



# ICRAM

Central Institute for Marine Research

## **MORE EFFECTIVE TIME GRID RECONSTRUCTION IN THE CALIBRATION OF GEOCHEMICAL PROXIES FROM CORAL SKELETONS**

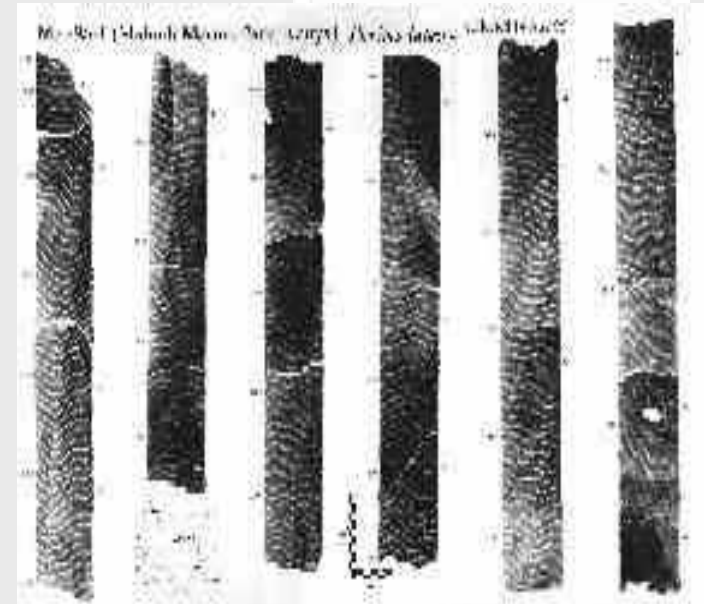
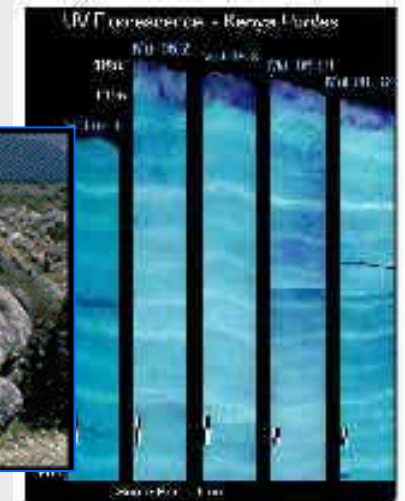
*Simone Russo, Paolo Montagna, Malcolm McCulloch, Sergio Silenzi,  
Claudio Mazzoli, Stefano Schiaparelli and Rossella Baldacconi*

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# Corals as marine archives for paleoclimate reconstructions

In the last years, in the Mediterranean Sea we have been looking for new high-resolution climate archives, such as the non-tropical coral *Cladocora caespitosa*.

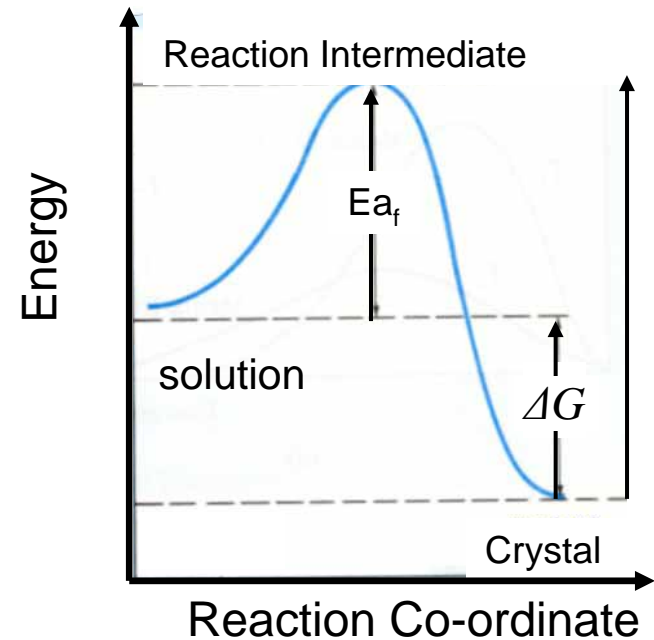
The aim of this study was to develop a new method of calibration between the Sea Temperature data and geochemical data.



# Temperature Dependence

$$D_{Thermodynamic} = a_T \cdot e^{\frac{\Delta G_{Sr} - \Delta G_{Ca}}{RT} \cdot \left( \frac{\gamma_{Sr^{2+}} \cdot f_{Ca^{2+}(aragonite)}}{\gamma_{Ca^{2+}} \cdot f_{Sr^{2+}(aragonite)}} \right)}$$

$$D_{Kinetic} = a_K \cdot e^{\frac{Ea_{fSr} - Ea_{fCa}}{RT} \cdot \left( \frac{\gamma_{Sr^{2+}}}{\gamma_{Ca^{2+}}} \right)}$$



Where  $a_T$  and  $a_K$  = pre-exponential constants for thermodynamic and kinetic reactions

$Ea_{Sr,Ca}$  = activation energies for Sr and Ca forward reactions

$\Delta G_{Sr,Ca}$  = free energy change for Sr and Ca precipitation reactions

Both thermodynamic and kinetic distribution coefficients are clearly temperature dependent

# *The Mediterranean coral *Cladocora caespitosa**

It is a colonial coral living in the Mediterranean Sea.

0 mm 5



It can provide high-resolution SST data for the last 100-150 years, using stable isotopes and trace elements in its carbonate skeleton.

Numerous large fossil banks have been also described throughout the Mediterranean Sea since the early Pleistocene.

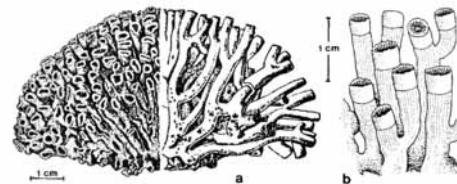
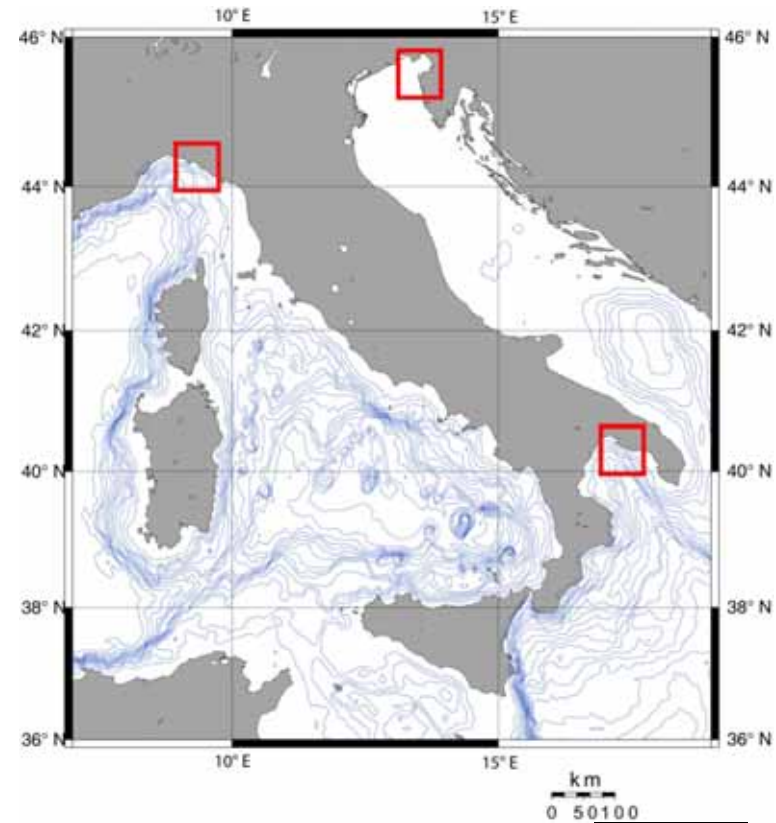


