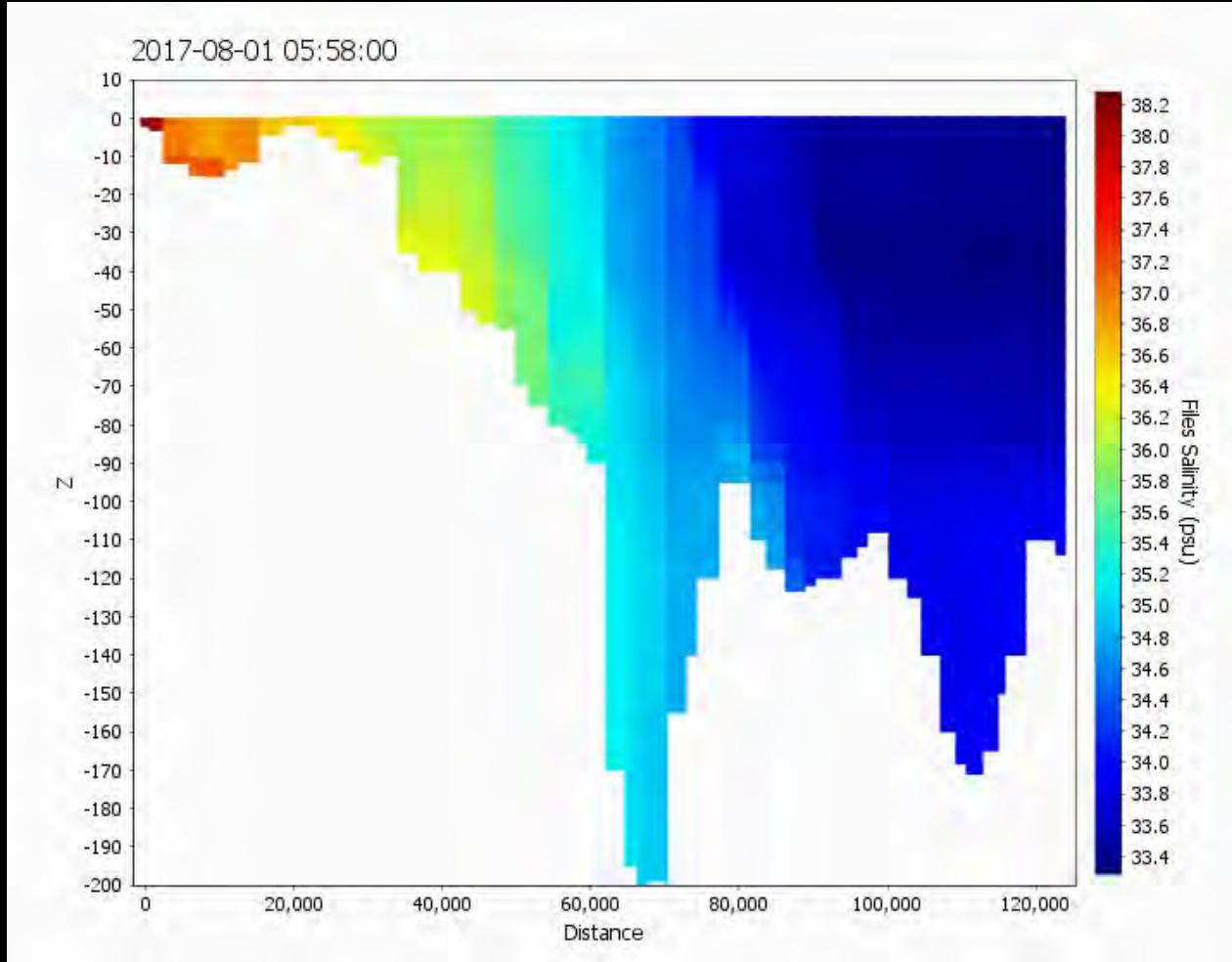
Average temperature



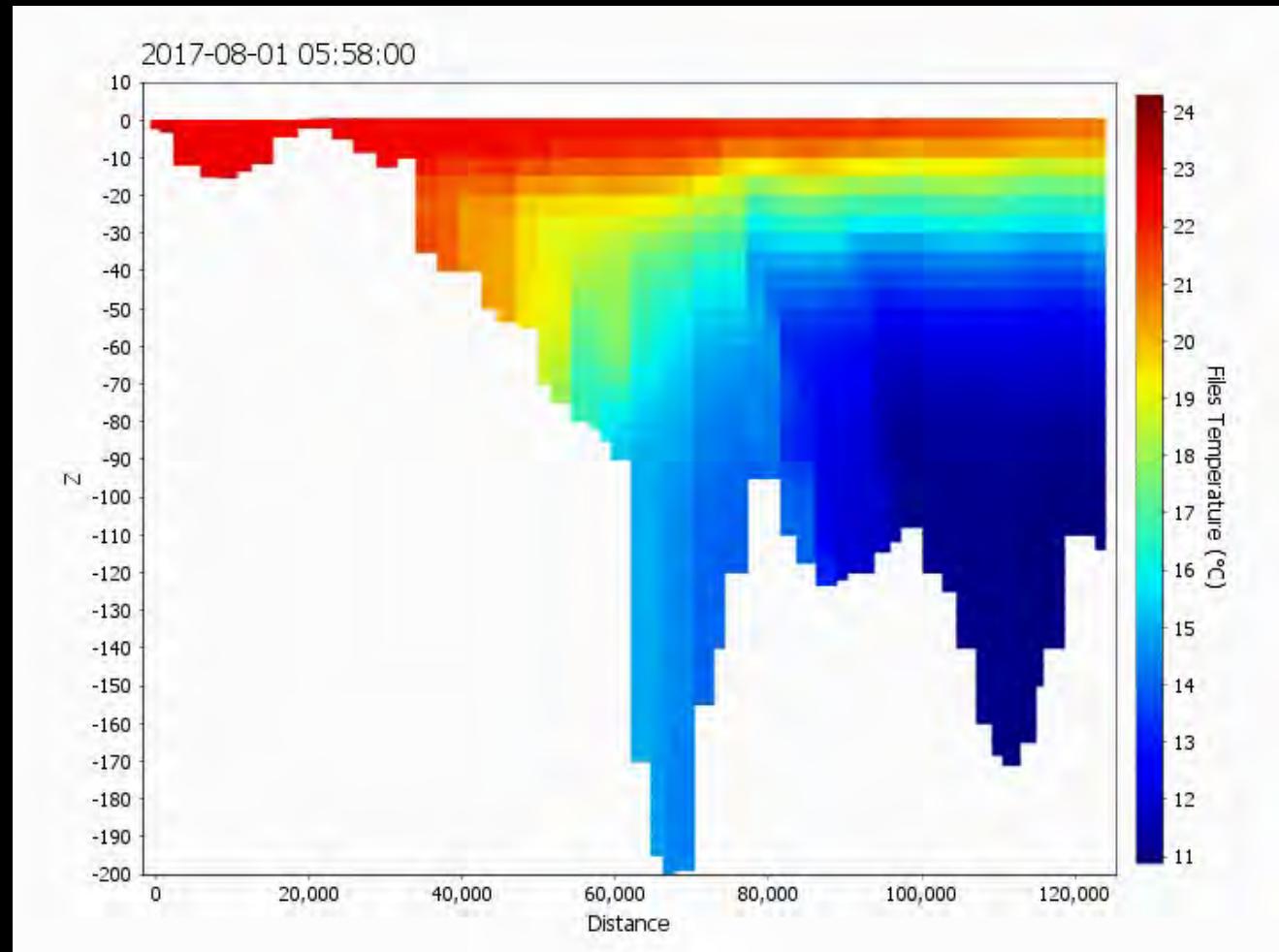