**Climate reconstructions for specific time-windows in the past**

# *Sampling sites*

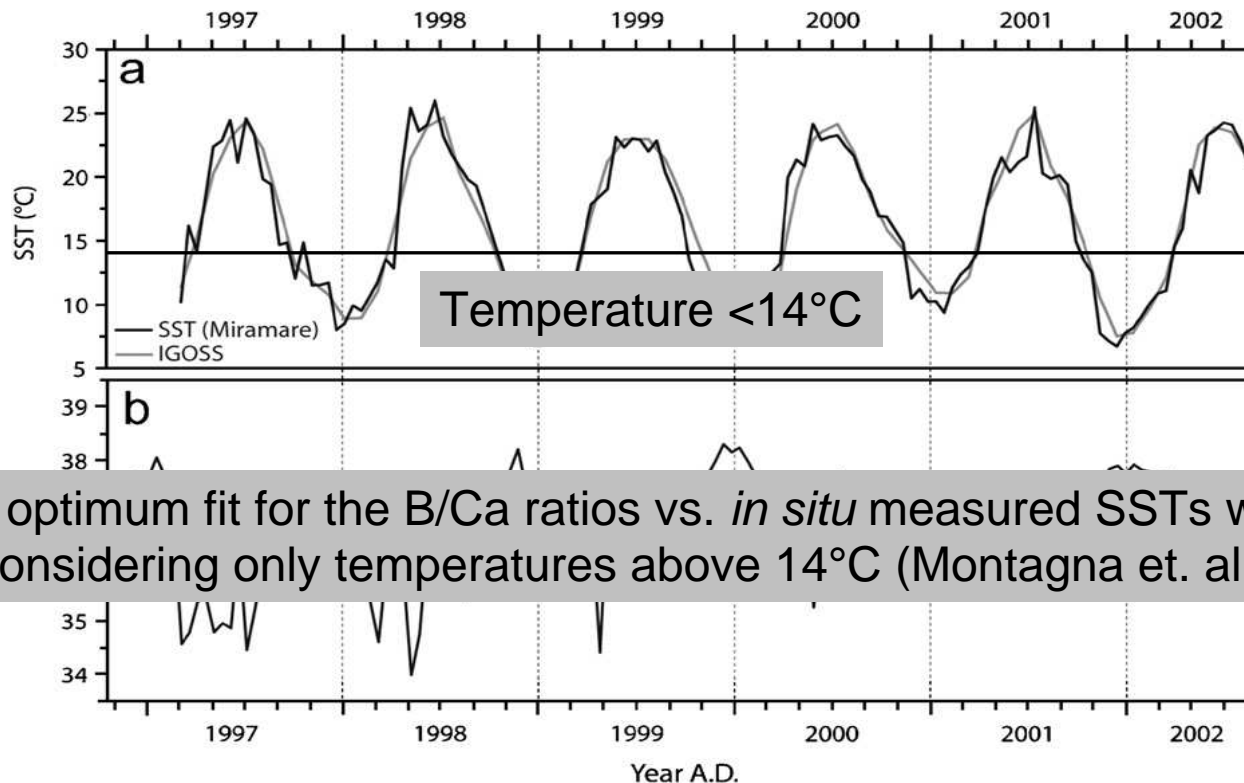
The coral samples were collected in 3 Italian sites with different SST ranges:

- Miramare in the North Adriatic Sea (temperature between 7 and 25°C)
- Portofino in the North Tyrrhenian Sea (temperature between 13 and 27 °C)
- Taranto in the Ionian Sea (temperature between 11 and 28 °C)



# SST and SSS 'In situ' Measurements (Miramare)

- (a) In situ weekly/fortnightly SST record from MRM and monthly IGOSS SSTs.  
(b) In situ weekly/fortnightly SSS record from MRM.

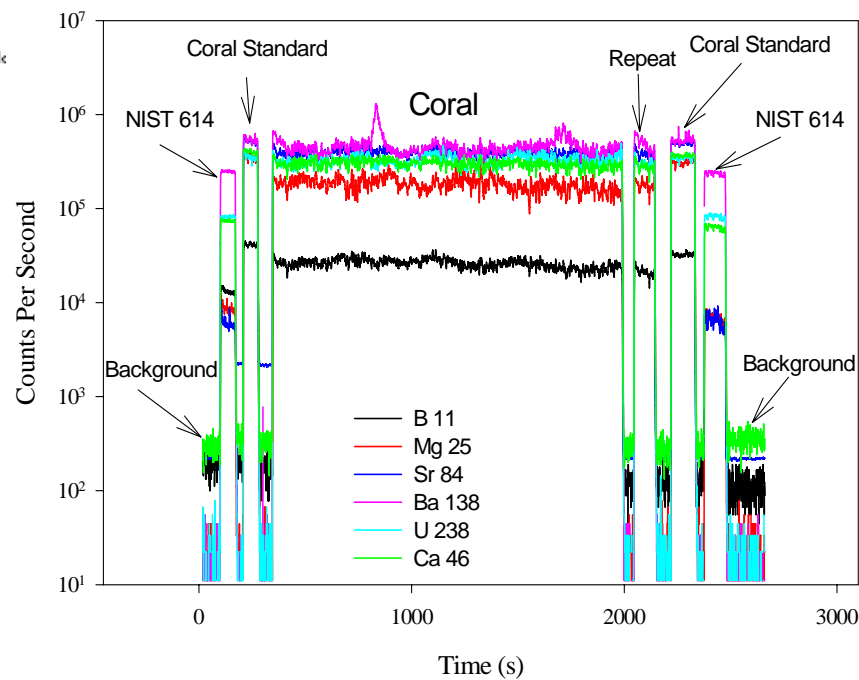
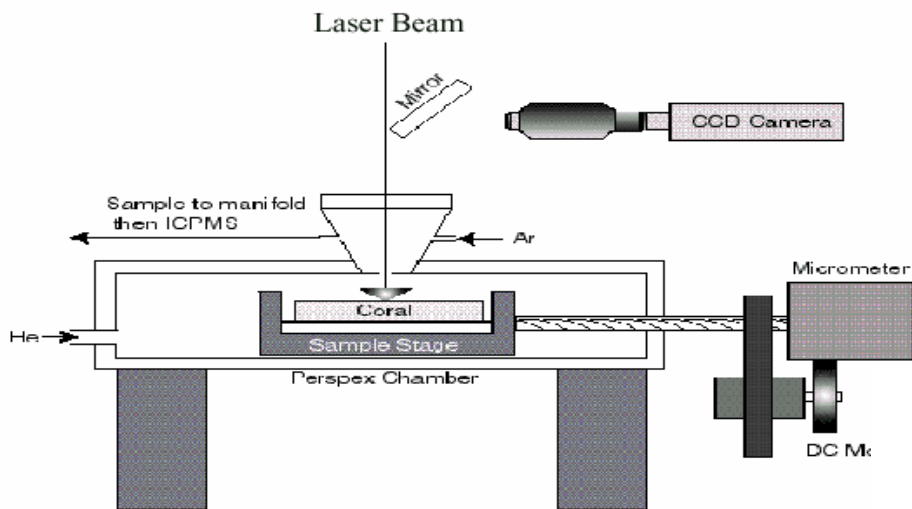


The optimum fit for the B/Ca ratios vs. *in situ* measured SSTs was obtained by considering only temperatures above 14°C (Montagna et. al 2007)

Montagna, P., Malcolm, Mc., Mazzoli, C., Silenzi, S., Odorico, R., *The non-tropical Cladocora caespitosa as the new climate archive for the Mediterranean: high-resolution (weekly) trace elements systematics. Quaternary science Reviews 26 (2007) 441-462.*

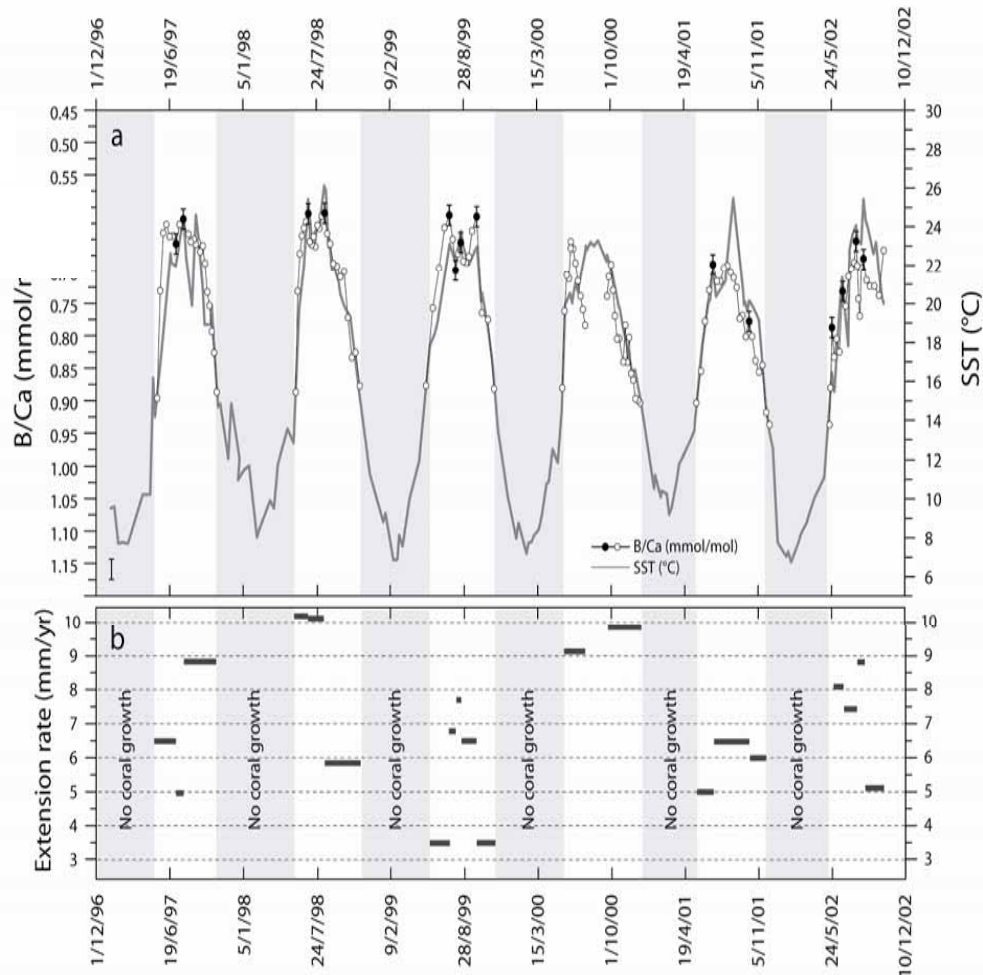
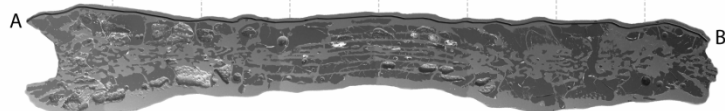
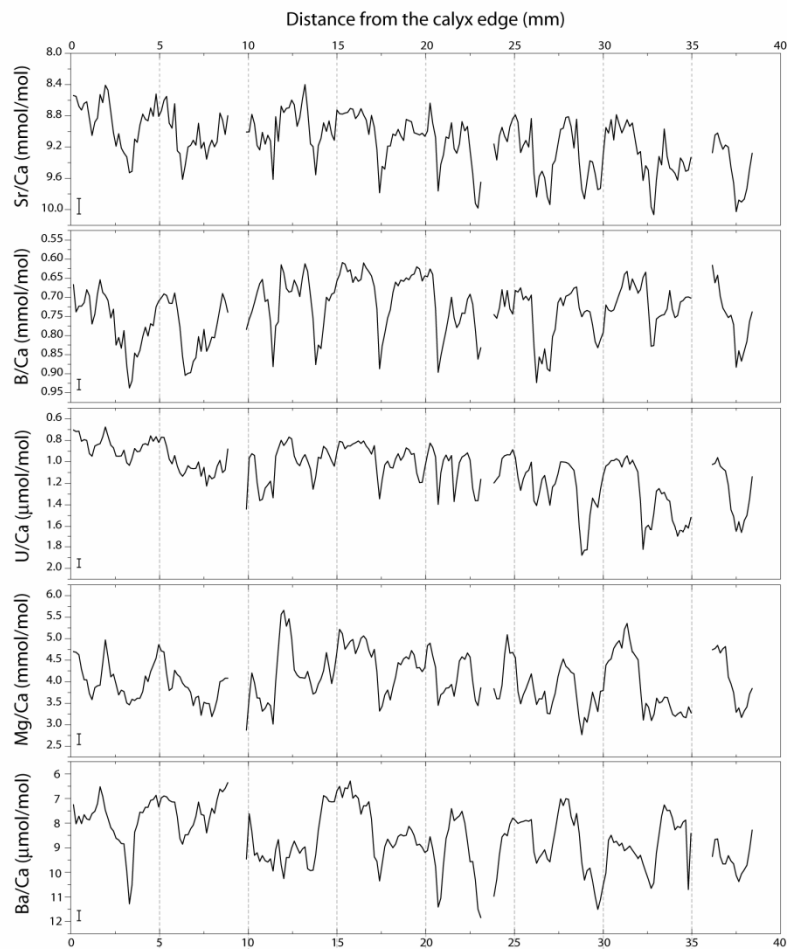
# Laser Ablation-ICP-MS

Side View of Laser Sample Cell



# Trace elements

$^{11}\text{B}$ ,  $^{25}\text{Mg}$ ,  $^{43}\text{Ca}$ ,  $^{84}\text{Sr}$ ,  $^{138}\text{Ba}$ ,  $^{238}\text{U}$



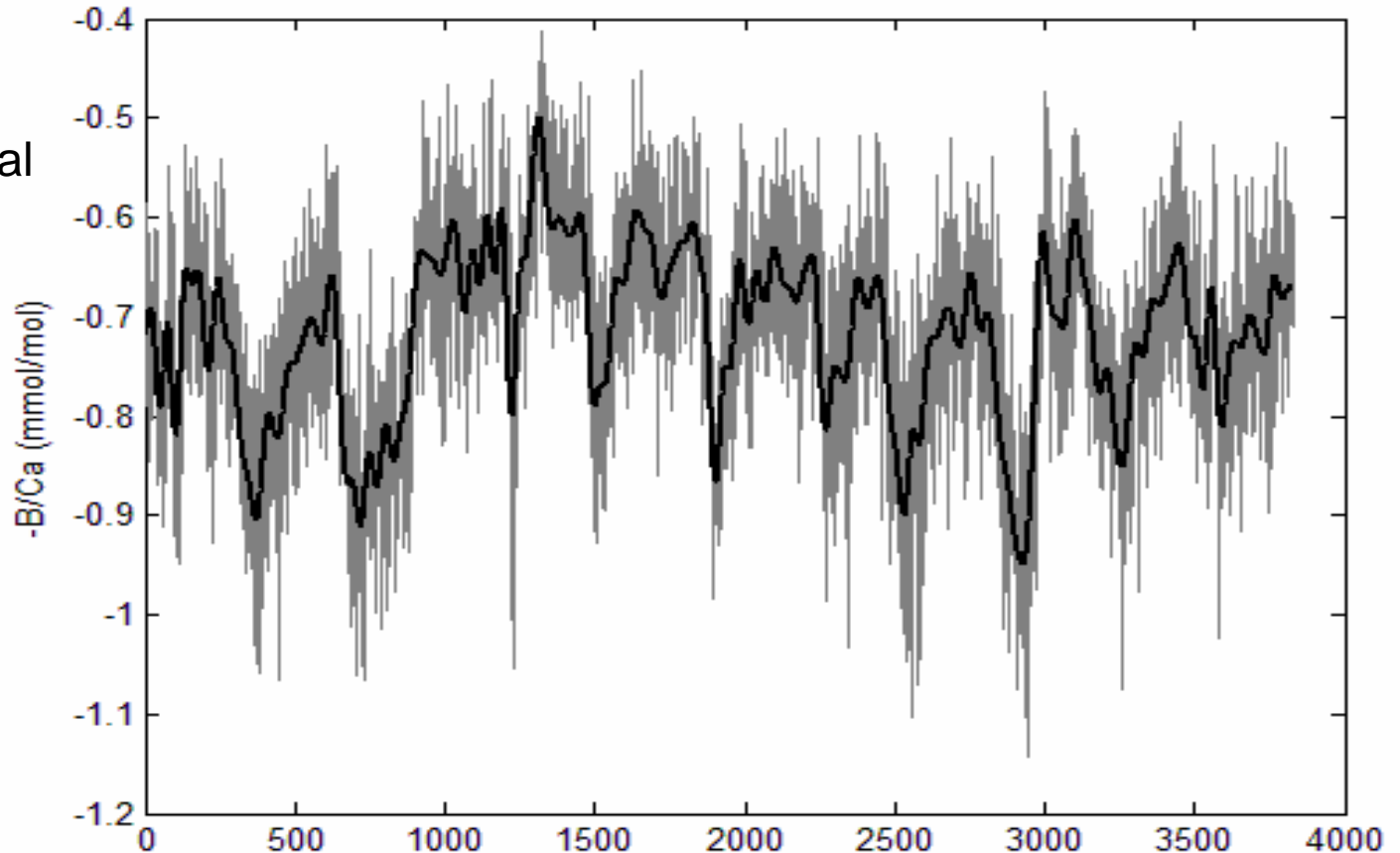
$$\text{B/Ca (mmol/mol)} = 1.239 (\pm 0.026) - 0.024 (\pm 0.001) \text{ SST } (^{\circ}\text{C})$$