Average velocity



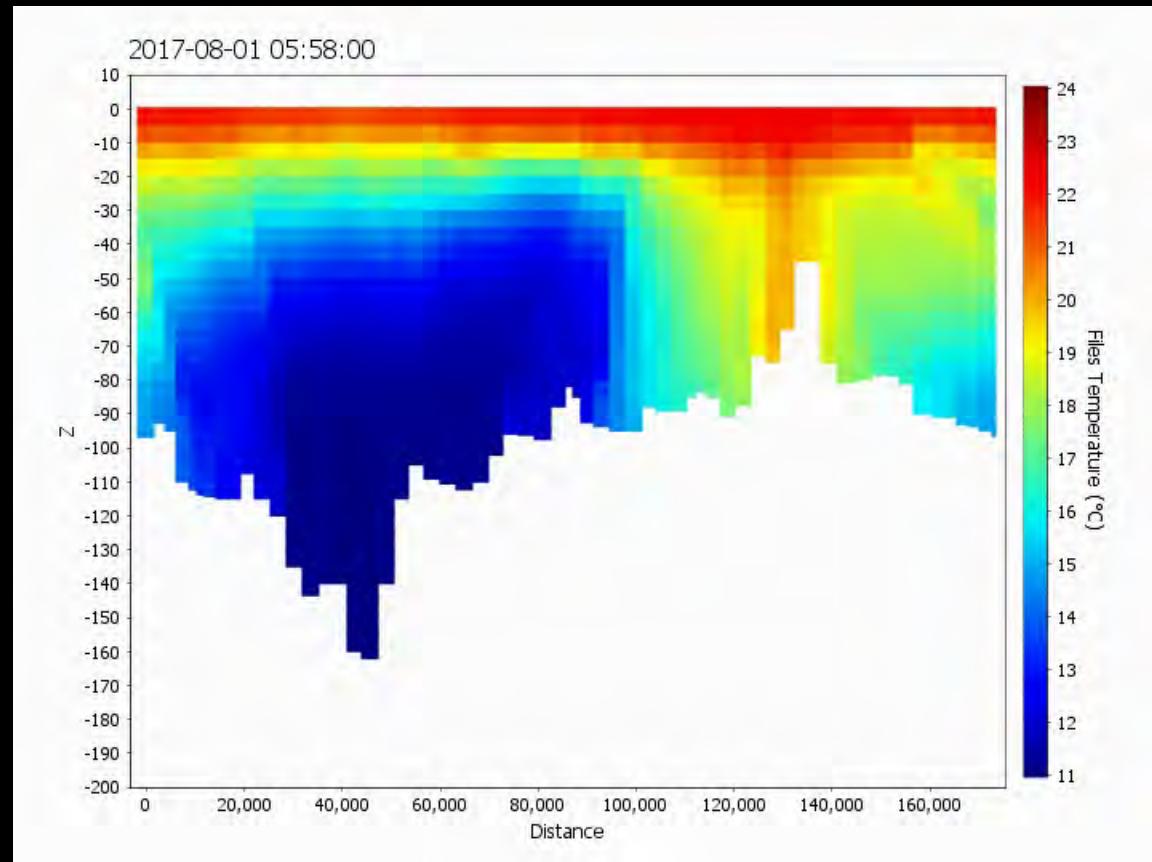
Salinity, vertical resolution from the lagoon to the ocean