Pearson's  $r$ , 95% confidence interval  $-0.876$   $[-0.911; -0.819]$



# Data Filtering and Calibration

-Signal  
-Smoothed signal  
(Mann, 2004)



*Mann, M. E. (2004), On smoothing potentially non stationary climate time series  
Geophys. Res. Lett. Vol.31,L07214, doi:10.1029/2004GL019569.*

# Johnson standardized signal B/Ca

$$z = \gamma + \delta \cdot g\left(\frac{x - \xi}{\lambda}\right)$$

$$z = -0.533 + 0.6280 \cdot \log\left(\frac{y}{1-y}\right)$$

$$y = \frac{(-B / Ca + 0.918)}{0.329}$$

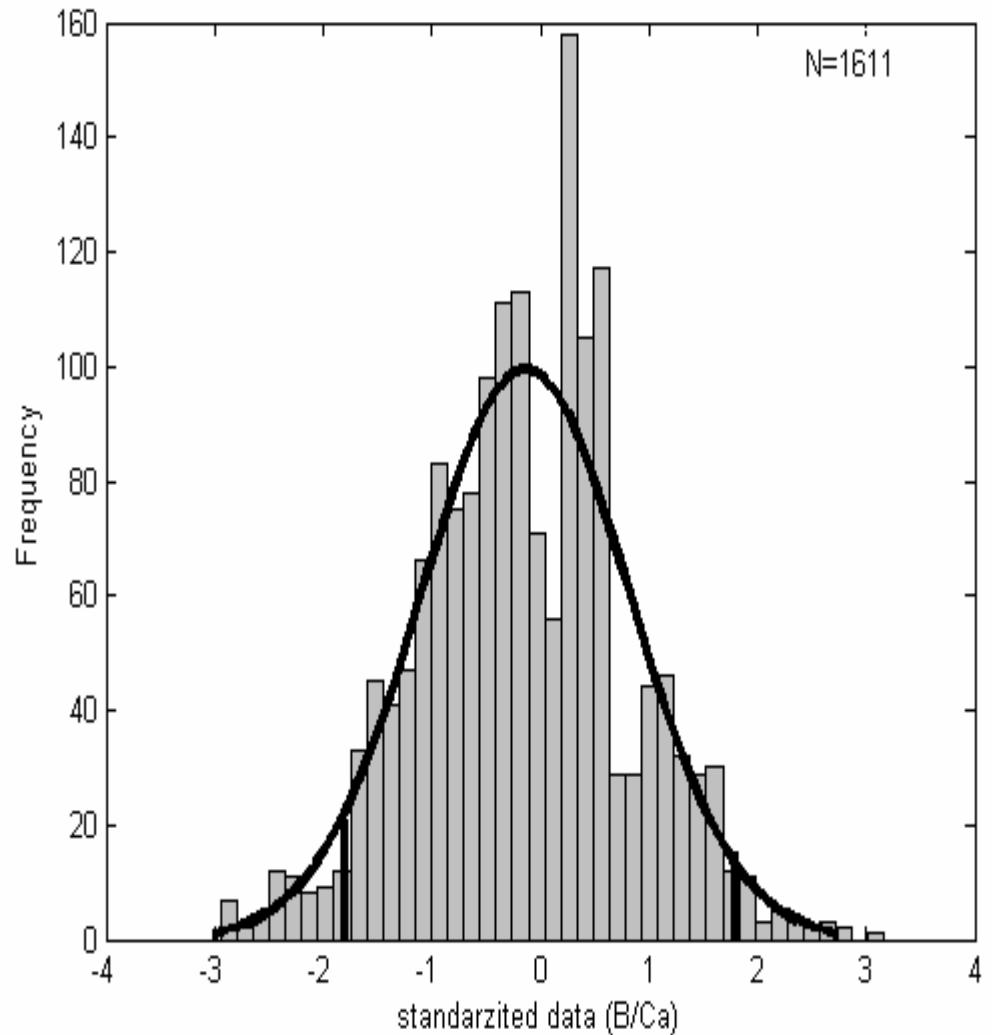
Johnson's Functions (Giovanardi et.al. 2006)

$S_N$  (normal family)  $g(y) = y;$

$S_L$  (log-normal family)  $g(y) = \ln(y);$

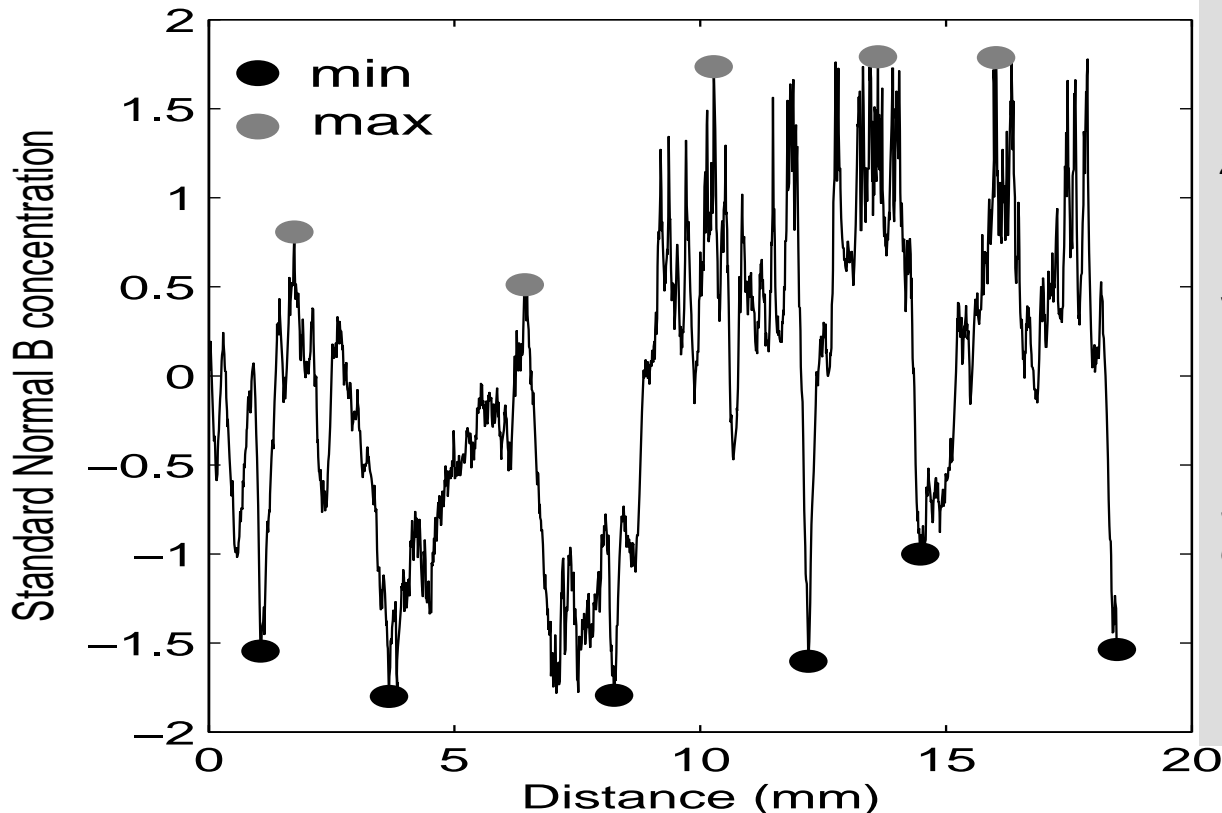
$S_U$  (unbounded family)  $g(y) = \ln[y + \sqrt{y^2 + 1}];$

$S_B$  (bounded family)  $g(y) = \ln\left(\frac{y}{1-y}\right);$



# Maximum, Minimum and Time Instances

To estimate the time instances, we start considering an average constant growth rate, where the time instances between the observations are constant.