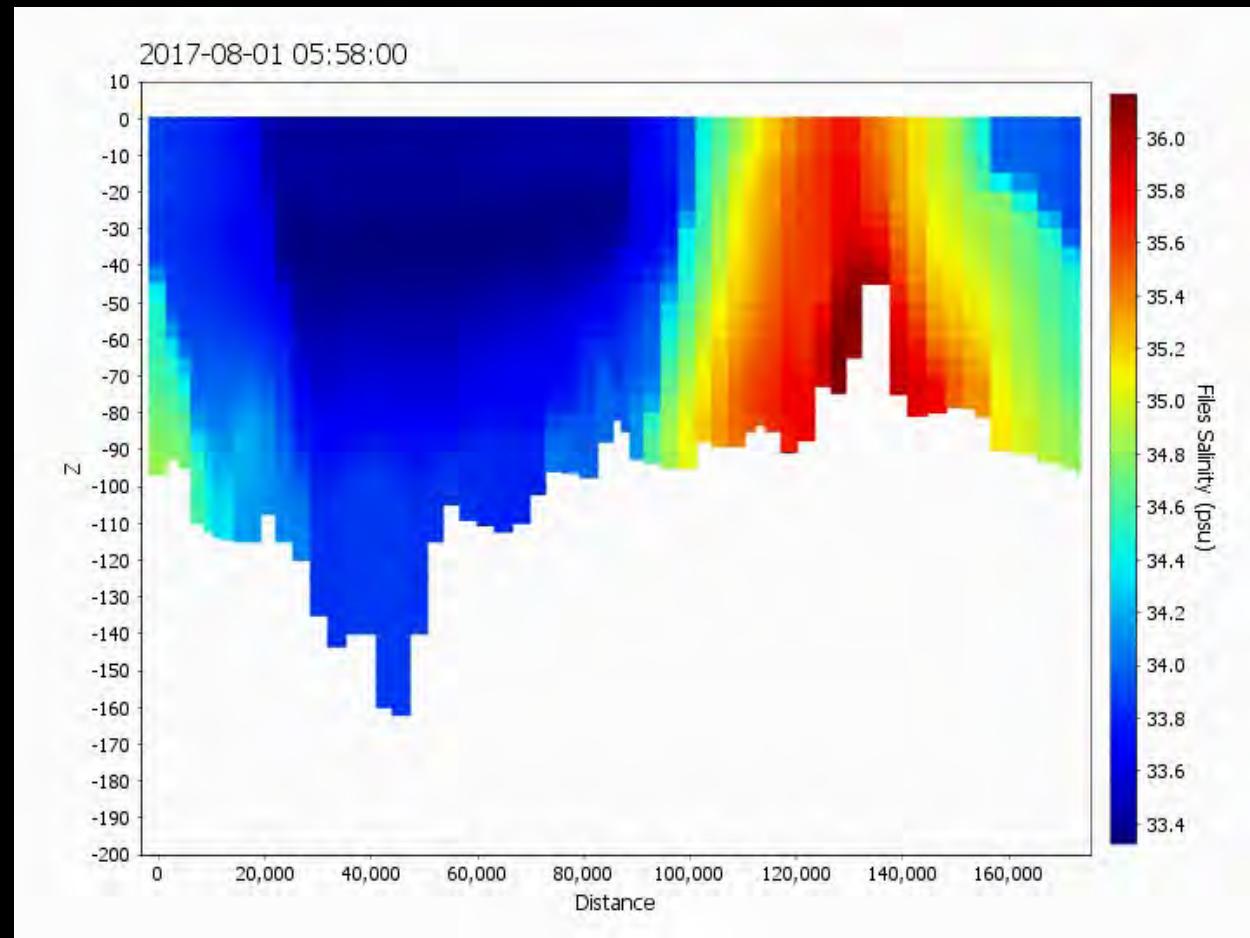


Temperature, vertical resolution

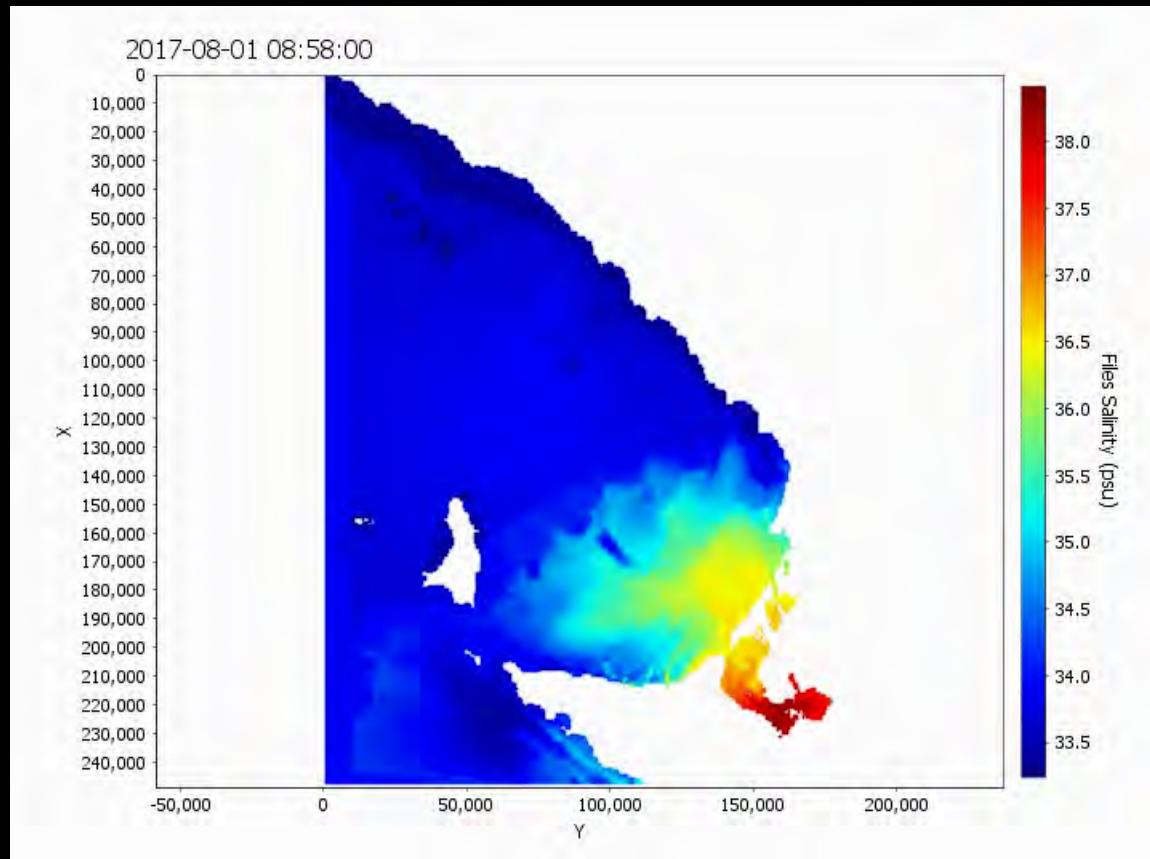


Panel along the sites, temperature





Bottom distribution of salinity



Conclusions/lots of things to do

- Findings:
 - Seasonally variation of variables
 - Strong stratification on temperature
 - Two peaks of maximum fluorescence
 - The influence of the lagoon on the bottom of the bay
- needs:
- Time series to validate numerically the model, more quality data
- Water quality data to model
- dreams:
- Run the model on real time