1.  $dx$ =distance between two subsequent
2.  $gr$ = is an average constant growth rate
3.  $T_s=dx/gr$  is the time instances between these observations

So the time instance at which the  $n$ th observation was formed is given by:

$$t_n = nT_s \quad (T_s = 0.003 \text{ year})$$

Standard normal values for  $-[B]$  the 'o' indicate the maximum and minimum of the data series.

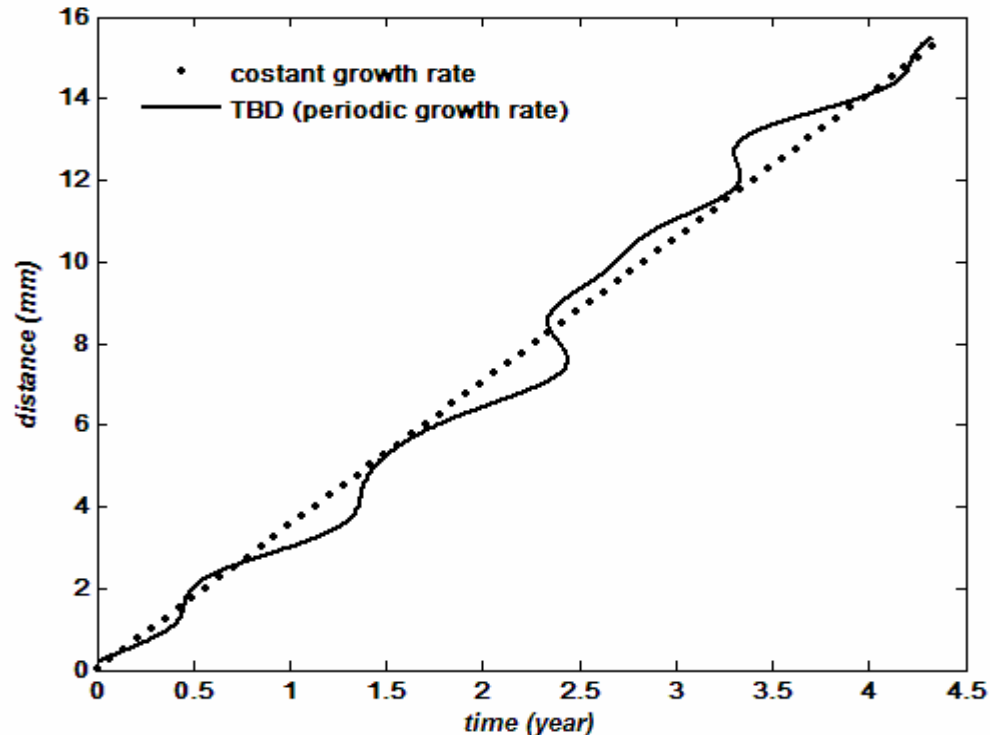
# Conceptual Approach of the Time Base Distortion (TBD) Method

The time instance at which the  $n^{\text{th}}$  observation was formed is given by:

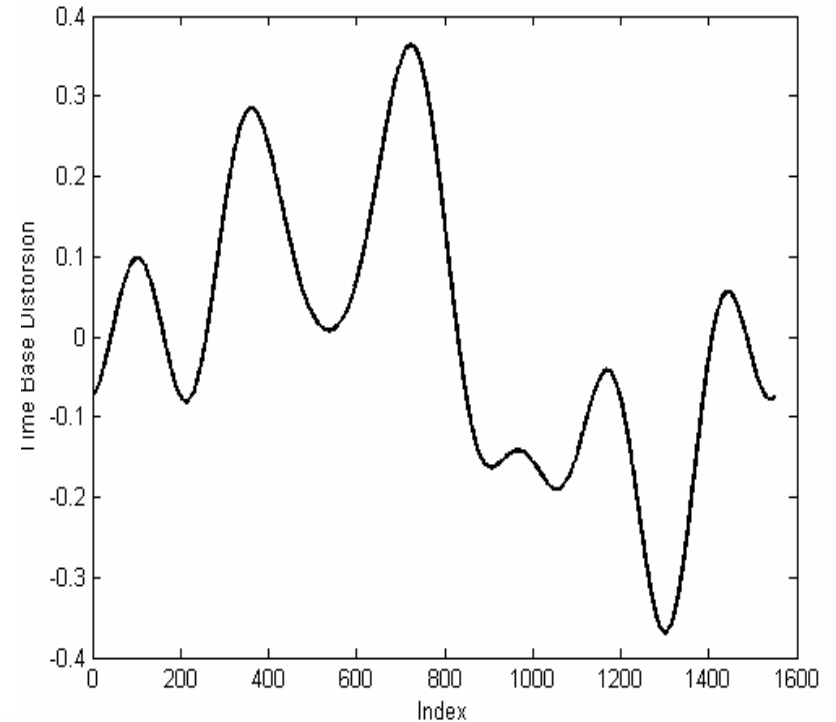
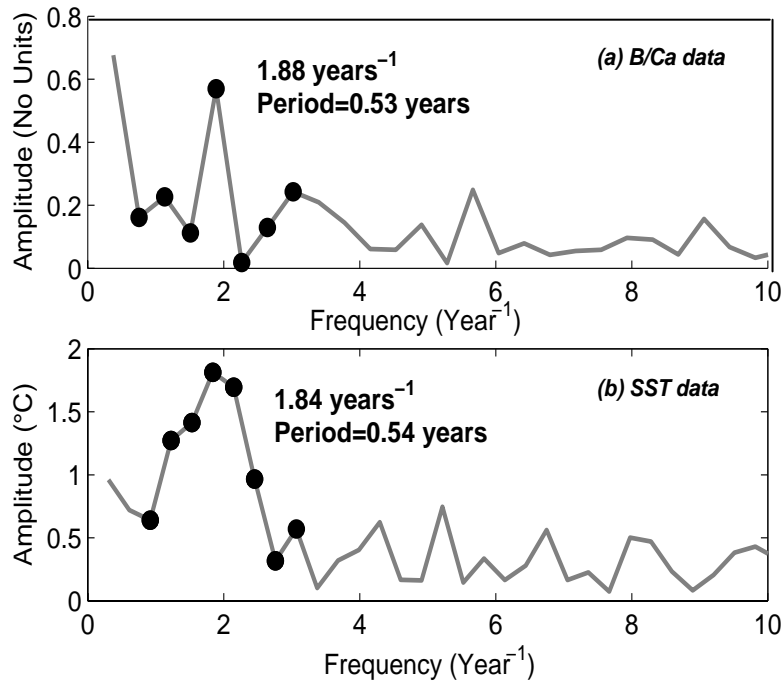
$$t_n = nT_s \quad [T_s=0.003 \text{ is the sample period (dimension is time)}]$$

$$t_n = nT_s + g(n)T_s$$

where the first term is the constant time step and  $g(n)$  represents the time base distortion (TBD) at the observation position  $n$  (scalar quantity).



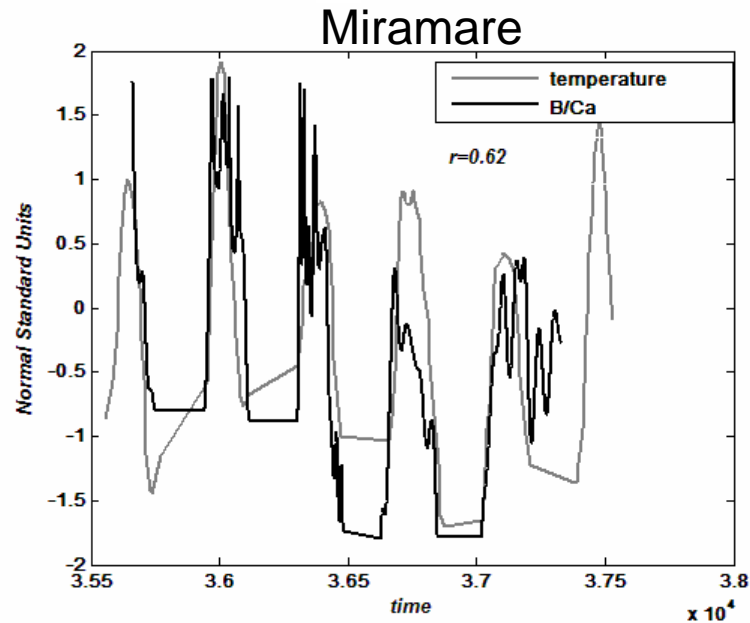
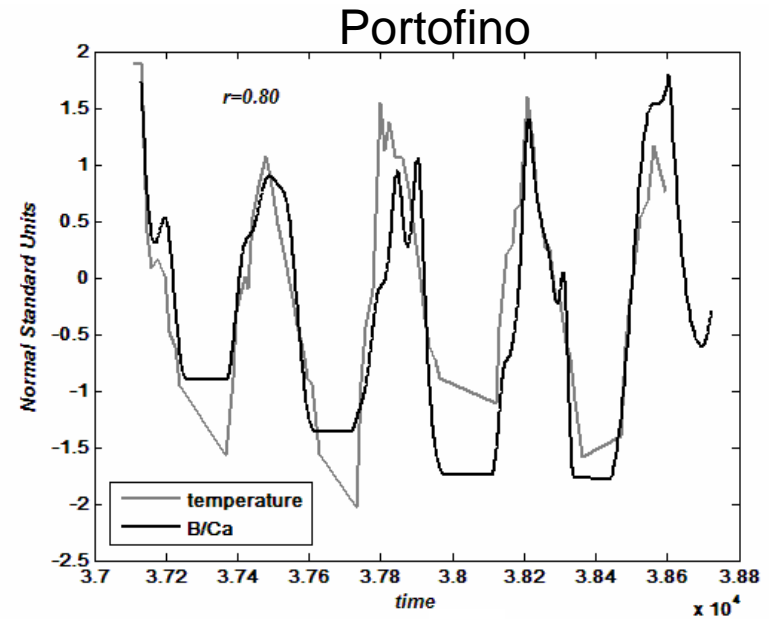
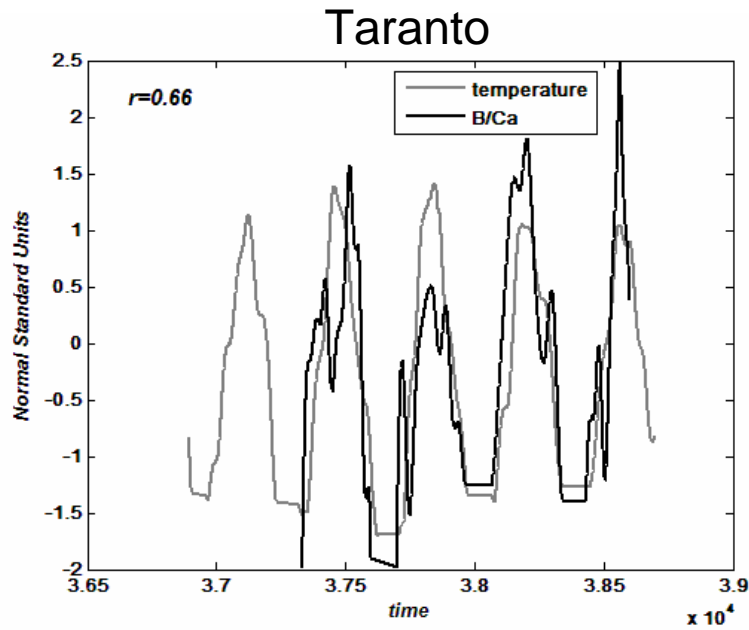
# Spectrum in the frequency Domain



- (a) Fourier spectrum of the B signal on the improved time grid;
- (b) Fourier spectrum of the instrumental SST data

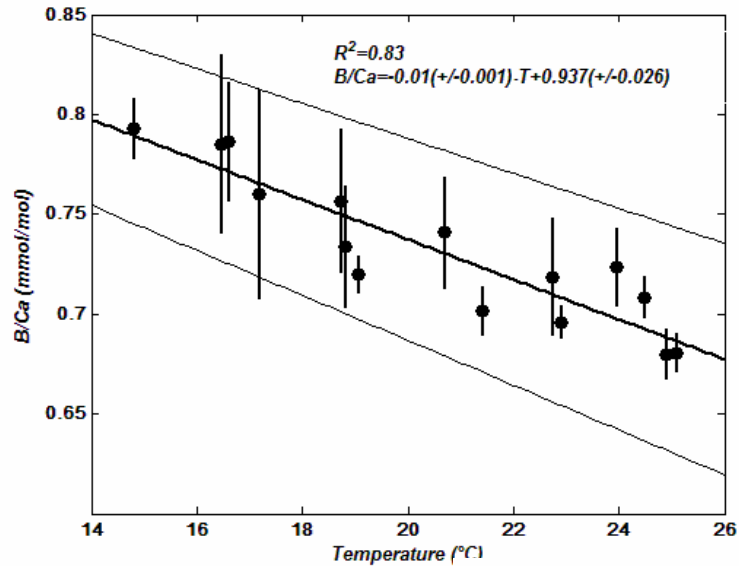
Time Base Distortion Function

# Correlation coefficients (SST vs. B/Ca)

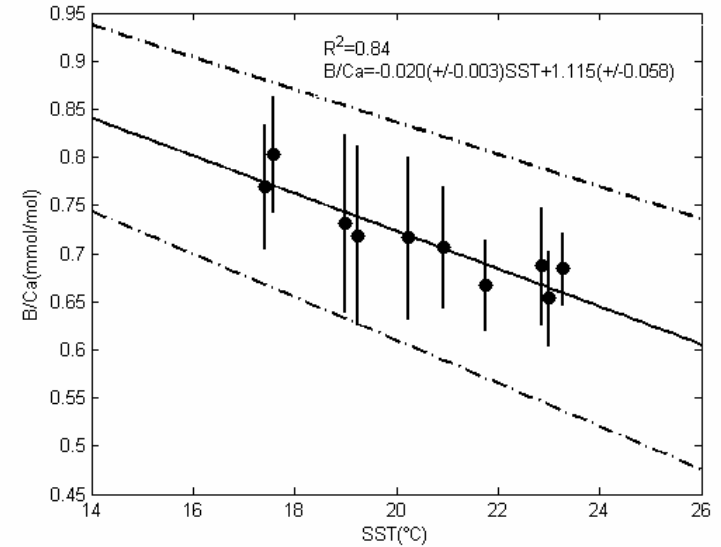


# Calibration equations (B/Ca vs SST)

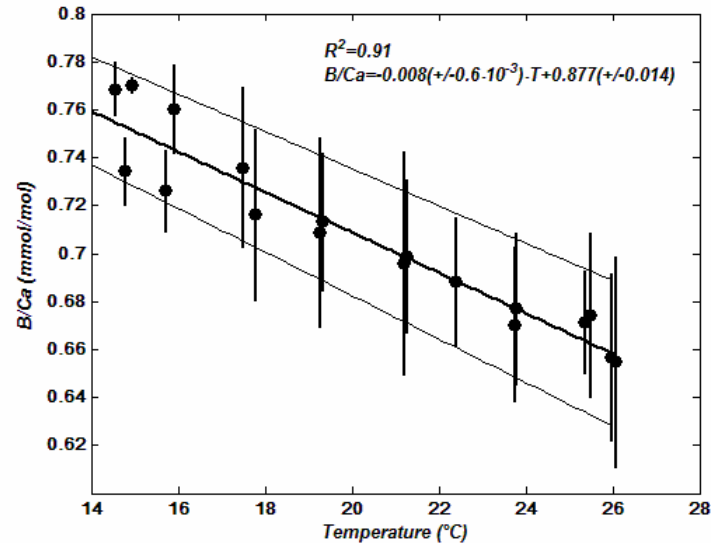
**Taranto**



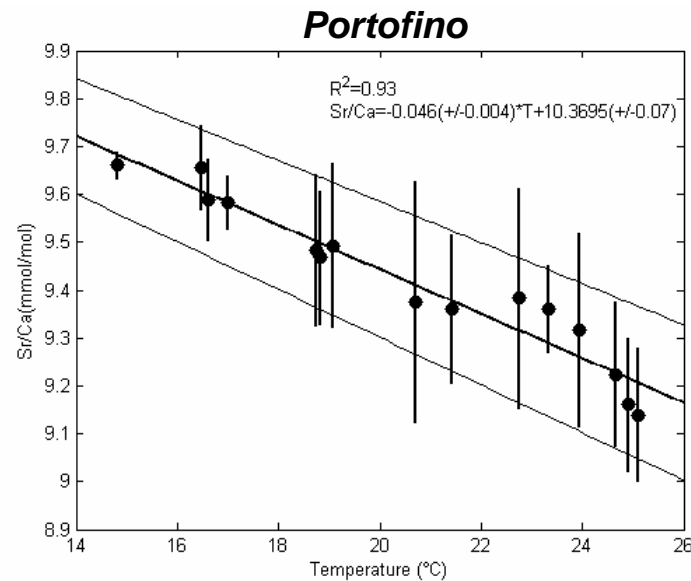
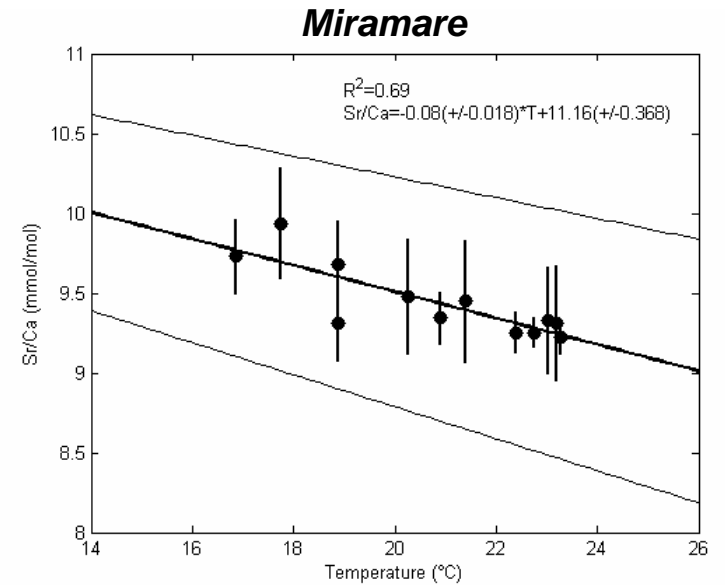
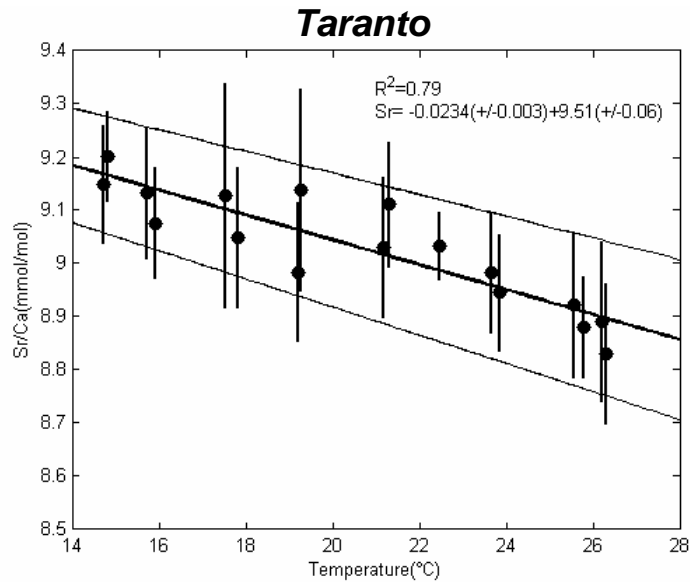
**Miramare**



**Portofino**

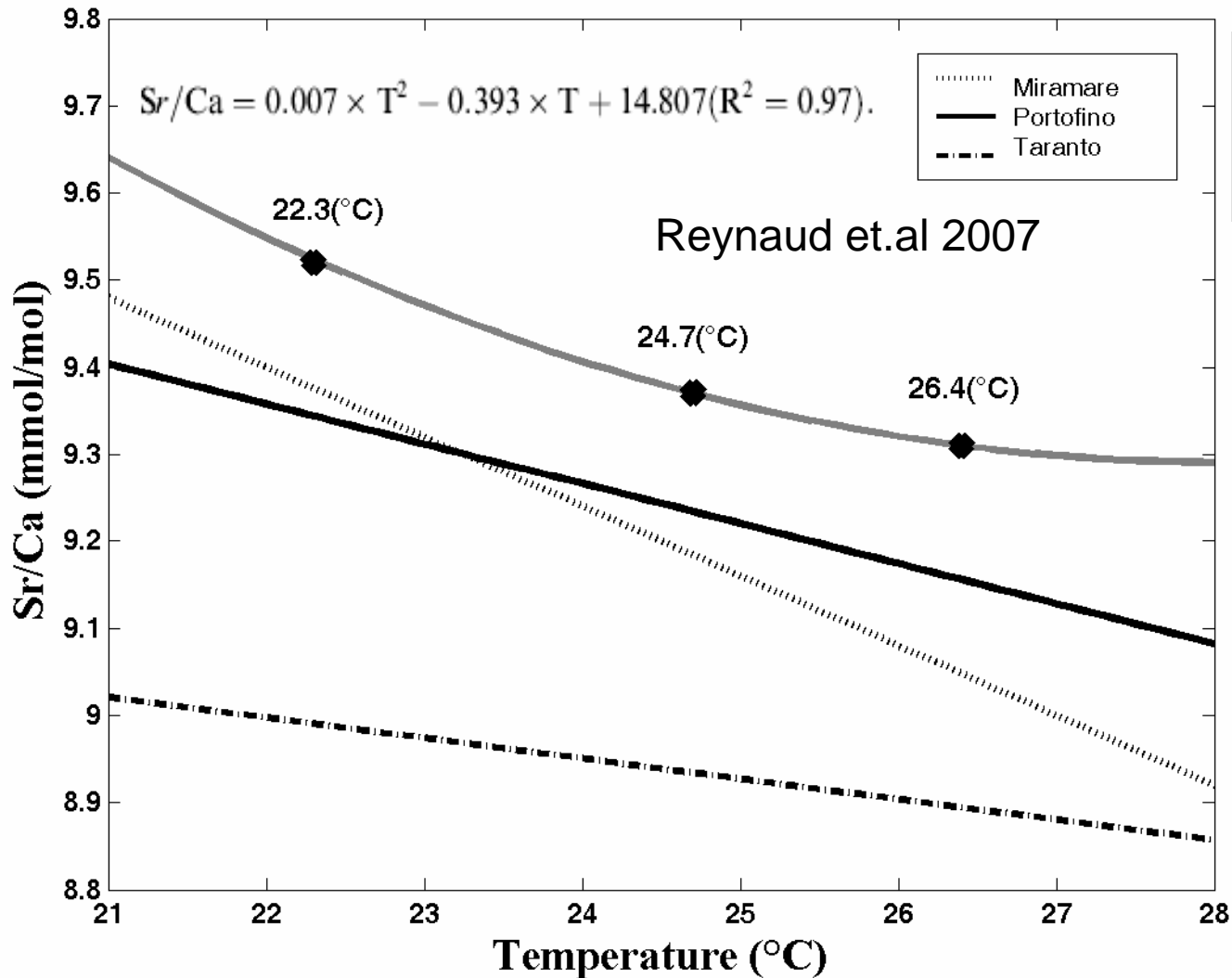


# Calibration equations (Sr/Ca vs SST)





# Comparison: Cladocora and Cultured Tropical Coral (Acropora)

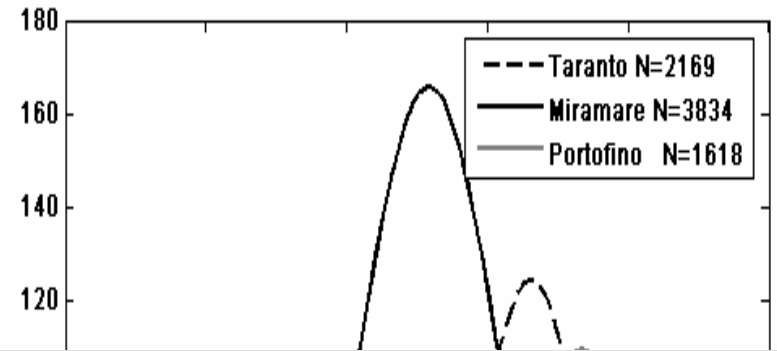
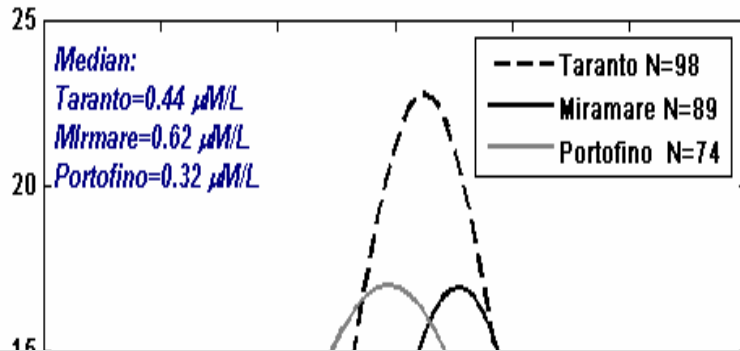


- Miramare (Tmax=25°C)
- Portofino (Tmax=27 °C)
- Taranto (Tmax=28 °C)

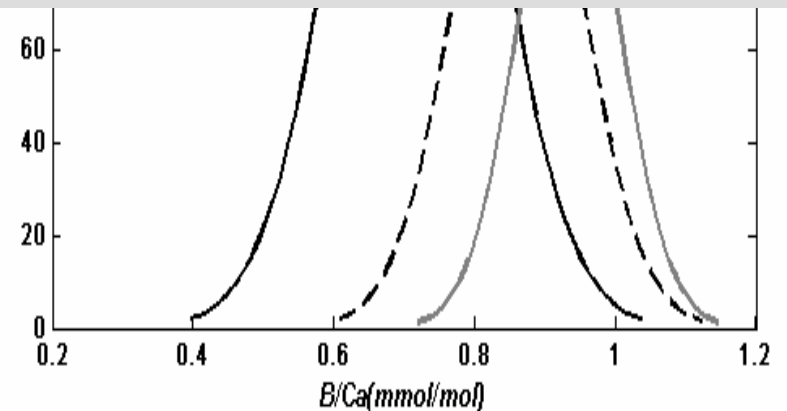
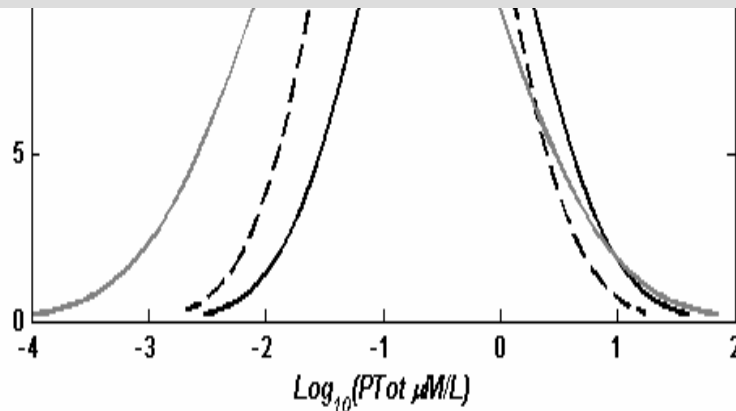
Thank you

# Phosphate and Growth Rate Inhibition

A number of phosphate compounds have been found to inhibit crystal growth (Morse, 1983; Simkiss, 1964)



Phosphorus data was taken from the Italian Si.De.Mar Database (D.Lgs. 979/82 Italian Coastal monitoring program)



Morse J. W. (1983) *The Kinetics of Calcium Carbonate Dissolution and Precipitation*. In *Carbonates: Mineralogy and Chemistry*, Vol. 11, pp 227-264. Mineralogical Society of America.

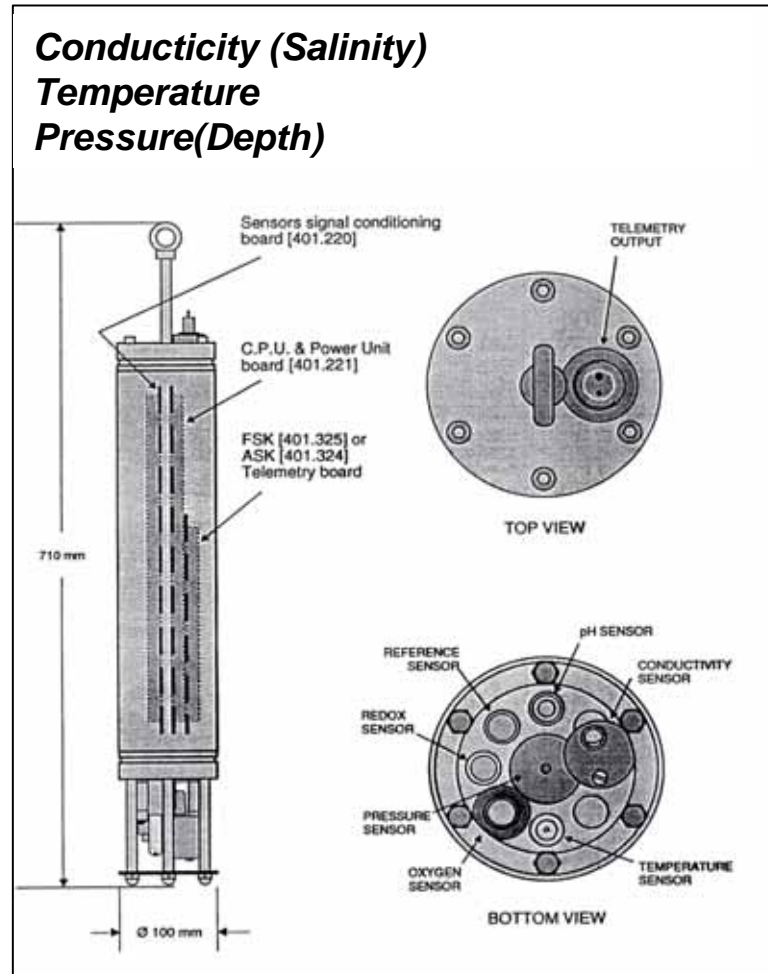
Simkiss K. 1964 Phosphates as crystal poison of calcification. *Biological Review* 39, 487-505

# In situ measurements: CTD Probe

Real Time data acquisition



CTD scheme



Buoy system



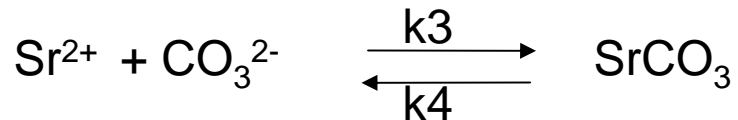
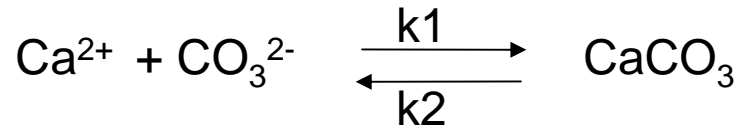
# Summary

- *Why study corals in the Mediterranean Sea?*
- *The non-Tropical coral *Cladocora caespitosa**
- *Sampling and Methods*
- *Data filtering and Calibration*
- *Comparison and Results*
- *Conclusions and Future Work*



# Corals as Paleoclimate archives

- Coral Calcification



Equilibrium

$$-d\text{Ca}^{2+}/dt = d\text{CaCO}_3/dt$$

$$-d\text{Sr}^{2+}/dt = d\text{SrCO}_3/dt$$

If the crystal growth is very slow, then the trace element partitioning in the crystal approximates that of equilibrium

Equilibrium Distribution Coefficient:

$$D = \left( \frac{K_3 \cdot K_2}{K_4 \cdot K_1} \right) \cdot \left( \frac{\gamma_{\text{Sr}^{2+}} \cdot f_{\text{Ca}^{2+}(\text{aragonite})}}{\gamma_{\text{Ca}^{2+}} \cdot f_{\text{Sr}^{2+}(\text{aragonite})}} \right)$$